

SOME COMMENTS ON...

HARD PROCESSES IN URHIC

DARIUSZ MIŚKOWIEC, GSI DARMSTADT
RNM MEETING, DARMSTADT, JUNE 12, 2001

1. JET QUENCHING AT RHIC

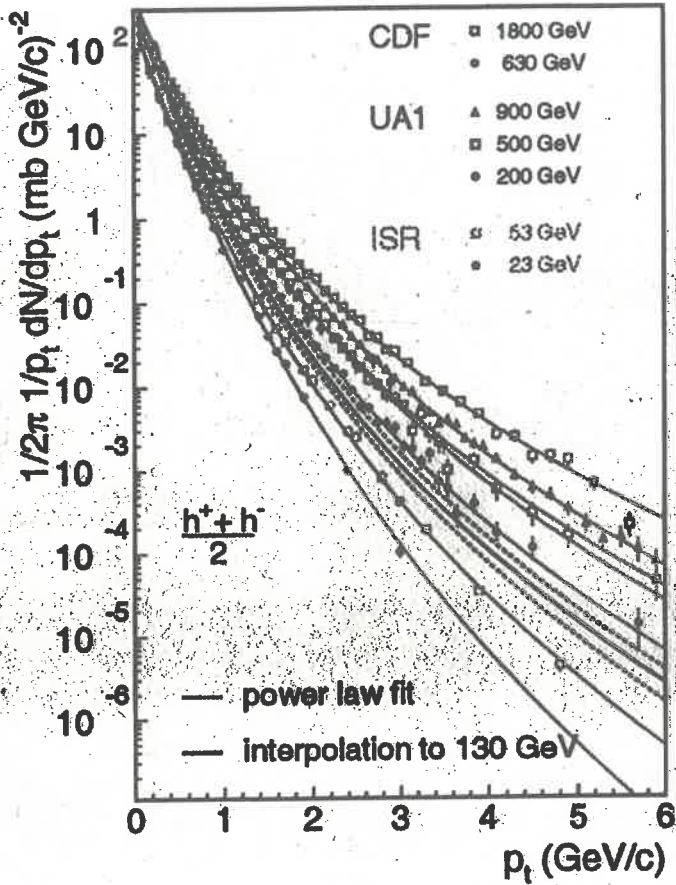
- N_{part} and N_{coll}
- initial scattering
- Fermi motion
- EMC effect
- parton energy loss
- radial flow

2. MEASURING JETS WITH ALICE

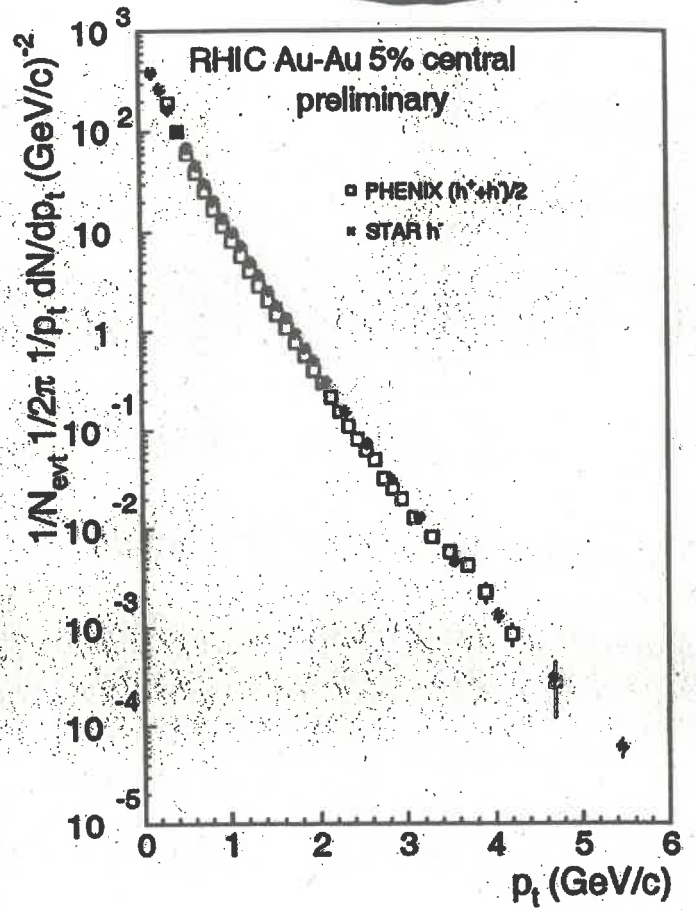
- will jets stick out of background?
- jet yield
- jet trigger with TRD

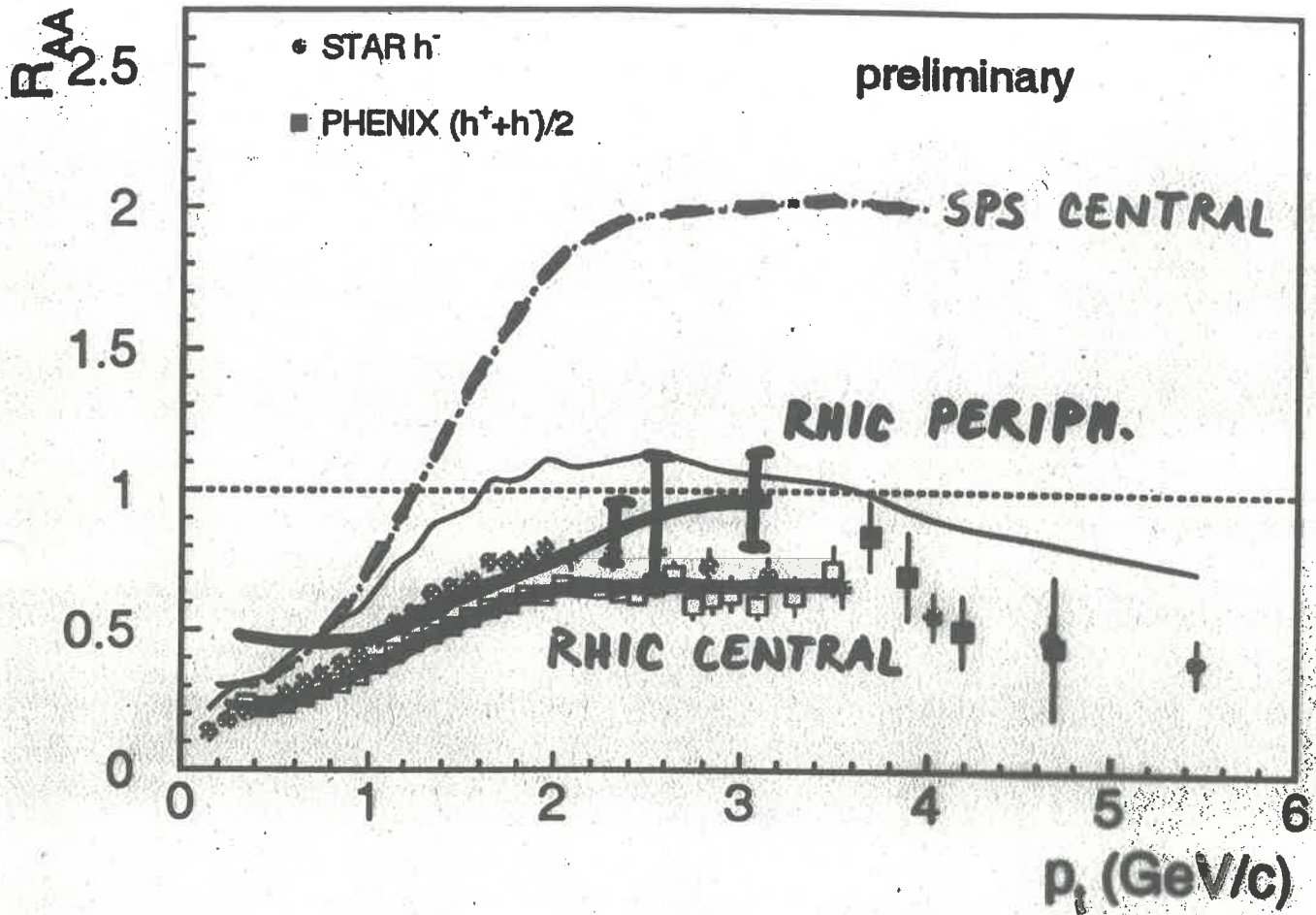
PL SPECTRUM OF CHARGED PARTICLES...

... in **PP**



in **Au-Au**

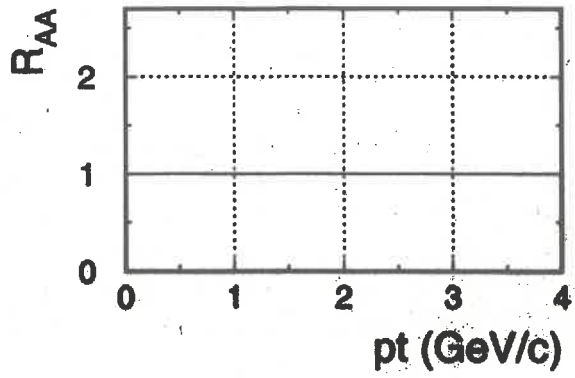




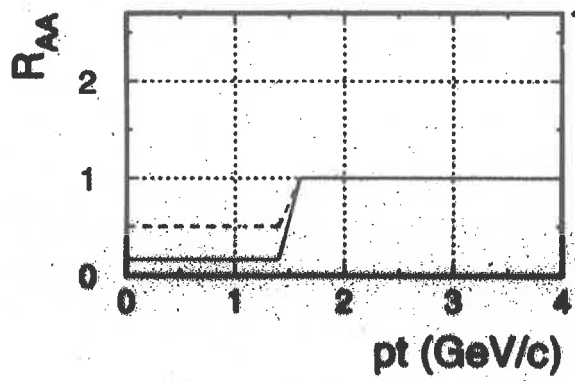
$$R_{AA} := \frac{N_{AA}^{ch}(p_{\perp})}{N_{pp}^{ch}(p_{\perp}) \cdot N_{coll}}$$

NUCLEAR MODIFICATION FACTOR

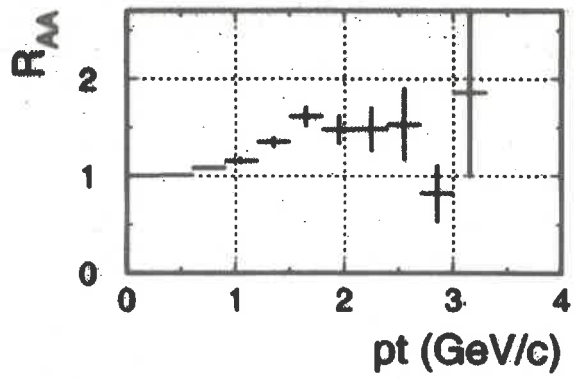
no nuclear effects



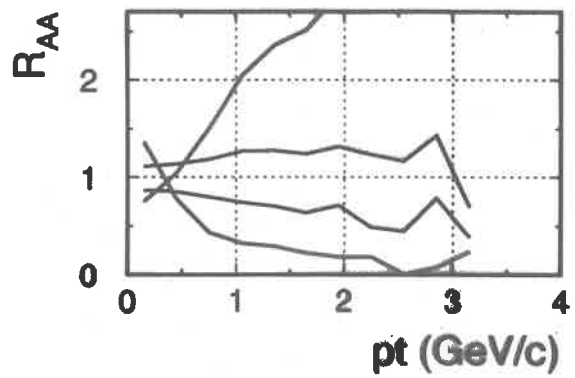
high pt like Ncoll, low pt like Npart



initial scattering (Cronin effect)

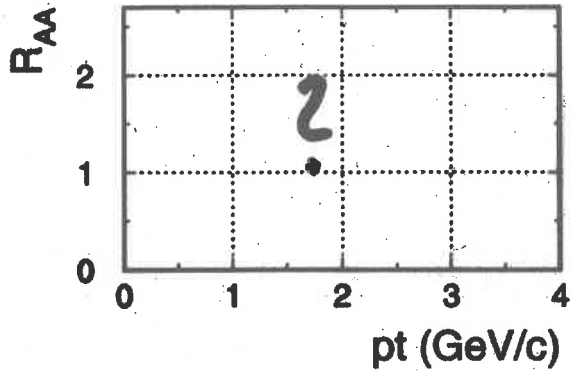


Fermi motion of nucleons in nucleus



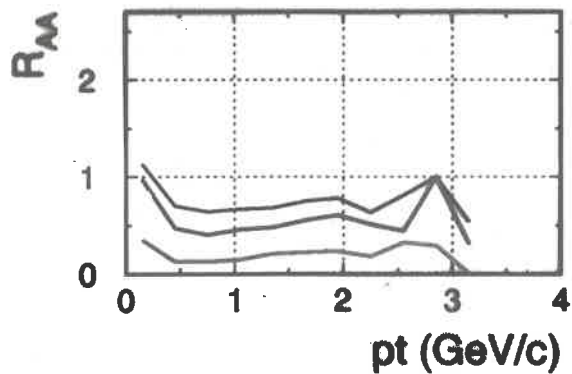
EMC effect

STRUCTURE FUNCTION
OF NUCLEON MODIFIED
WHEN IN NUCLEUS



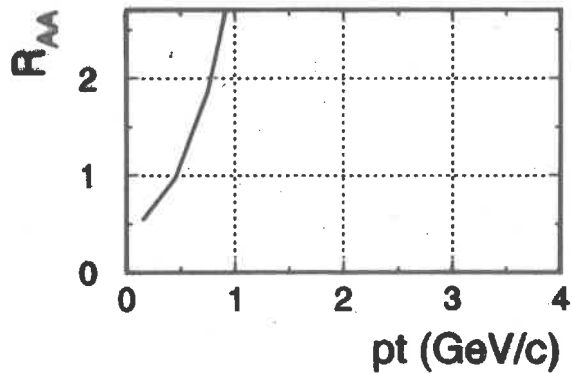
Parton energy loss

SUBTRACT 0.1, 0.2, 0.5
GEV FROM P_L



Transverse flow

BOOST PARTICLE OUTWARD
BY $\beta_L = 0.6$



NUCLEUS-NUCLEUS COLLISION GEOMETRY

PROJECTILE NUCLEUS

TARGET NUCLEUS



LORENTZ CONTRACTION \rightarrow SHORT TRAVERSAL TIME

	$\gamma_B - \gamma_{CM}$	γ_{CM}	$14 \text{ fm} / \delta_{CM}$
AGS	1.6	2.5	5.6 fm/c
SPS	2.9	9.2	1.5 fm/c
RHIC 56	4.1	30	0.47 fm/c
130	4.9	70	0.20 fm/c
200	5.4	107	0.13 fm/c
LHC 5500	8.3	2142	0.005 fm/c

FINITE COHERENCE TIME $\sim 0.4 \text{ fm}/c$ (KAPUSTA, QM99)

HARD AND SOFT BINARY COLLISIONS

HARD $\sim N_{\text{COLL}}$

(ESKOLA, NUCL. PHYS. B 323(89)37)

SOFT $\sim N_{\text{PART}}$

(BIATAS, CLYZ, NUCL. PHYS. B 111(76)461)

$N_{\text{WOUNDED}} \equiv N_{\text{PART}}$

HARD COLLISIONS MAKE HIGH P_{\perp} PARTICLES

SOFT COLLISIONS MAKE LOW P_{\perp} PARTICLES

$$N_{AA}^{\text{CH}} = a \frac{N_{\text{part}}}{2} + b N_{\text{coll}}$$

$$N_{pp}^{\text{CH}} = a + b$$



$$N_{AA}^{\text{CH}} \begin{cases} \xrightarrow{P_{\perp} \rightarrow 0} \frac{a N_{\text{part}}}{2} \\ \xrightarrow{P_{\perp} \rightarrow \infty} b N_{\text{coll}} \end{cases}$$

$$R \begin{cases} \xrightarrow{P_{\perp} \rightarrow 0} \frac{N_{\text{part}}}{2 N_{\text{coll}}} \\ \xrightarrow{P_{\perp} \rightarrow \infty} 1 \end{cases}$$

N_{COLL} AND N_{PART}

$$N_{\text{COLL}}(b) = \int d^2s \int dz_A n_A(\vec{s}, z_A) \int dz_B n_B(\vec{s}-\vec{b}, z_B) \cdot \sigma_{\text{PP}}^{\text{INEL}}$$

OVERLAP FUNCTION $T_{AB}(b)$

$$N_{\text{PART}}(b) = \int d^2s T_A(\vec{s}) \left[1 - e^{-\sigma_{\text{NN}}^{\text{INEL}} T_B(\vec{s}-\vec{b})} \right] + \int d^2s T_B(\vec{s}) \left[1 - e^{-\sigma_{\text{NN}}^{\text{INEL}} T_A(\vec{s}+\vec{b})} \right]$$

AT $\sqrt{s} = 130$ GeV $\sigma_{\text{NN}}^{\text{INEL}} = 41$ mb.
IN A Pb+Pb COLLISION WE GET

	N _{PART}	N _{COLL}	N _{PART} /2N _{COLL}
0-5%	366 ± 20	1140 ± 88	0.16
60-80%	16 ± 7	17 ± 10	0.47
80-92%	4 ± 1.4	3.1 ± 1.3	0.65

A-DEPENDENCE OF N_{PART} AND N_{COLL}

$$N_{\text{coll}} \sim A^{4/3}$$

$$N_{\text{part}} \sim A$$

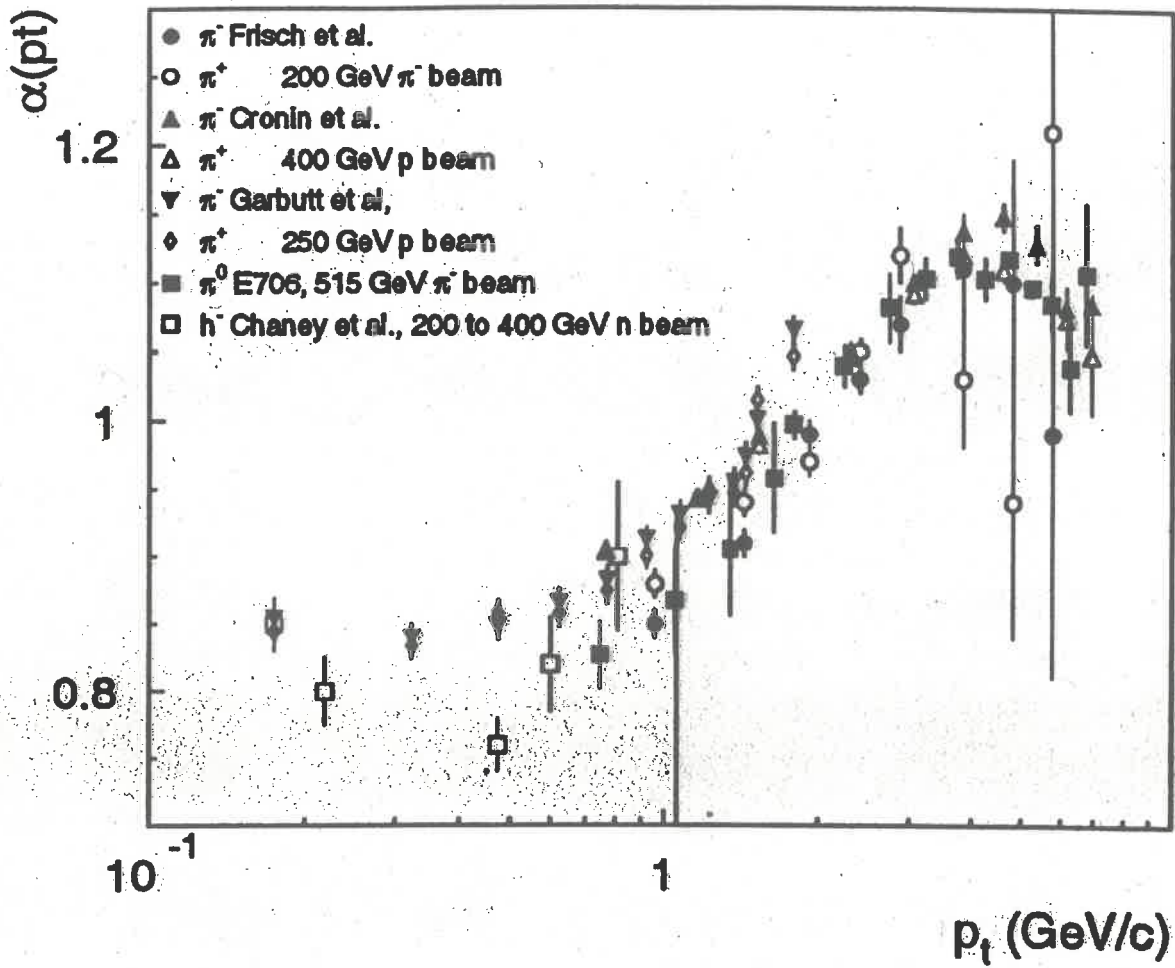
$$\rightarrow N_{\text{coll}} \sim N_{\text{part}}^{4/3}$$

WHEN COMPARING DIFFERENT A'S,
BUT ALSO WHEN COMPARING
DIFFERENT CENTRALITIES!
(NOT TOO PERIPHERAL...)

N_{coll} N_{part}
↓ ↓

	hard n	soft n	kamikaze n	hard b	soft b	kamikaze b
PA	$A^{1/3}$	$A^{1/3}$	1	A	A	$A^{2/3}$
AA	$A^{4/3}$	A	$A^{2/3}$	A^2	$A^{5/3}$	$A^{4/3}$

CRONIN EFFECT

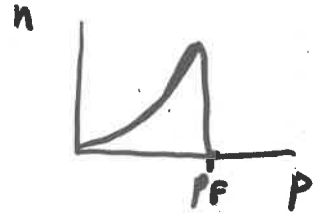


ANTREASYAN ET AL., PRD 19(79)764

LEV, PETERSSON, Z. PHYS. C 21(83)155

FERMI MOTION OF NUCLEONS IN NUCLEUS

$$p_F = 260 \text{ MeV}/c \rightarrow \beta_F = 0.27$$
$$\gamma_F = 1.04 \sim 1.0$$



LONGITUDINAL

$$p_z' = \gamma_F (p_z \pm \beta E) \approx (1 + \beta_F) \cdot p_z$$

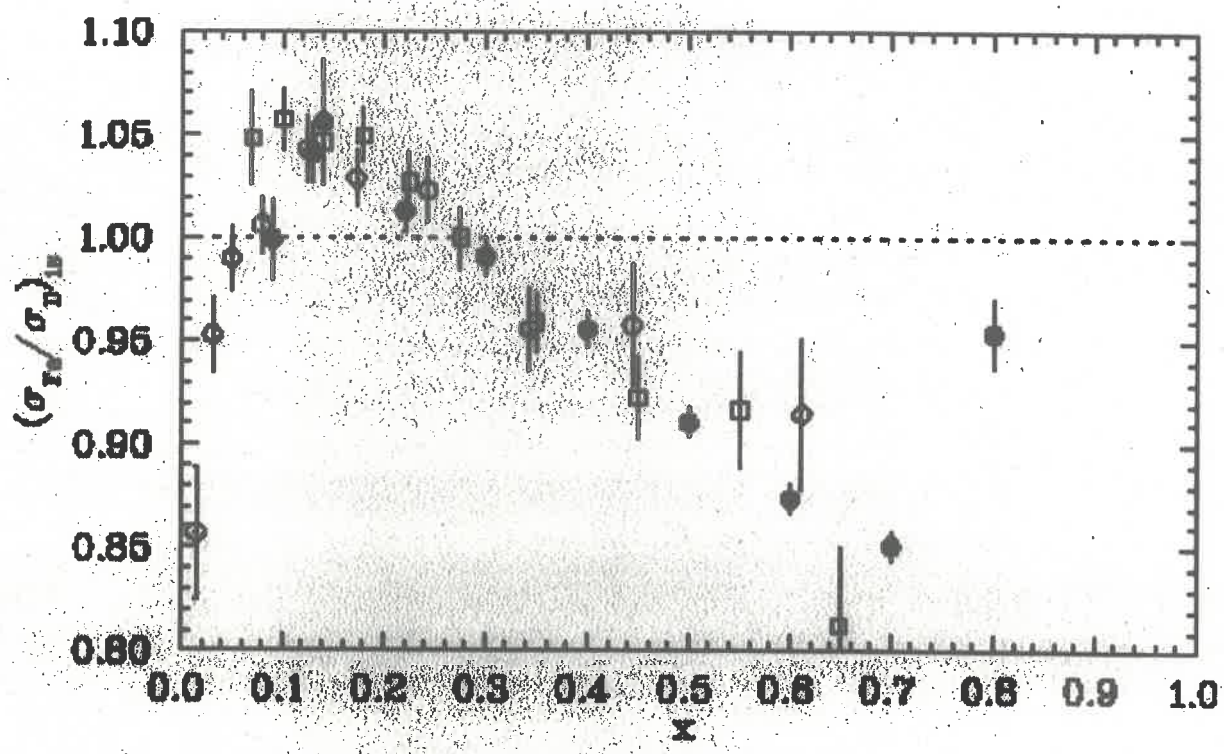
$$\sqrt{s} = 130 \text{ GeV} \rightarrow \sqrt{s} = 165 \text{ GeV}$$
$$95 \text{ GeV}$$

TRANSVERSAL

BOOST BY $\beta = \pm 0.27$

EMC EFFECT

6Fe/6D

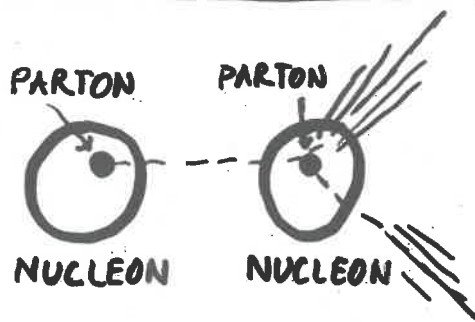


μ SCATTERING OF NUCLEAR TARGETS

ANNU. REV. NUCL. PART. SCI. 45(95)337

MEASURING JETS WITH ALICE

JETS



ALICE

Pb+Pb AT $\sqrt{s}_A = 5.5 \text{ TeV}$

$45^\circ < \theta < 135^\circ$

$0^\circ < \varphi < 360^\circ$

THIS PRESENTATION

USE PYTHIA TO GENERATE JETS

USE HIJING OR SHAKER TO GENERATE

THE REST, $dN_{ch}/dy \approx 8000$

JETS IN $p\bar{p}$ AT $\sqrt{s} = 1.8$ TeV, CDF

HEP-PH/0102074

FIGURES

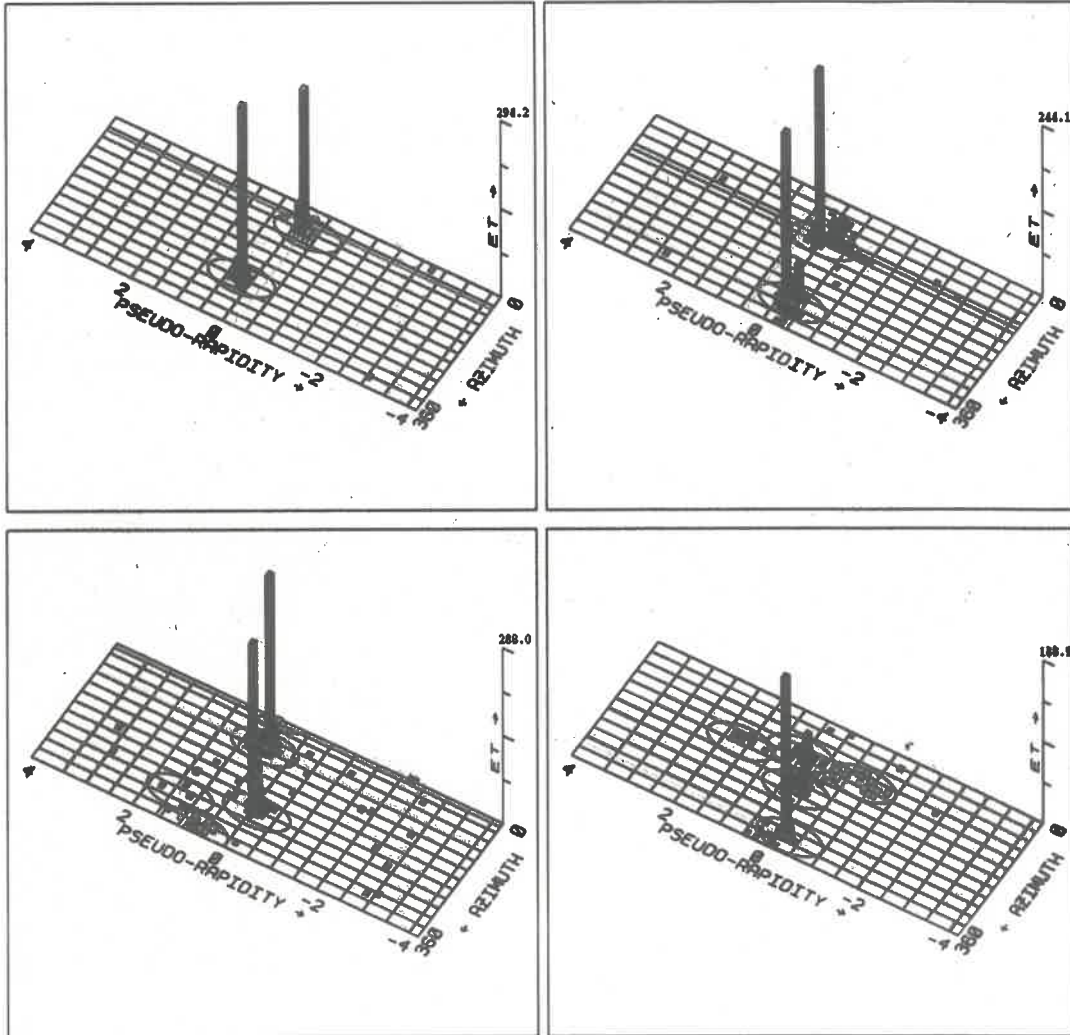


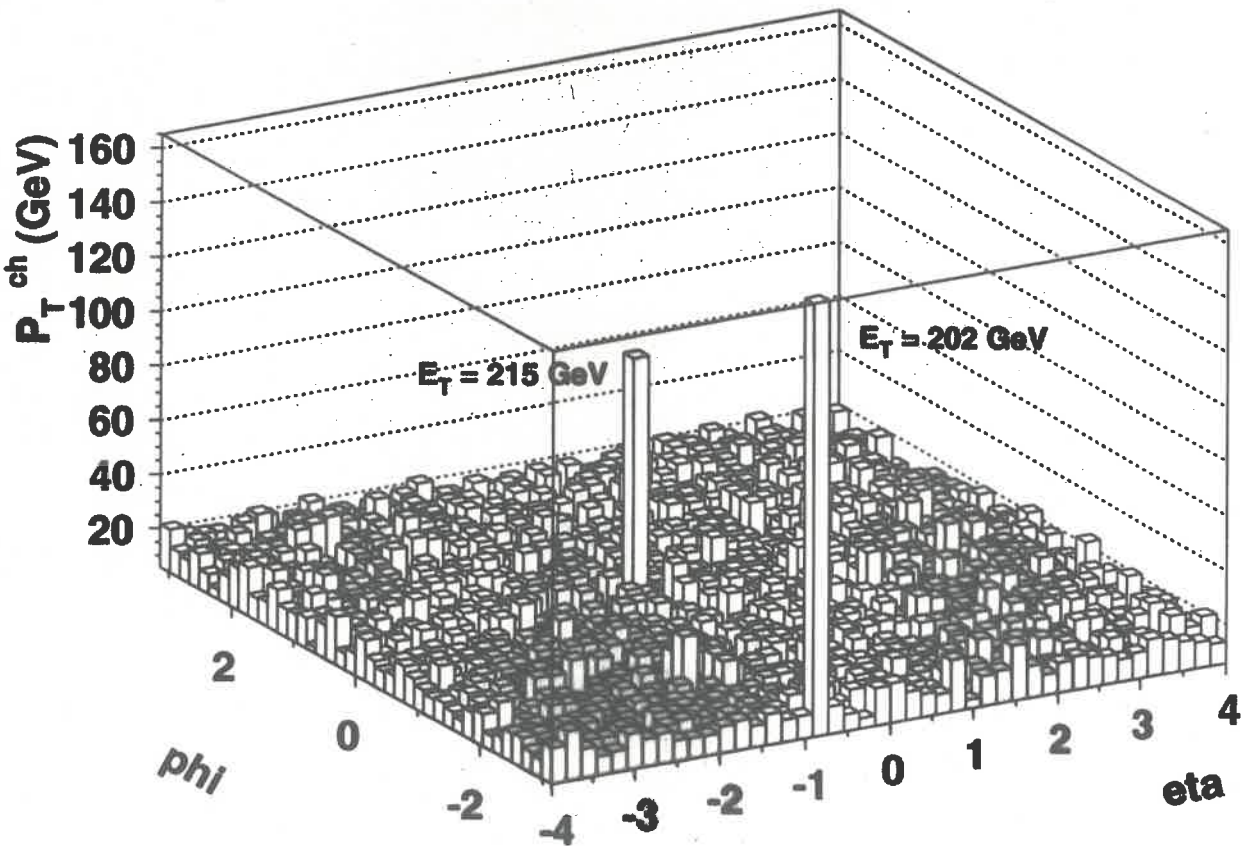
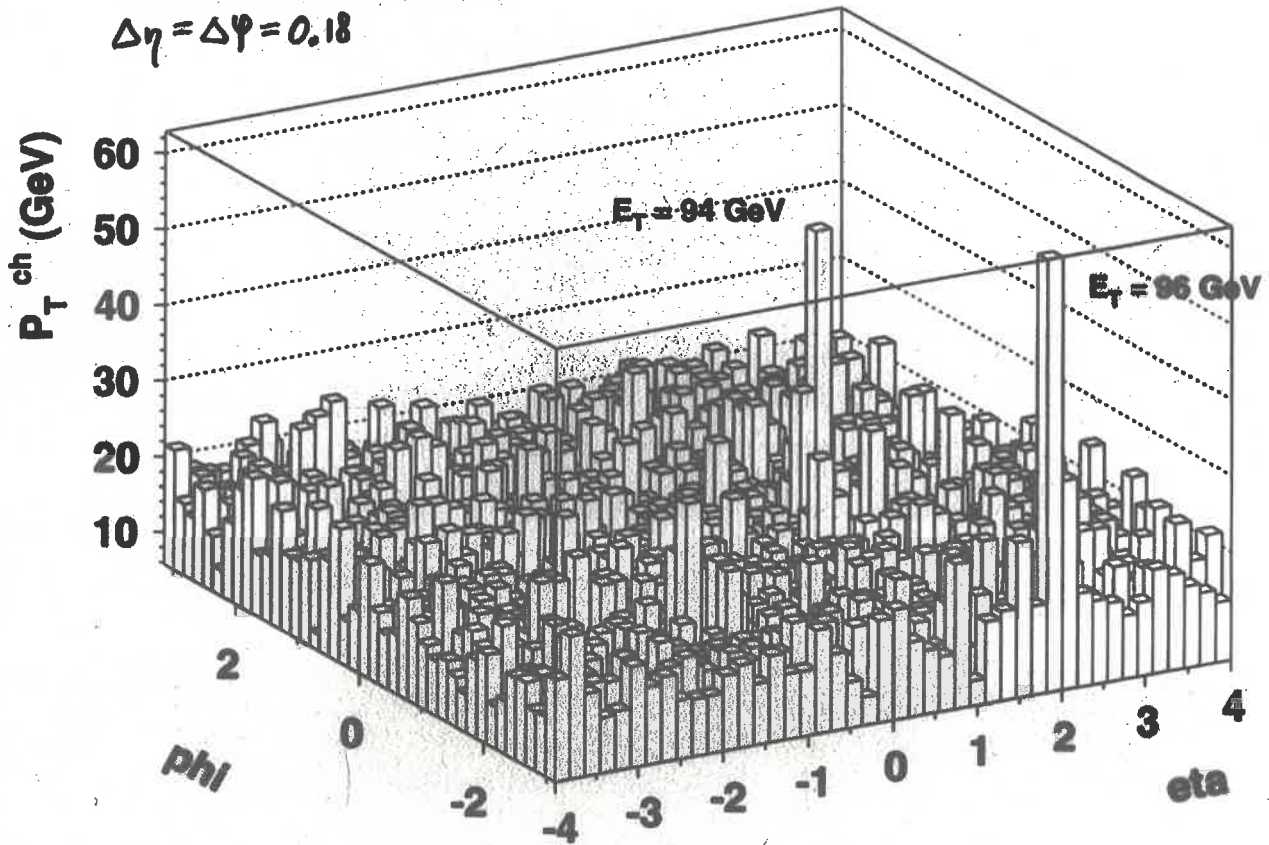
FIG.1. Jet events in the CDF calorimeter. A jet clustering cone of radius 0.7 is shown around each jet. Clockwise from the upper left they are identified as two-jet, two-jet, five-jet and three-jet. Tracks for these events are shown in Figure 2.



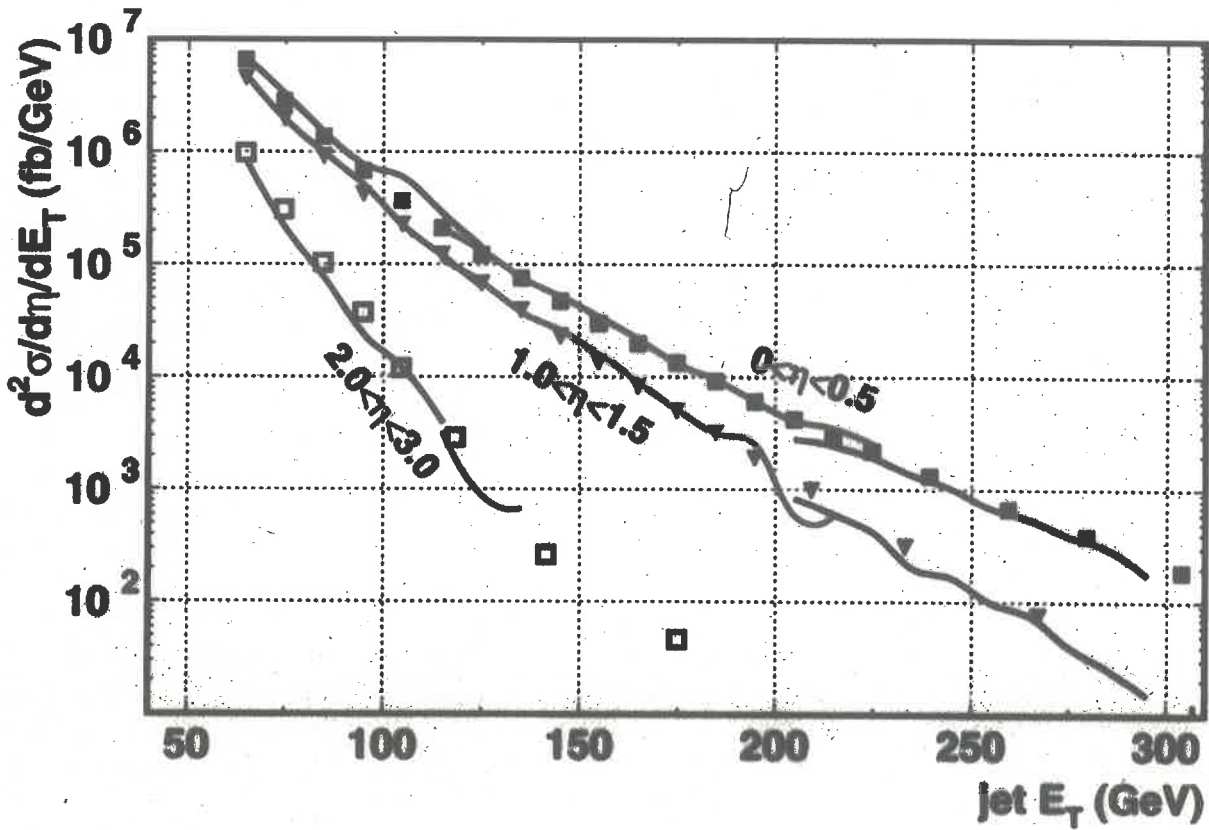
Pythia jets sticking out of shaker background

one bin = 1/4 TRD module

$$\Delta\eta = \Delta\psi = 0.18$$



Jet production in p-pbar at sqrt(s)=1.8 TeV



points: D0 PRL 86(2001)1707

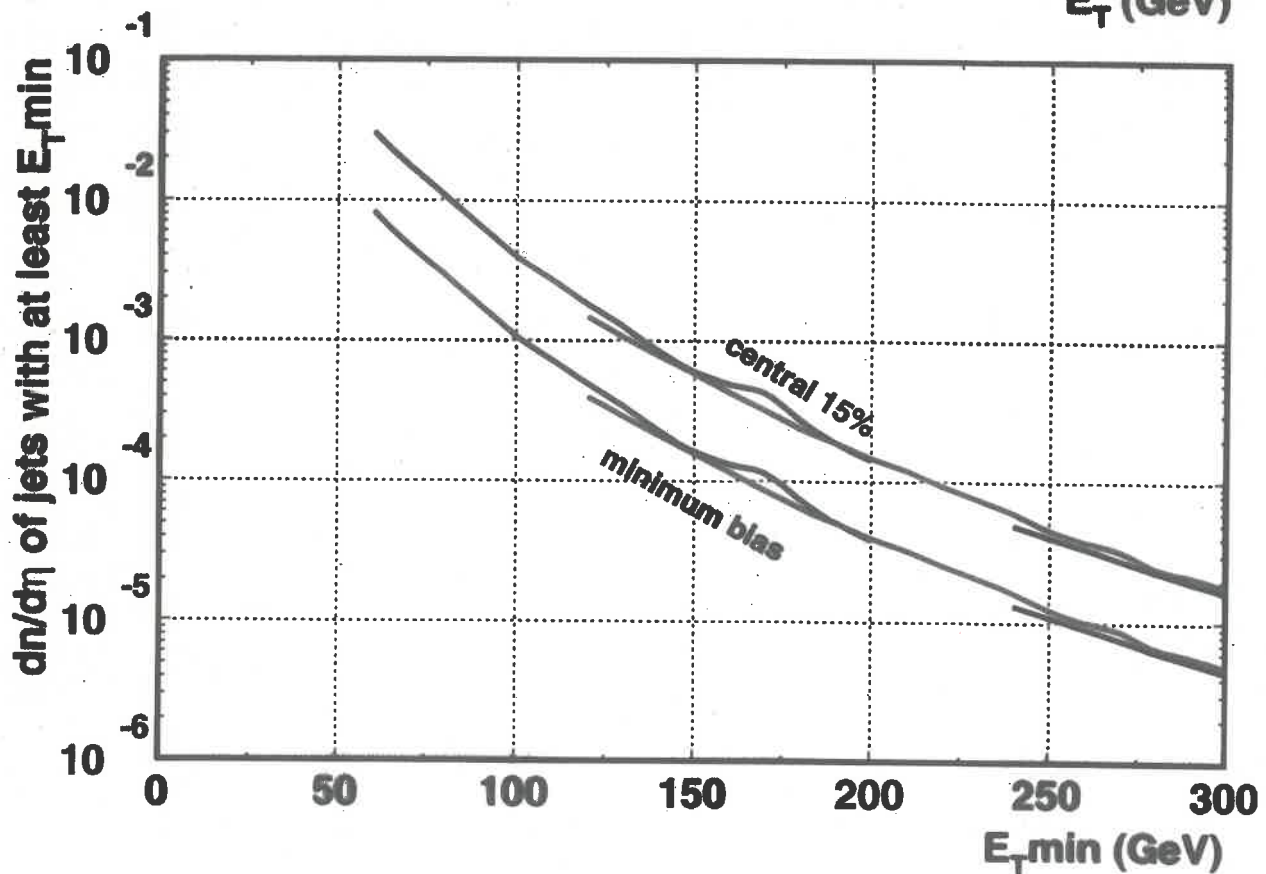
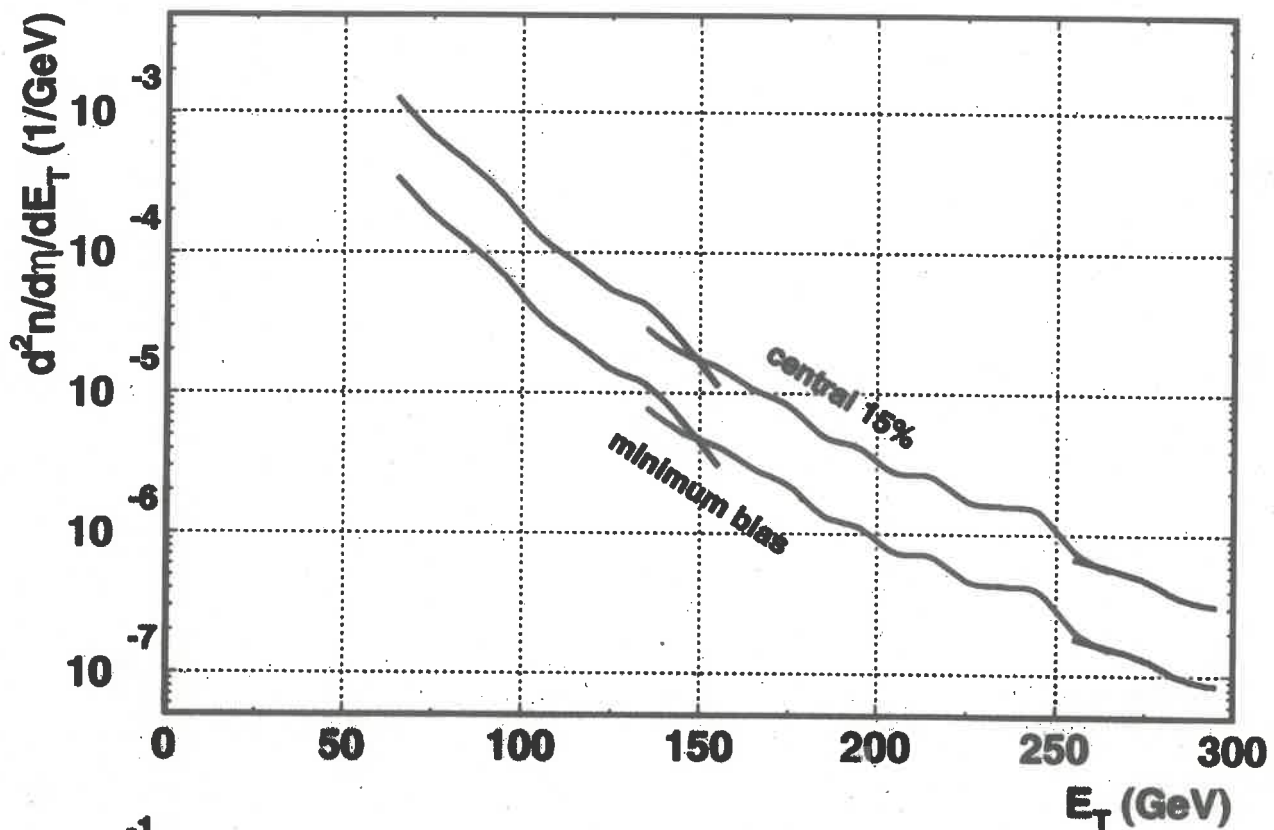
red line: 1.5 x PYTHIA with CTEQ4HJ, CKIN(3)=50

green line: 1.5 x PYTHIA with CTEQ4HJ, CKIN(3)=100

blue line: 1.5 x PYTHIA with CTEQ4HJ, CKIN(3)=200

↑
K-FACTOR NEEDED TO REPRODUCE THE D0 DATA

Jet multiplicity in Pb+Pb at sqrt(s)=5.5 TeV



$$n(\text{minimum bias PbPb}) = 6 \text{ mb}^{-1} * 1.5 * \sigma(\text{pp})$$

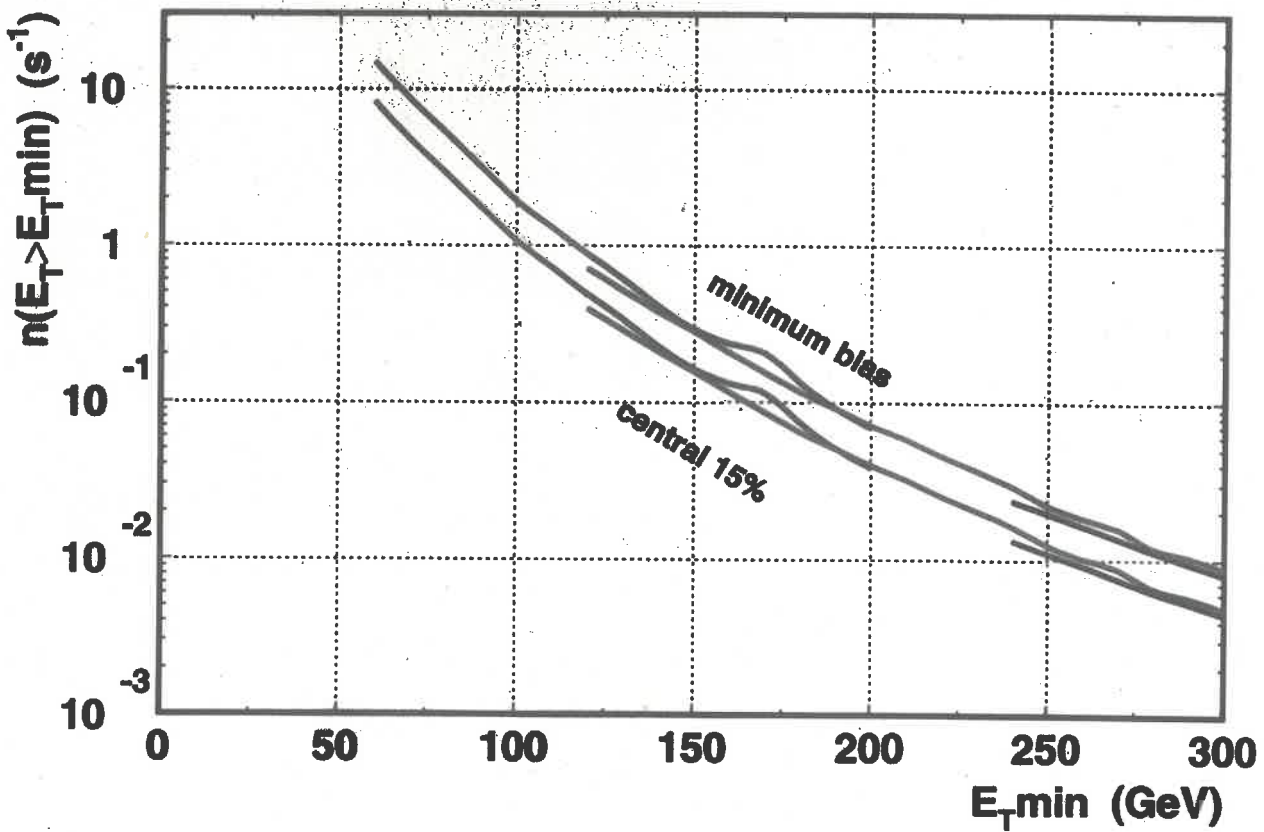
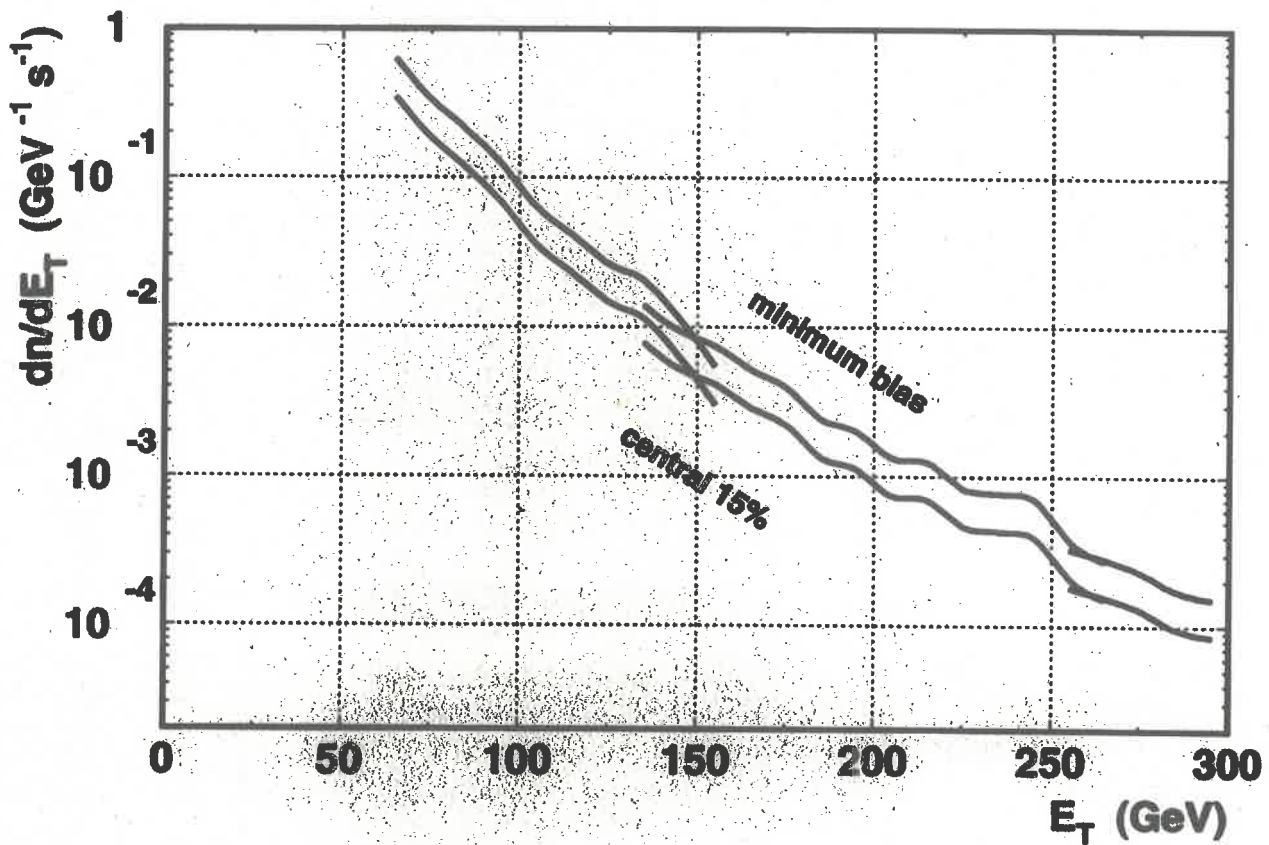
$$n(\text{central 15\% PbPb}) = 22 \text{ mb}^{-1} * 1.5 * \sigma(\text{pp})$$

nuclear overlap model

K-fac

Pythia

Jet into TPC rate in Pb+Pb at sqrt(s)=5.5 TeV

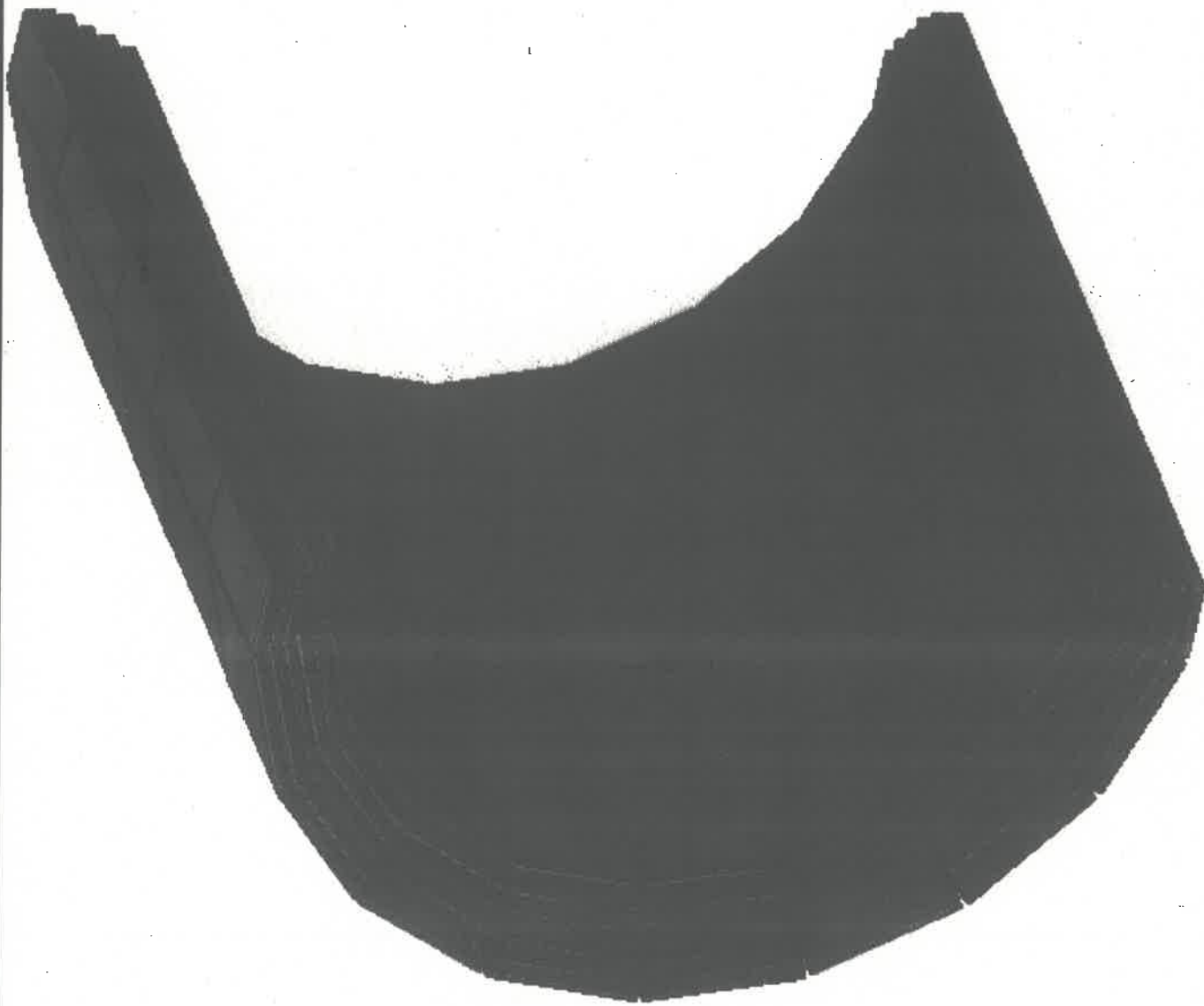


1000 minimum bias collisions per second assumed

ALIC

Transition Radiation Detector

201400



Alice event: 0, Run: 0
Nparticles = 621 Nhits = 188231



Next

Previous

Top View

Side View

Front View

All Views

Control

MSD

ROOT
ALICE

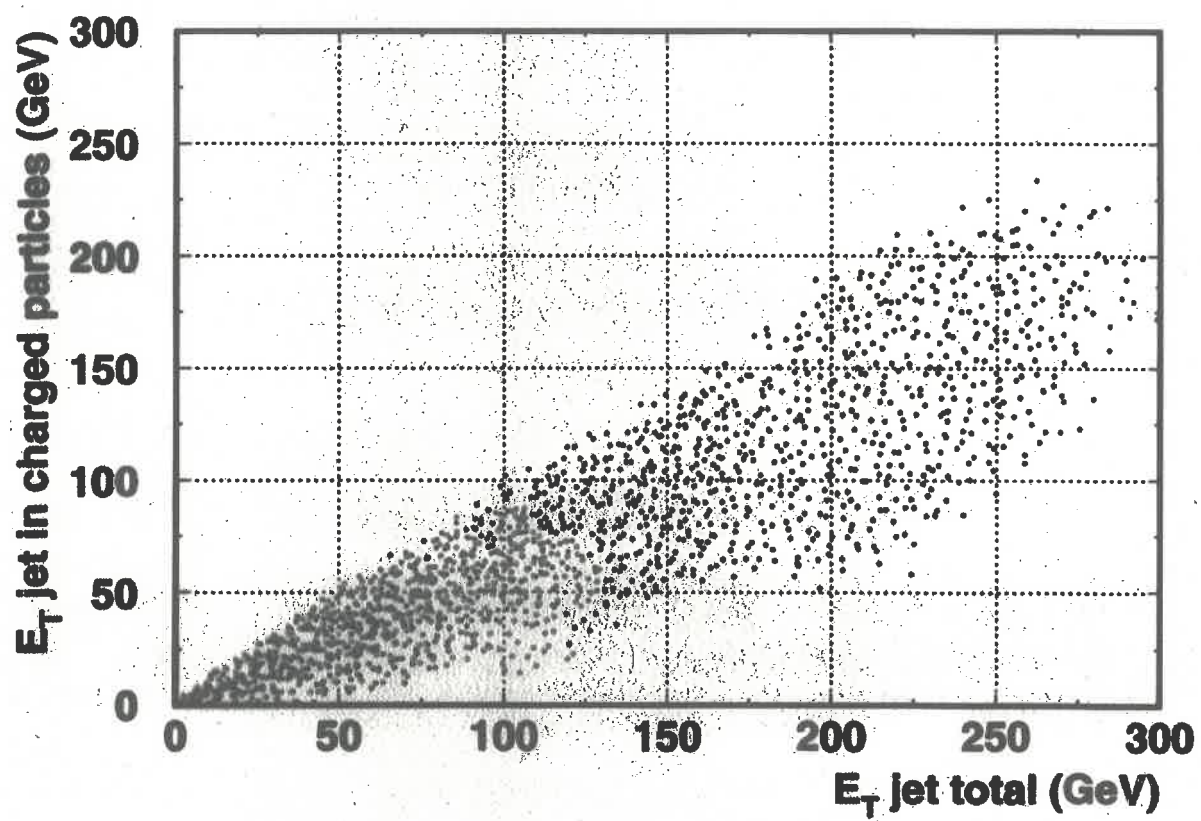
[Empty input field]

Fit

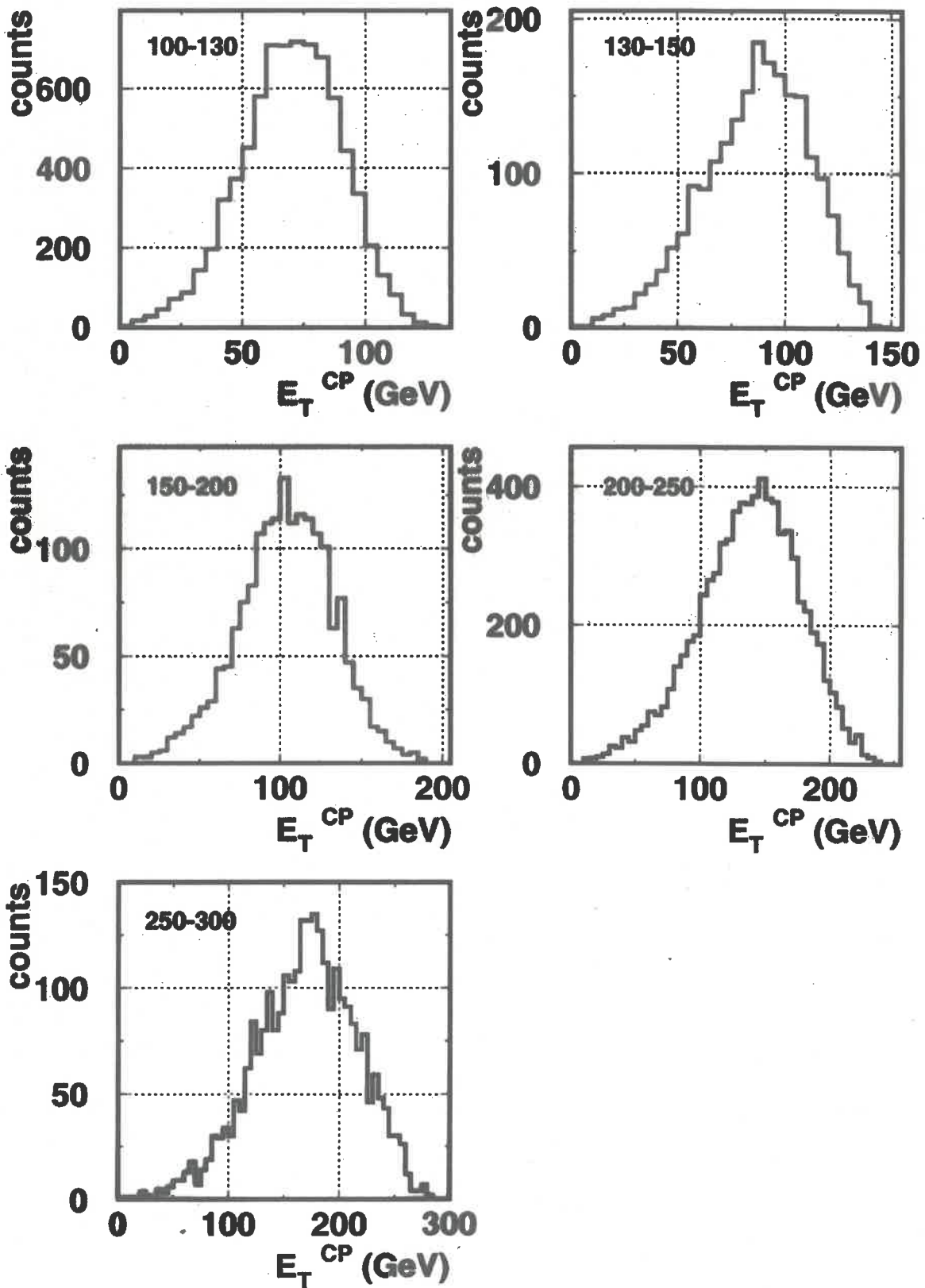
Zoom

Link

Contribution of charged particles to jet Et



Contribution of charged particles to jet E_T



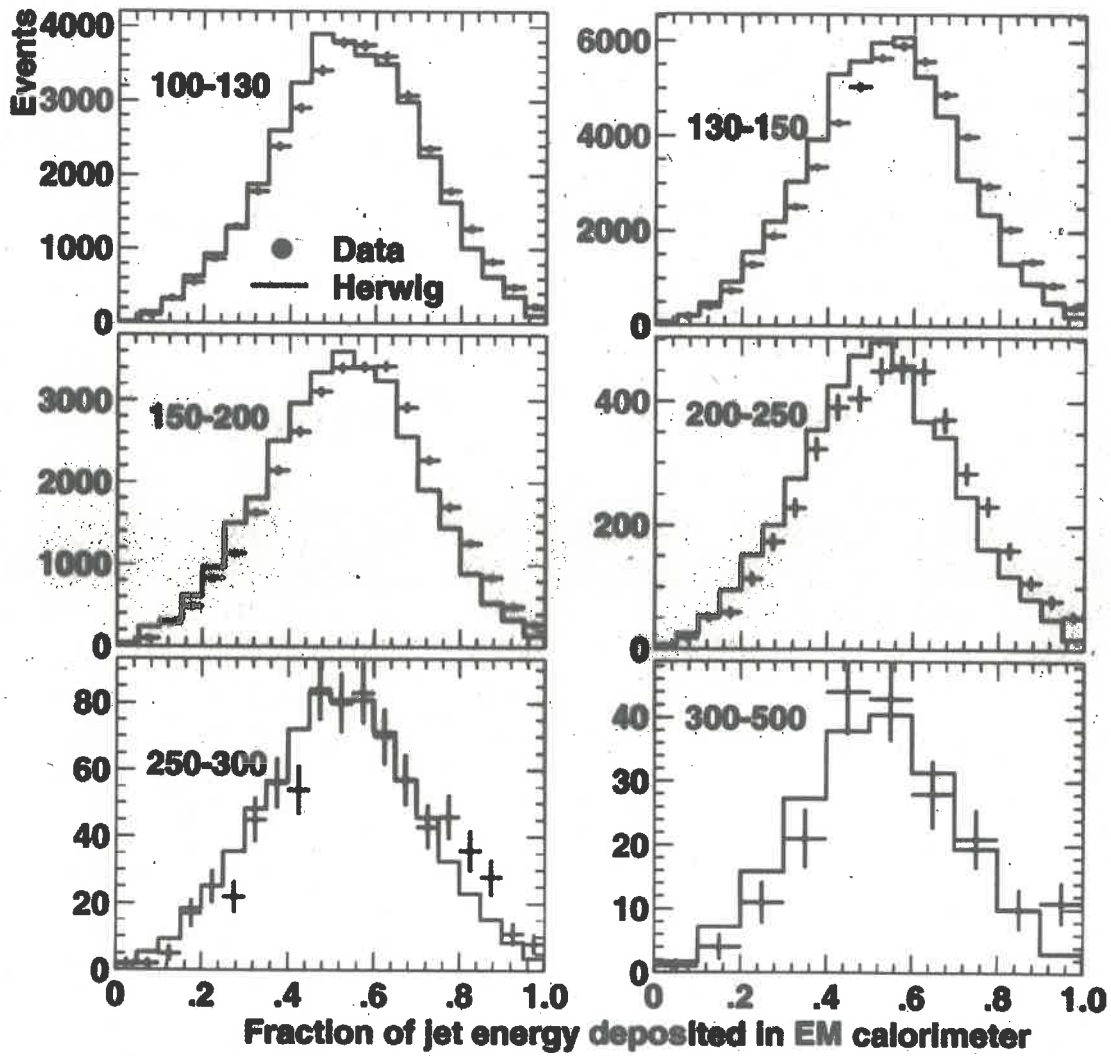
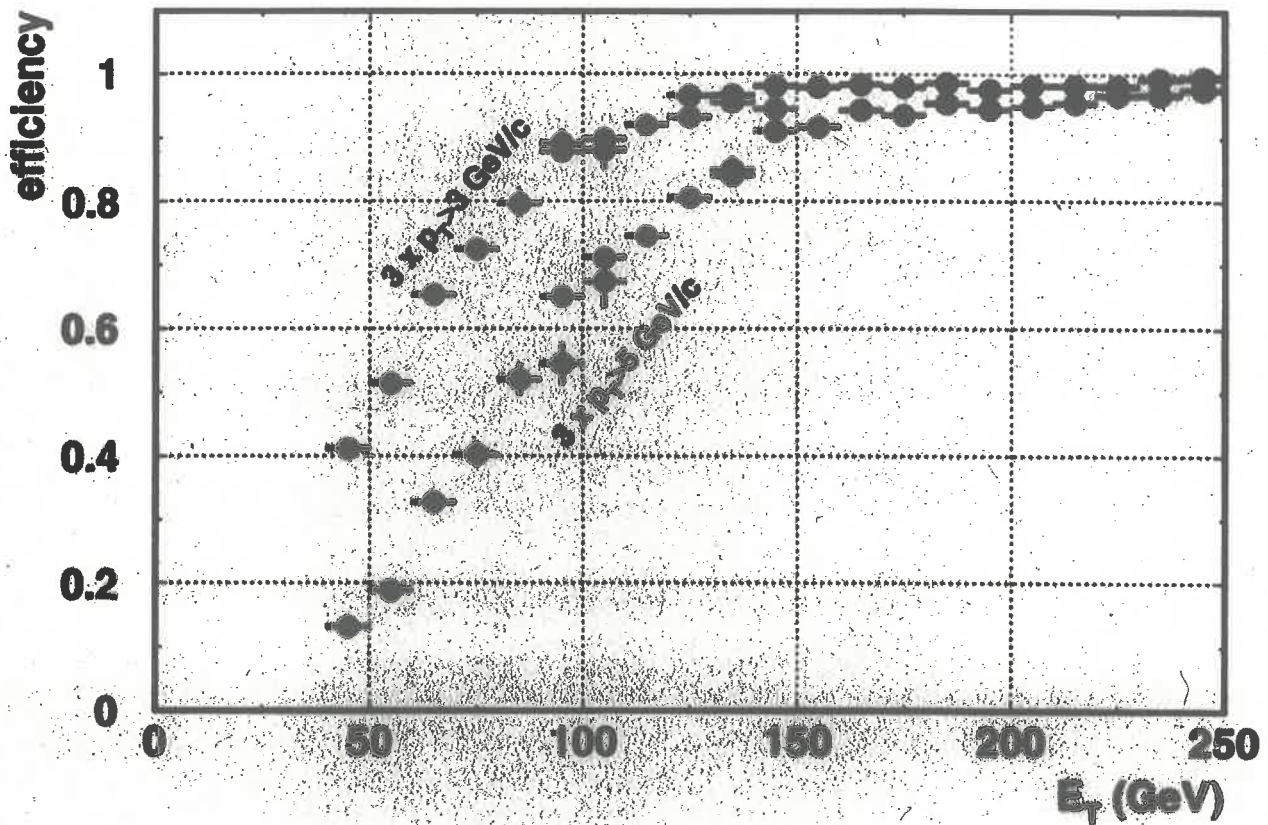


FIG. 15. Fraction of electromagnetic energy in jets for data (points) and simulation (histogram). The labels on the individual plots (e.g. 100-130 GeV) indicate the E_T range of the leading jet.

TRD jet trigger efficiency



trigger condition:


3 charged particles with $p_T > p_{T,min}$ in one TRD module

SUPPRESSION OF EVENTS WITHOUT JETS

CENTRALITY	$3 \times p_T > 3$	$3 \times p_T > 5$
0-15%	0.18	$2.3 \cdot 10^{-3}$
MINB	0.031	$4.0 \cdot 10^{-4}$

EVENT RATES WITH TRD JET TRIGGER

TRIGGER	EVENTS WITHOUT JETS	EVENTS WITH $E_T > 100 \text{ GeV}$ JETS
MINBIAS	1000/s	2.0/s
JET3	31/s	1.8/s
JET5	0.40/s	1.3/s
CENTRAL	150/s	1.0/s
CENTRAL · JET3	27/s	0.9/s
CENTRAL · JET5	0.35/s	0.7/s


 THESE NUMBERS MAY BE HIGHER
 IN REALITY; FULL SIMULATION
 IS NEEDED

EXPLANATION OF TERMS:

- CENTRAL \equiv MOST CENTRAL 15%
- JET3 \equiv 3x $p_T > 3 \text{ GeV}/c$ IN ANY OF TRD MODULES
- JET5 \equiv 3x $p_T > 5 \text{ GeV}/c$ —— " ——

TRD jet trigger suppression factor for events without jets

1. Extract single particle multiplicities in central Pb+Pb from Hijing:
 0.192 charged particles with $pt > 3$ GeV/c per TRD module
 0.0433 charged particles with $pt > 5$ GeV/c per TRD module
2. From this, estimate mean multiplicities as a function of centrality:

centrality	<Ncoll>	<n(pt>3)>	<n(pt>5)>
0-15%	1320	0.192	4.3e-2
15-30%	619	9.0e-2	2.0e-2
30-45%	256	3.7e-2	8.4e-3
45-60%	90.0	1.3e-2	3.0e-3
60-75%	24.2	3.5e-3	7.9e-4
75-90%	5.2	7.6e-4	1.7e-4
90-100%	0.9	1.3e-4	3.0e-5

3. Use these mean multiplicities to calculate the probability of having at least 3 such particles. Assume independent production and use Poisson.

centrality	3 x pt>3	3 x pt>5
0-15%	1.0e-3	1.3e-5
15-30%	1.1e-4	1.3e-6
30-45%	8.2e-6	9.8e-8
45-60%	3.6e-7	4.5e-9
60-75%	7.1e-9	8.2e-11
75-90%	7.3e-11	8.2e-13
90-100%	3.7e-13	4.5e-15
minbias	1.7e-4	2.2e-6

How good is the assumption of independence? Not very good because the multiplicity distributions in Hijing are not exactly Poissonian. A direct valuation of the probability of having 1, 2, and 3 particles with $pt > 3$ GeV/c yields 0.17, 0.020, and 0.0022 respectively, compared to the Poissonian 0.18, 0.016, and 0.00102. Let us take care of this by multiplying all the obtained probabilities for $n \geq 3$ by 2.

4. Calculate the fake trigger probabilities. The trigger condition is to have at least 3 $pt > pt_{min}$ particles in any of the TRD modules. For this, multiply the above values by 90 (number of TRD modules) and 2 (correction for non-Poissonian multiplicity distributions):

centrality	3 x pt>3	3 x pt>5
0-15%	0.18	2.3e-3
minbias	0.031	4.0e-4

5. Calculate event rates, assuming 1000 minbias/s. Notation:
 central - central 0-15%
 jet3 - at least 3 charged particles with $pt > 3$ GeV/c in any TRD module
 jet5 - at least 3 charged particles with $pt > 5$ GeV/c in any TRD module
 Assumed trigger efficiency for $E_t > 100$ GeV jets: 100% for central, 90% for jet3, and 66% for jet5.

trigger	events without jets	$E_t > 100$ GeV jet events
minbias	1000/s	2.0/s
jet3	31/s	1.8/s
jet5	0.40/s	1.3/s
central	150/s	1.0/s
central and jet3	27/s	0.9/s
central and jet5	0.35/s	0.7/s

JETS WITH ALICE - SUMMARY

IN Pb + Pb

IN 10^7 CENTRAL EVENTS WE WILL HAVE

500 000 JETS WITH $E_{\perp} \geq 50$ GeV

50 000 JETS WITH $E_{\perp} \geq 100$ GeV

7 000 JETS WITH $E_{\perp} \geq 150$ GeV

USING TRD TO TRIGGER ON JETS WE GET

SIMILAR NUMBERS OF JETS PER DAY

(ALL CENTRALITIES)