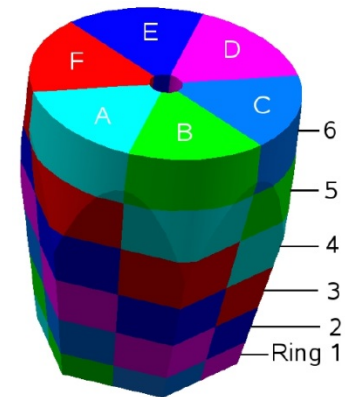
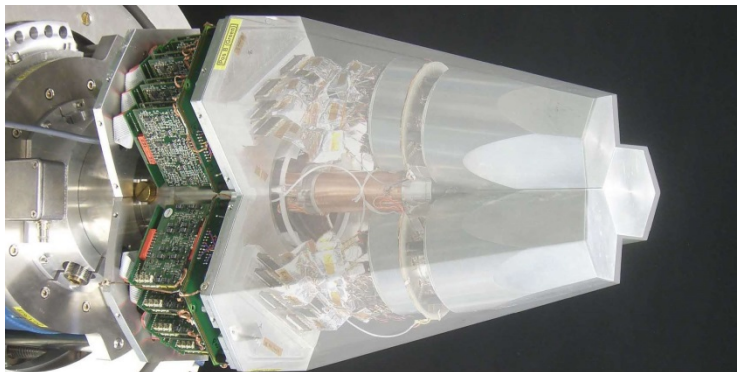


# Segmented Detectors

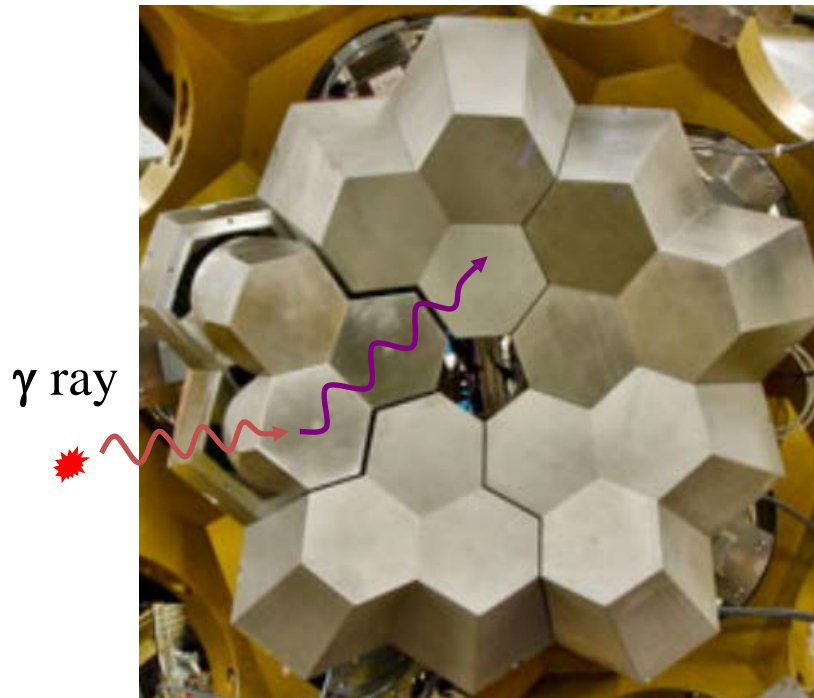
Lecture: Hans-Jürgen Wollersheim

e-mail: h.j.wollersheim@gsi.de

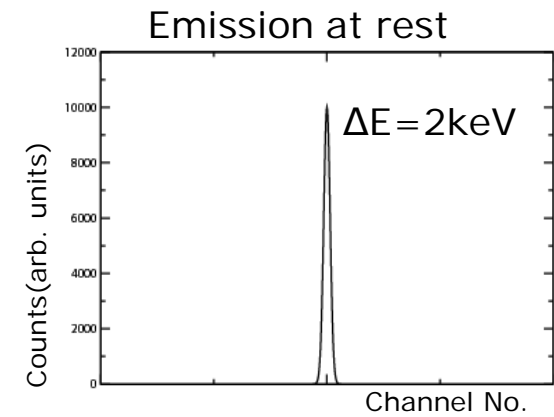
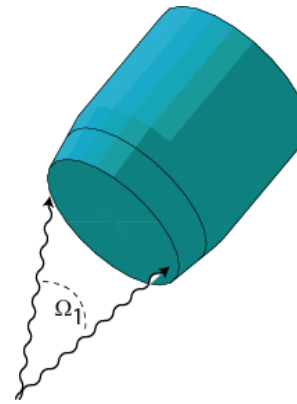


# Challenges of $\gamma$ -ray spectroscopy

efficiency vs resolution



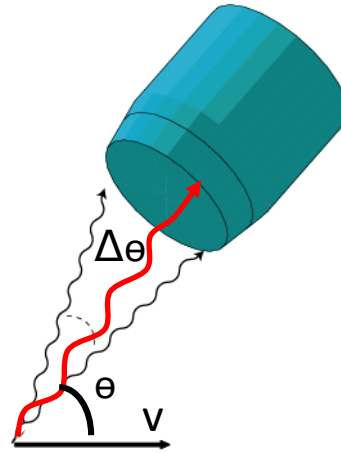
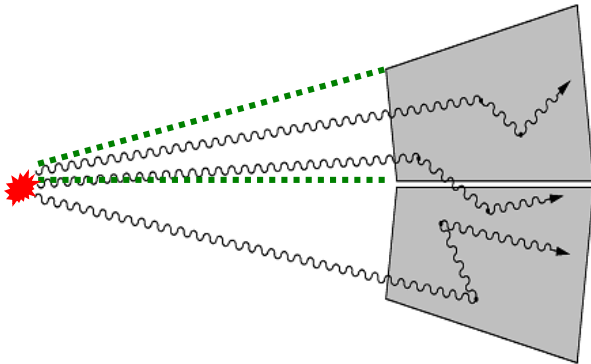
Composite HPGe detectors  
in ADD BACK mode



# Challenges of $\gamma$ -ray spectroscopy

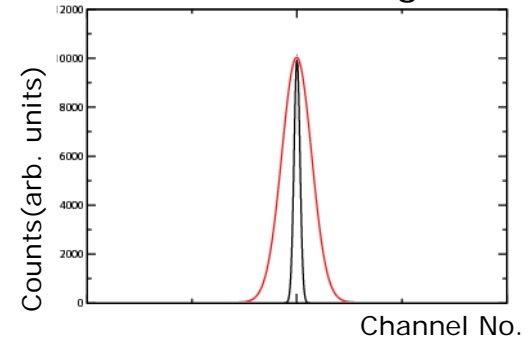
efficiency vs resolution

High  $M_\gamma$

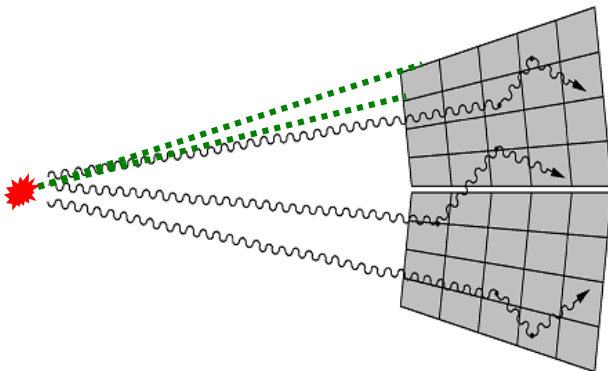


Doppler broadening

Emission in flight



Solution

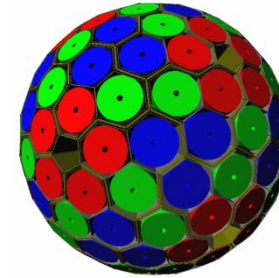
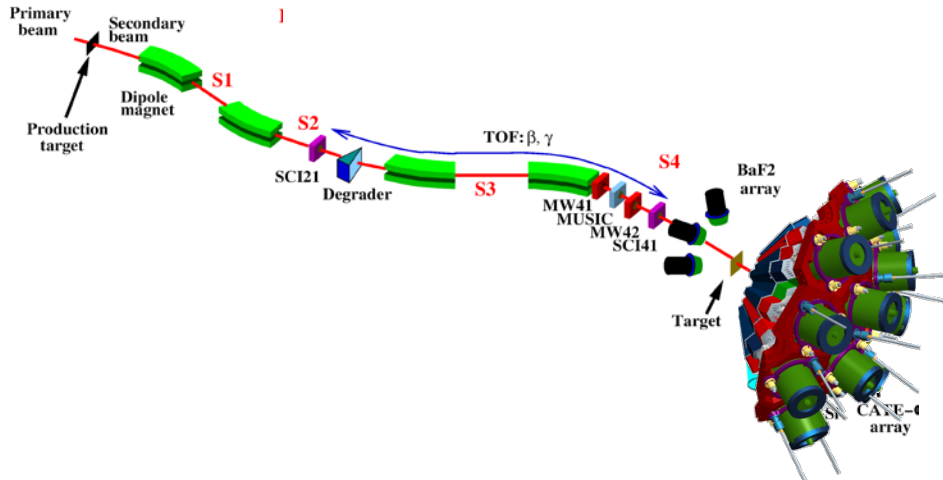


$$\left(\frac{\Delta E_{\gamma 0}}{E_{\gamma 0}}\right)^2 = \left(\frac{\beta \cdot \sin \vartheta_\gamma}{1 - \beta \cdot \cos \vartheta_\gamma}\right)^2 \cdot (\Delta \vartheta_\gamma)^2$$

- Segmentation
- Gamma-ray tracking
- Pulse shape analysis
- Doppler correction

# $\gamma$ -ray spectroscopy with 3D position sensitive HPGe detectors

## In flight $\gamma$ -ray spectroscopy $\rightarrow$ HISPEC



**A**dvanced  
**G**amma  
**T**racking  
**A**rray

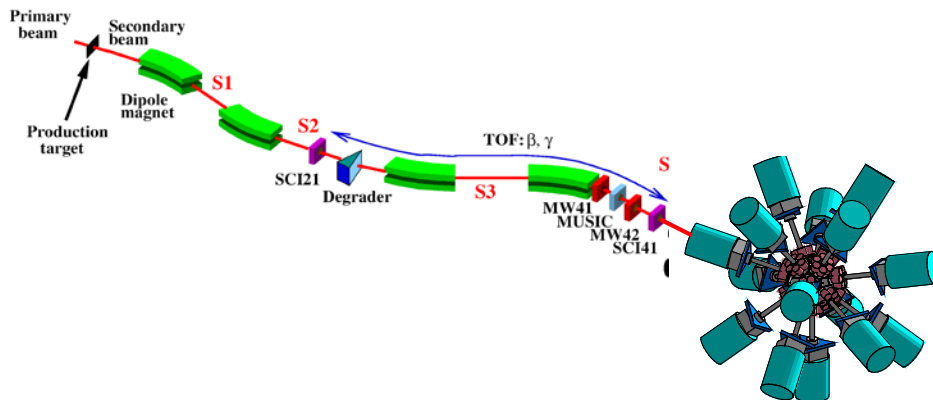
**Efficiency:** 43% ( $M_\gamma=1$ ) 28% ( $M_\gamma=30$ )

**P/T:** 58% ( $M_\gamma=1$ ) 49% ( $M_\gamma=30$ )

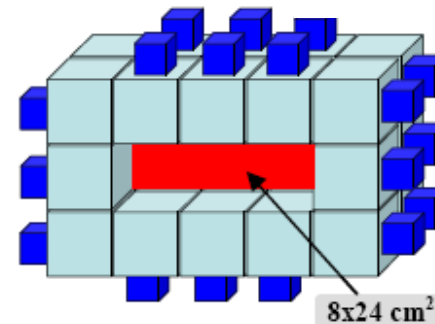
**Angular resolution:**  $\sim 1^\circ$

**FWHM** (1 MeV,  $v/c=50\%$ )  $\sim 6$  keV

## Decay $\gamma$ -ray spectroscopy after implantation $\rightarrow$ DESPEC

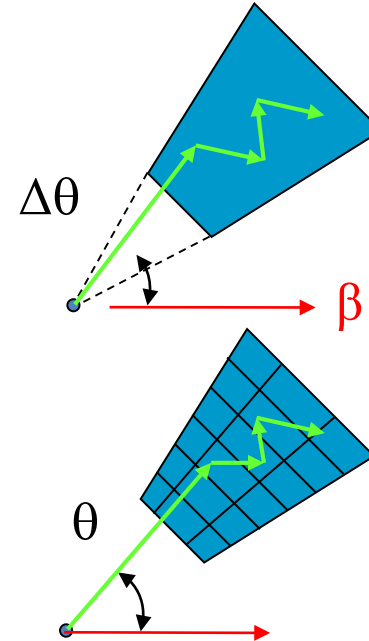
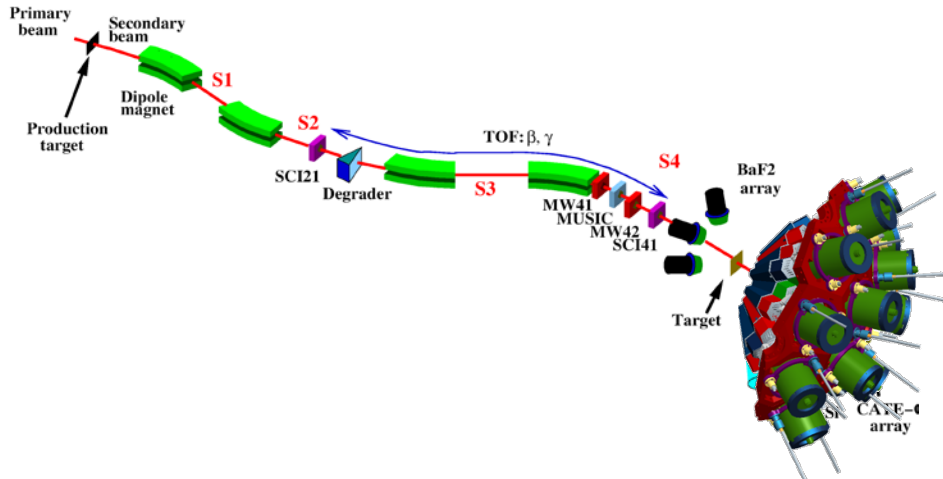


## DESPEC



# $\gamma$ -ray spectroscopy with 3D position sensitive HPGe detectors

## In flight $\gamma$ -ray spectroscopy

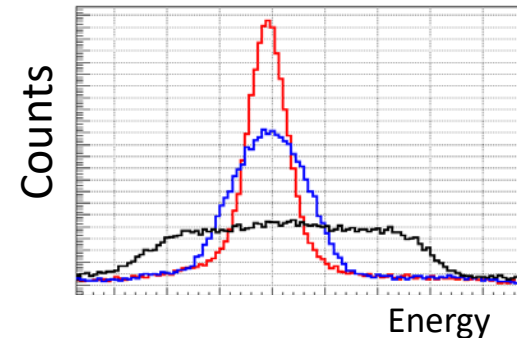
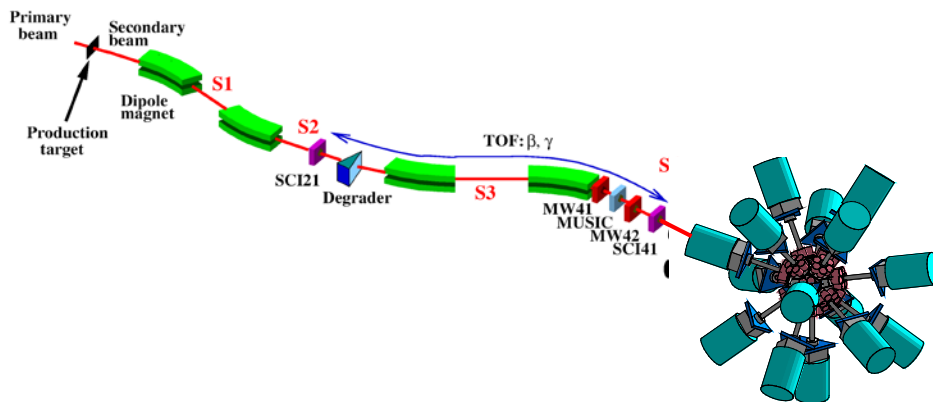


$$E_{\gamma} = E_{\gamma}^0 \frac{\sqrt{1-\beta^2}}{1-\beta \cos \theta}$$

$$\Delta E_{\gamma} = E_{\gamma}^0 \beta \sin \theta \Delta \theta$$

Via *tracking* it becomes possible to determine the incident angle and preserve the good energy resolution.

## Decay $\gamma$ -ray spectroscopy after implantation



$E_{\gamma} = 1.3 \text{ MeV}$

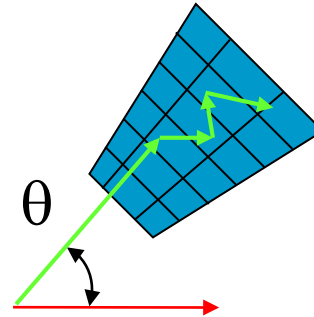
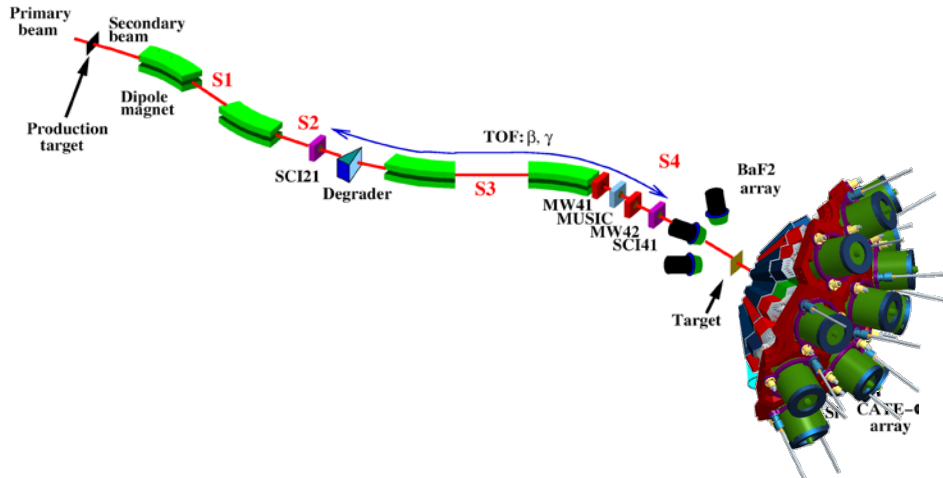
**PSA = 5 keV**

**Segment = 12 keV**

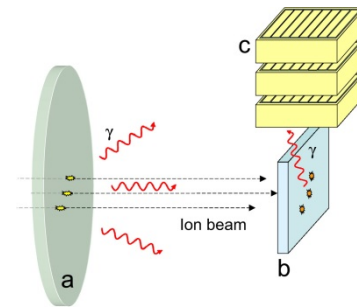
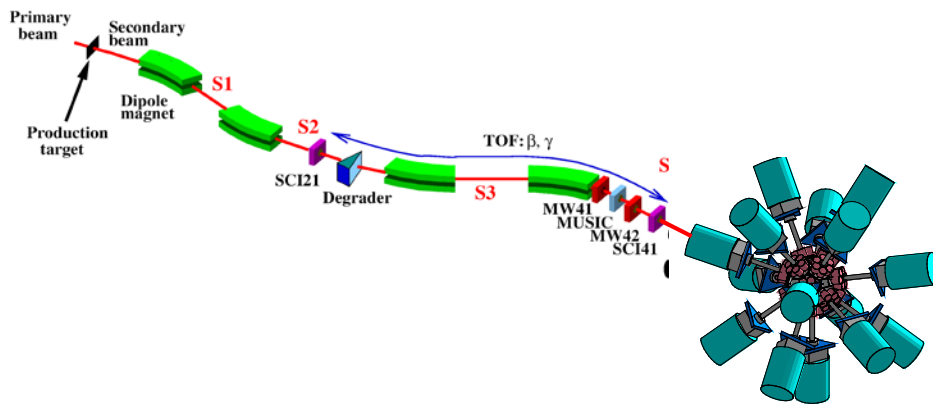
**Detector = 35 keV**

# $\gamma$ -ray spectroscopy with 3D position sensitive HPGe detectors

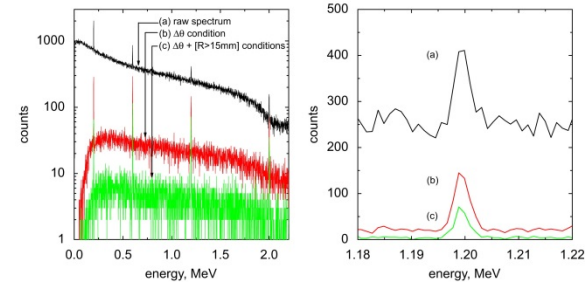
## In flight $\gamma$ -ray spectroscopy



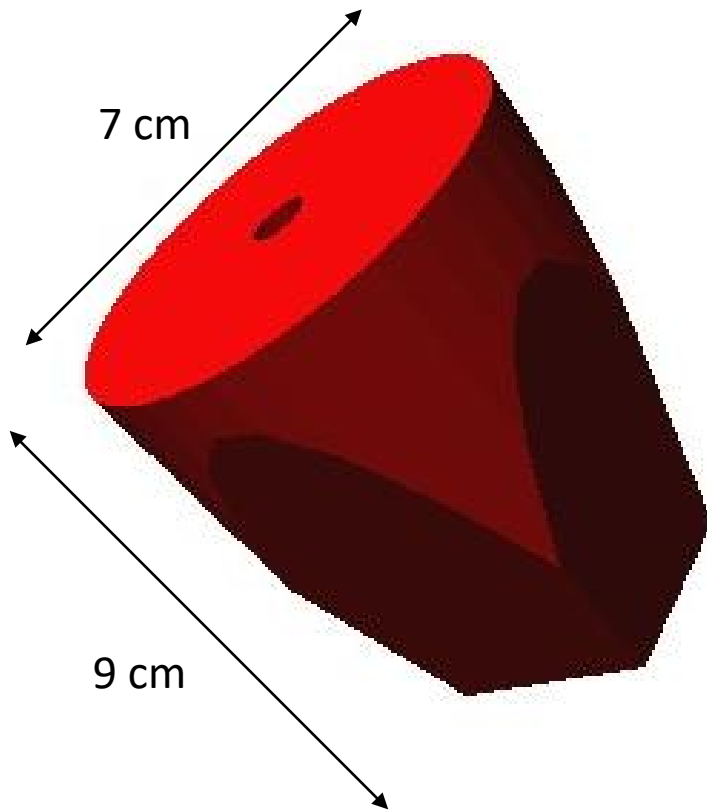
## Decay $\gamma$ -ray spectroscopy after implantation



*Background suppression* and P/T can be improved by applying imaging techniques.



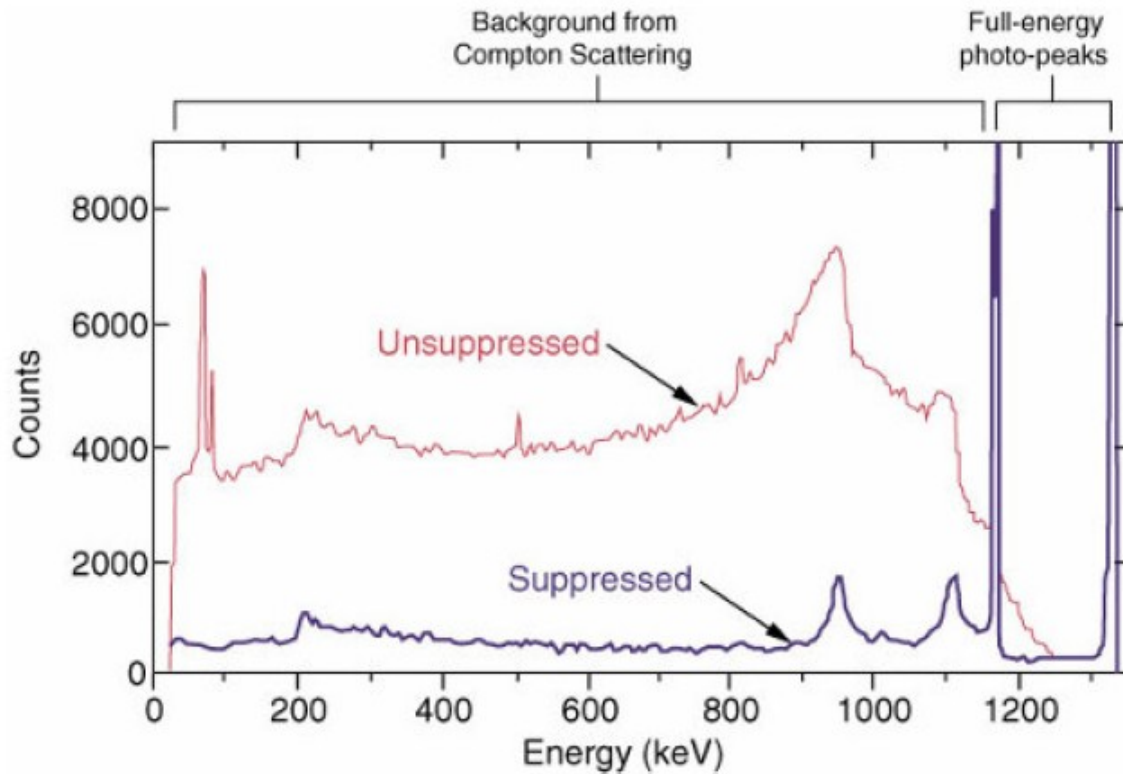
# HPGe detector



# Compton suppressed Germanium detector

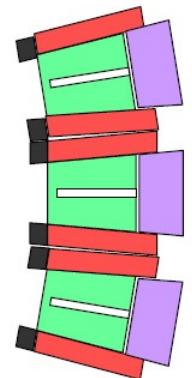
## Interaction in a Ge crystal:

- **Photo effect** (low  $\gamma$ -ray energy)
- **Compton scattering** (medium  $\gamma$ -ray energy)
- **Pair production**  $e^+e^-$  (high  $\gamma$ -ray energy)



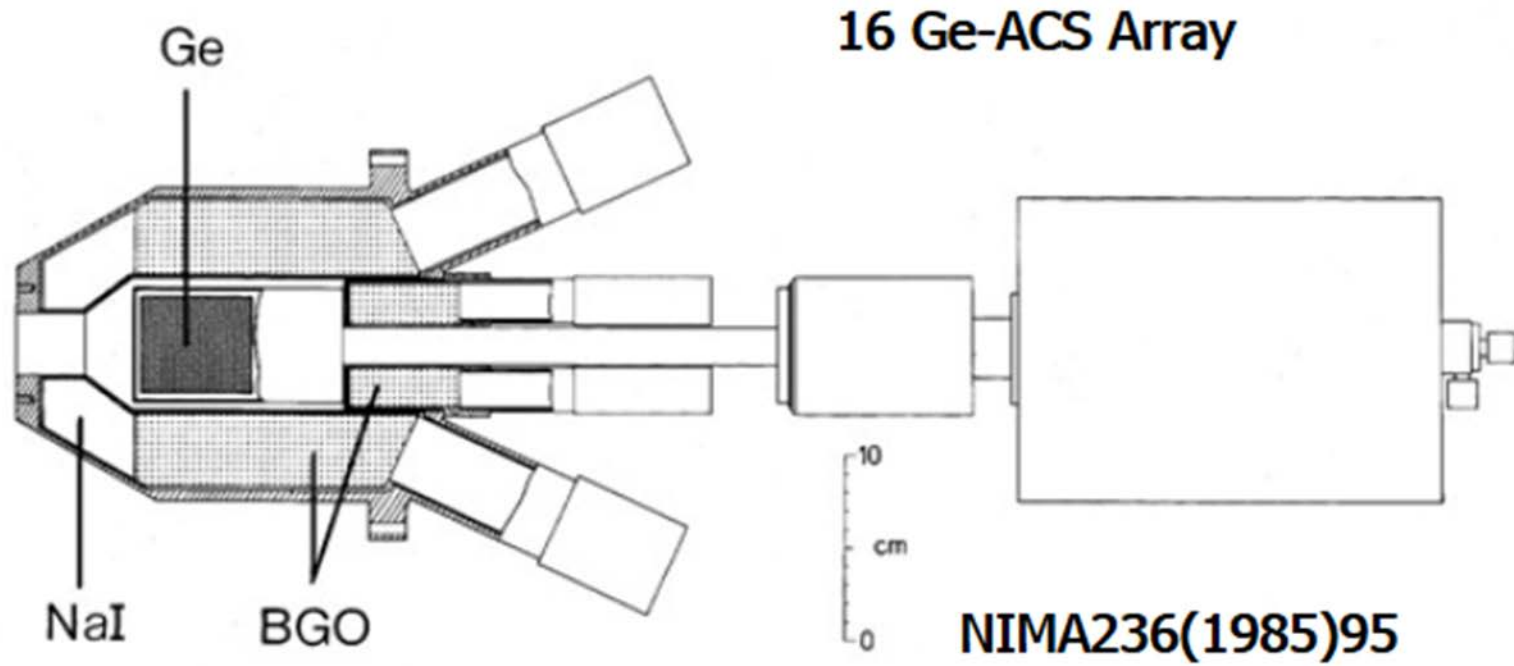
## peak-to-total ratio

- **unsuppressed**  
P/T~0.15
- **Compton suppressed**  
P/T~0.6

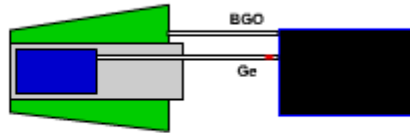




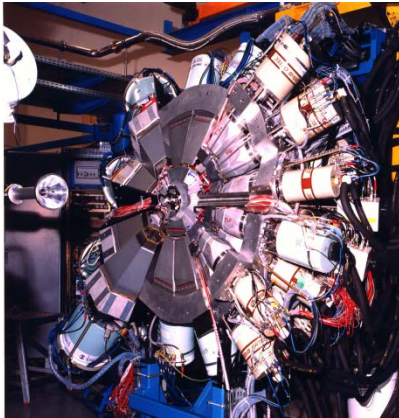
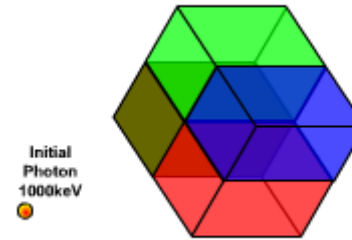
# Compton suppressed Germanium detektor



## Gamma Arrays based on Compton Suppressed Spectrometers



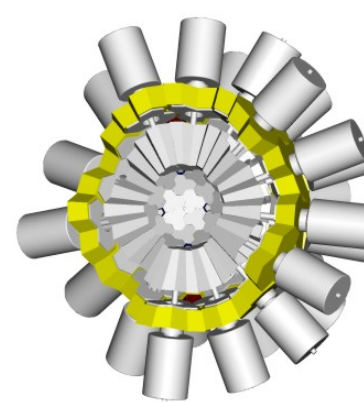
## Tracking Arrays based on Position Sensitive Ge Detectors



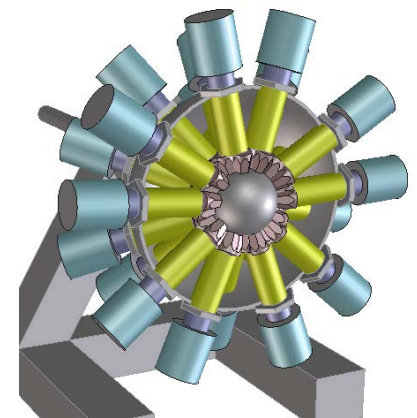
EUROBALL



GAMMASPHERE



AGATA



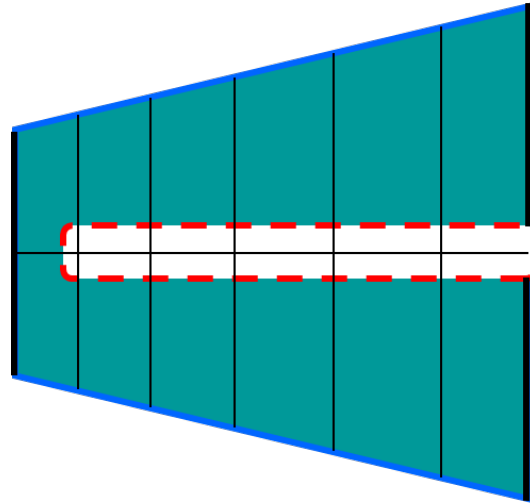
GRETA

**$\epsilon \sim 10 - 7 \%$**   
 ( $M_\gamma = 1 - M_\gamma = 30$ )

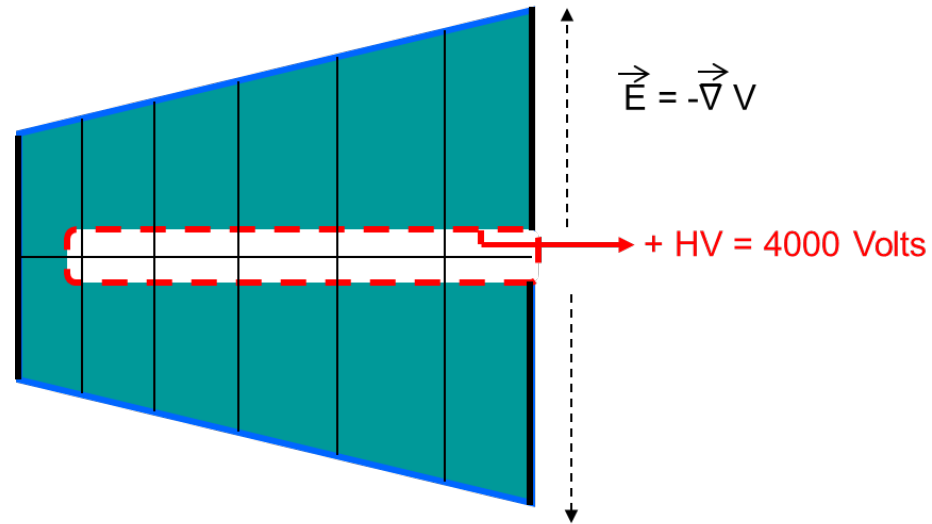


**$\epsilon \sim 50 - 25 \%$**   
 ( $M_\gamma = 1 - M_\gamma = 30$ )

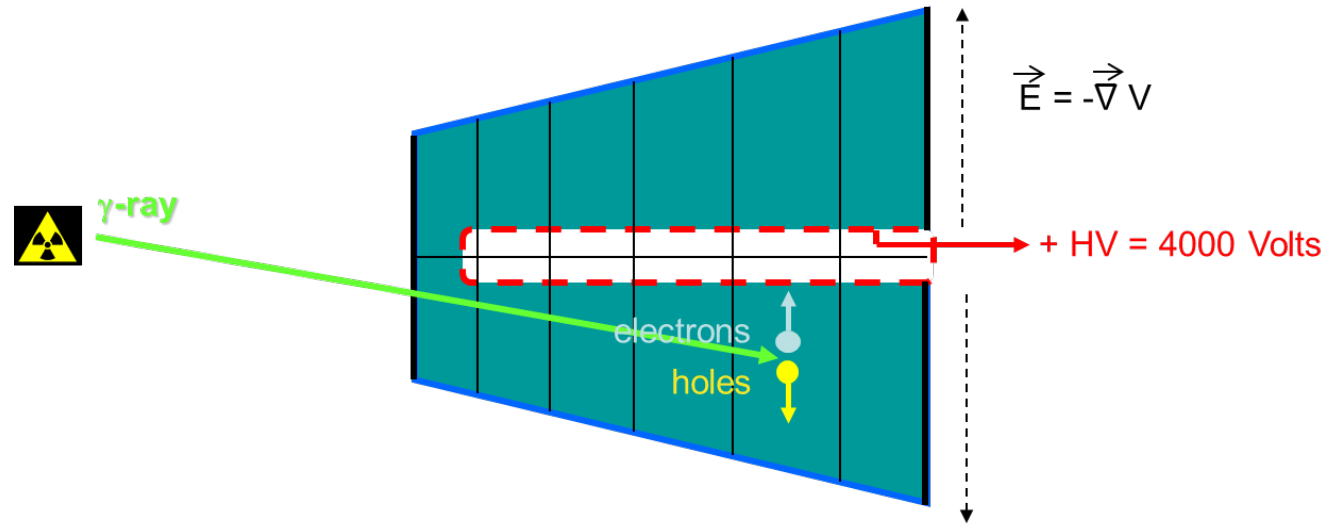
# HPGe detector – working principle



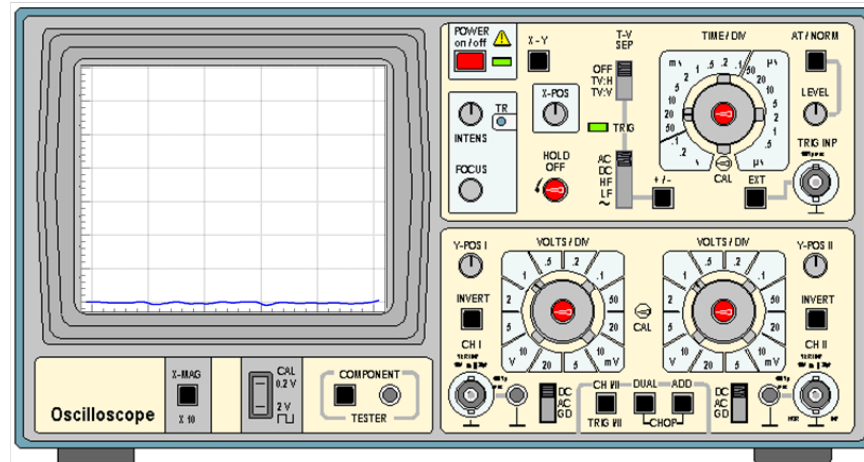
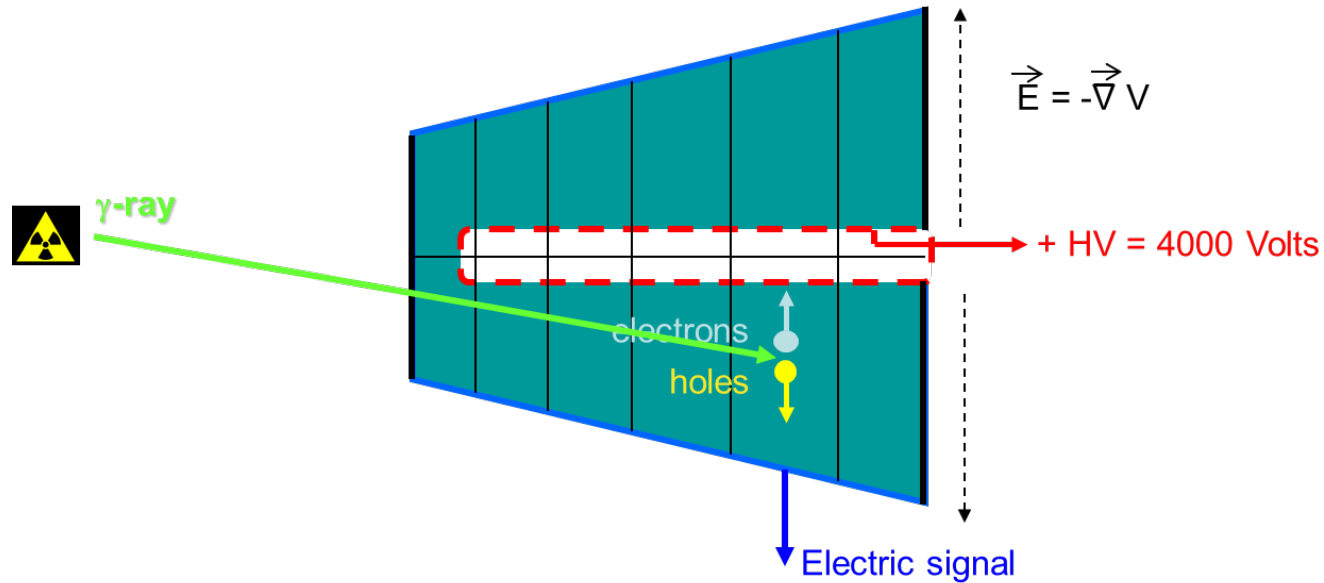
# HPGe detector – working principle



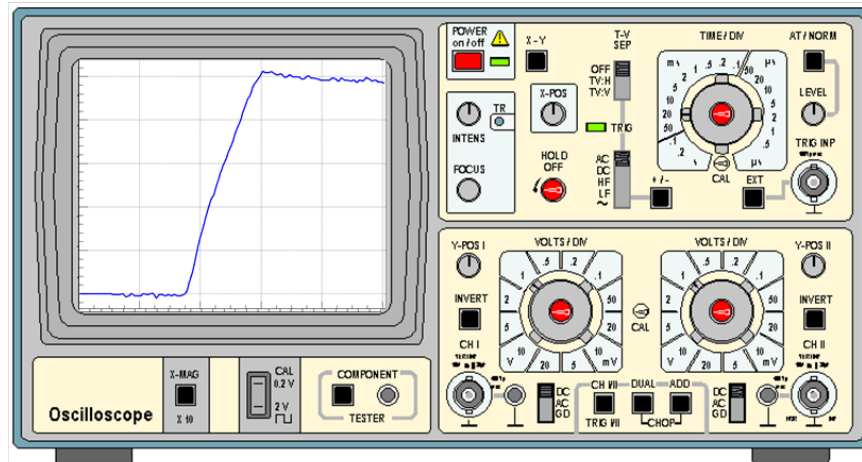
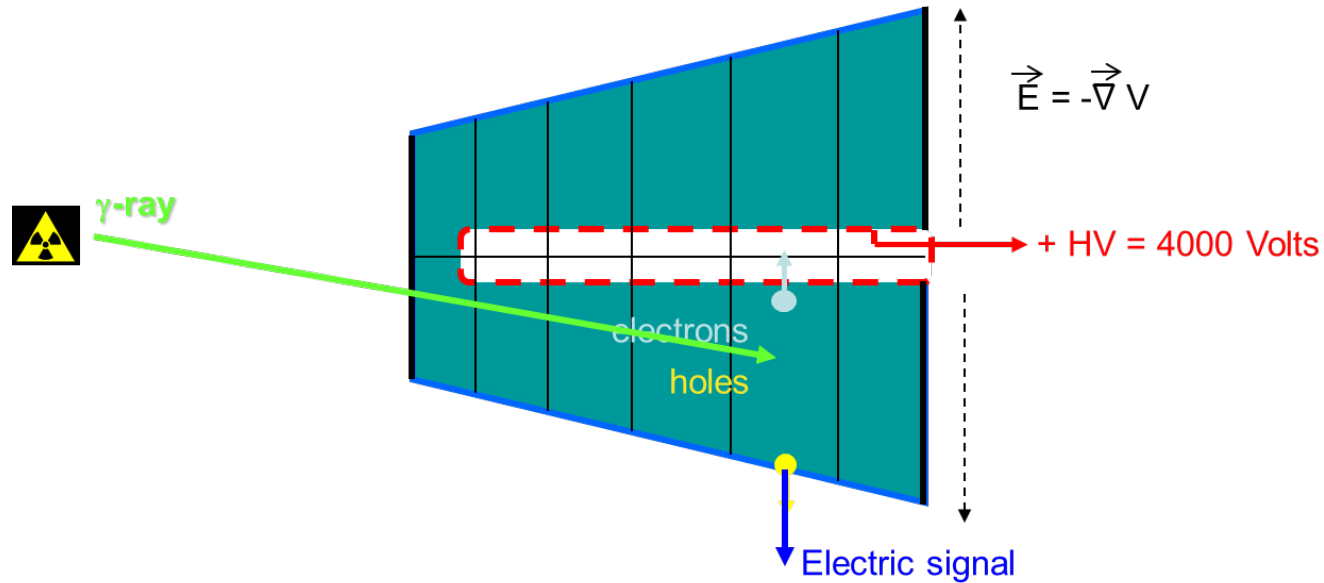
# HPGe detector – working principle



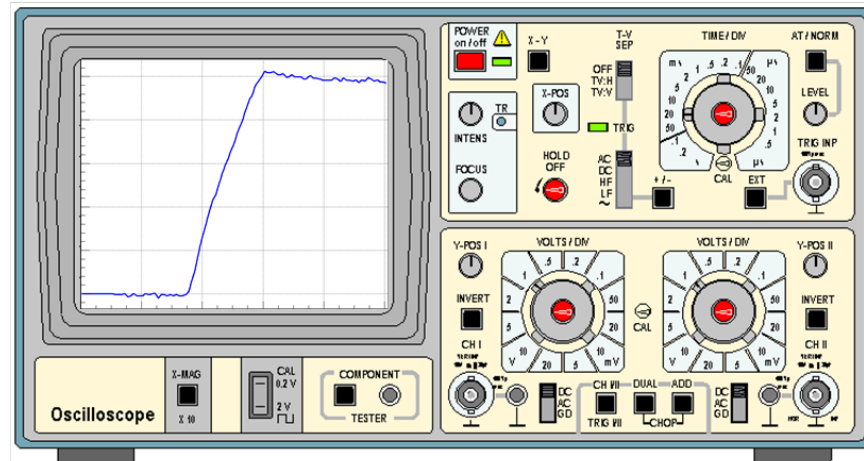
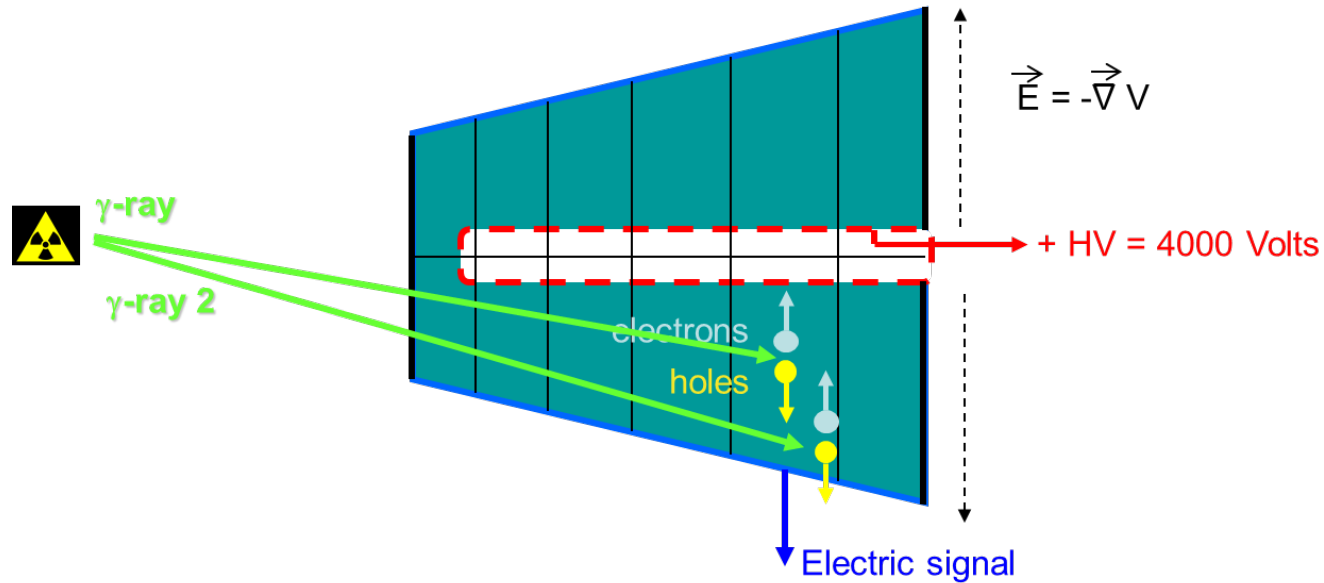
# HPGe detector – working principle



# HPGe detector – working principle

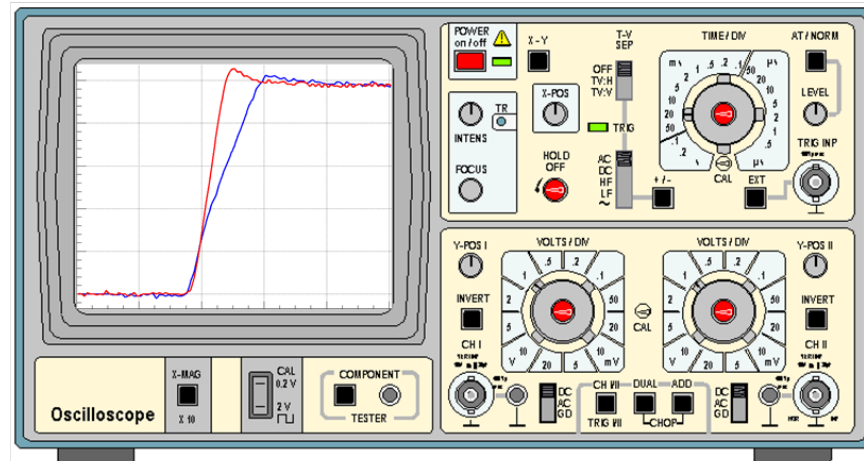
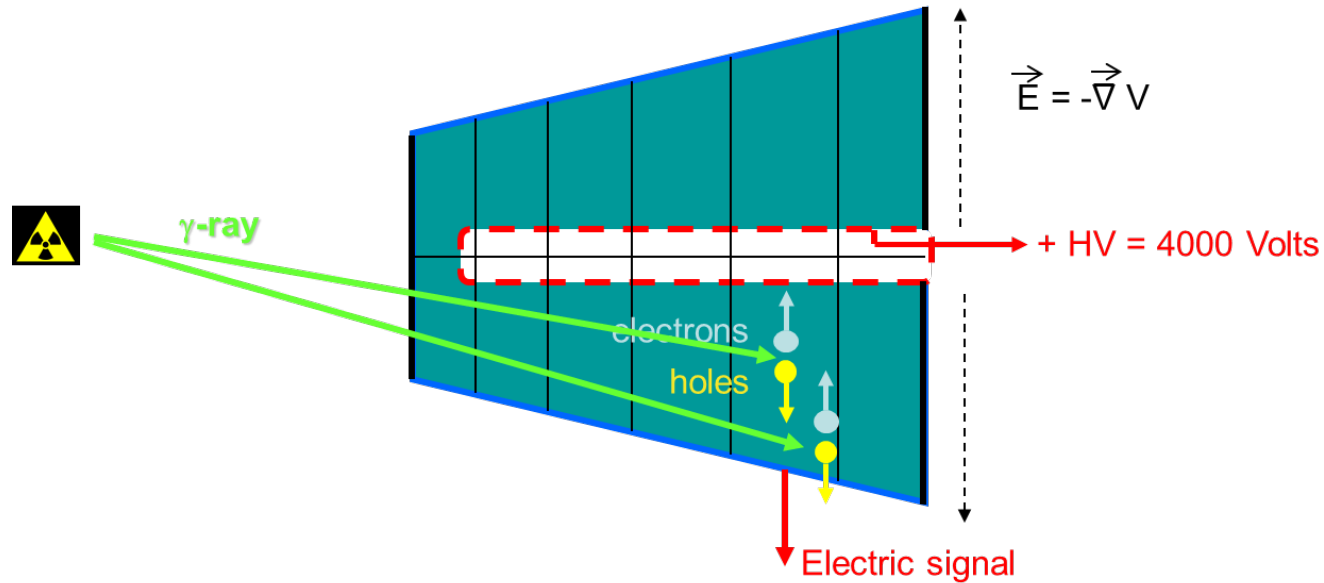


# HPGe detector – position sensitivity



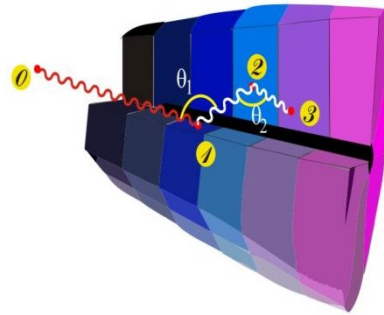


# HPGe detector – position sensitivity



# Ingredients of $\gamma$ -ray tracking

Highly segmented  
HPGe detectors



AGATA:

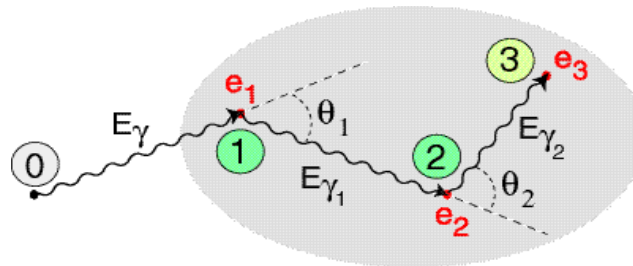
Advanced Gamma Tracking Array

Digital electronics  
to record and  
process segment signals

Pulse Shape Analysis to  
identify the interaction  
position coordinates

$(x, y, z, E)_i$

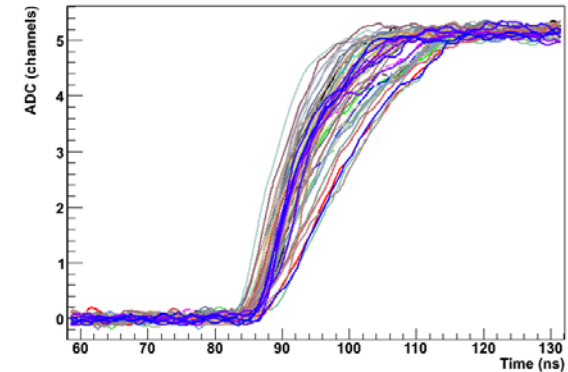
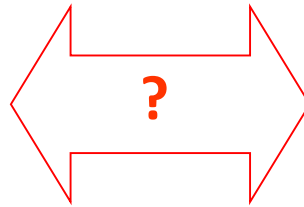
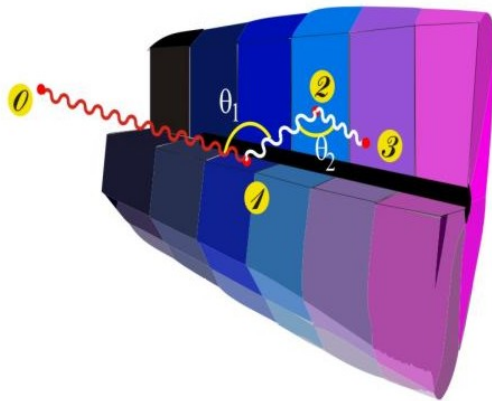
reconstructed  $\gamma$ -rays



Reconstruction of tracks  
e.g. by evaluation of  
permutations  
of interaction points

# Method to characterize the pulse shape of HPGe detectors

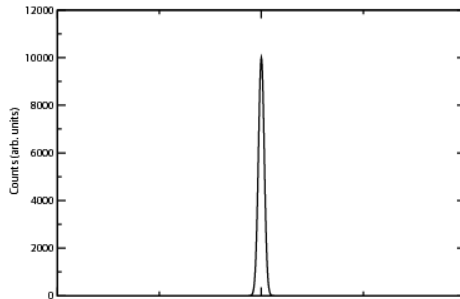
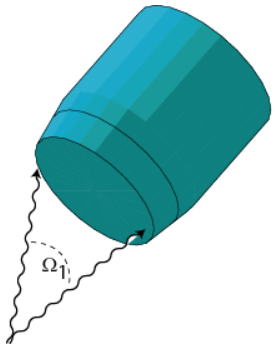
Determine a **data-base of pulse shapes**  $S(x,y,z)$  which allows one to correlate an arbitrarily measured pulse, with an interaction position inside the detector.



How to do this?

Using PET principle in combination with  $\gamma$ -ray imaging techniques !

# Doppler effect - Efficiency versus energy resolution



- With a source at rest, the intrinsic resolution of the detector can be reached.
- Efficiency decreases with the increasing detector-source distance.

With a moving source also the effective energy resolution depends on the detector-source distance (Doppler effect)

Small  $d$   
Large  $d$



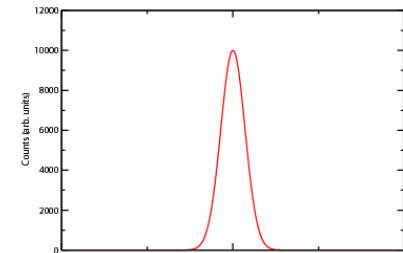
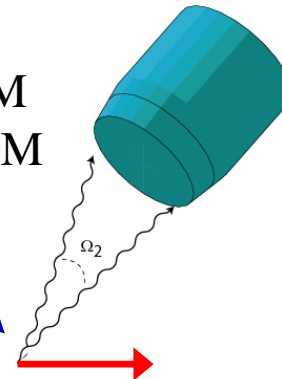
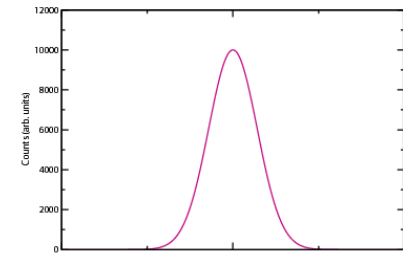
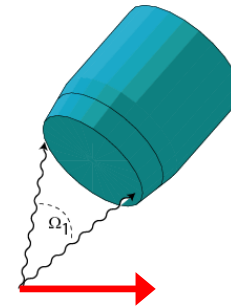
Large  $\Omega$   
Small  $\Omega$



High  $\epsilon$   
Low  $\epsilon$



Poor FWHM  
Good FWHM



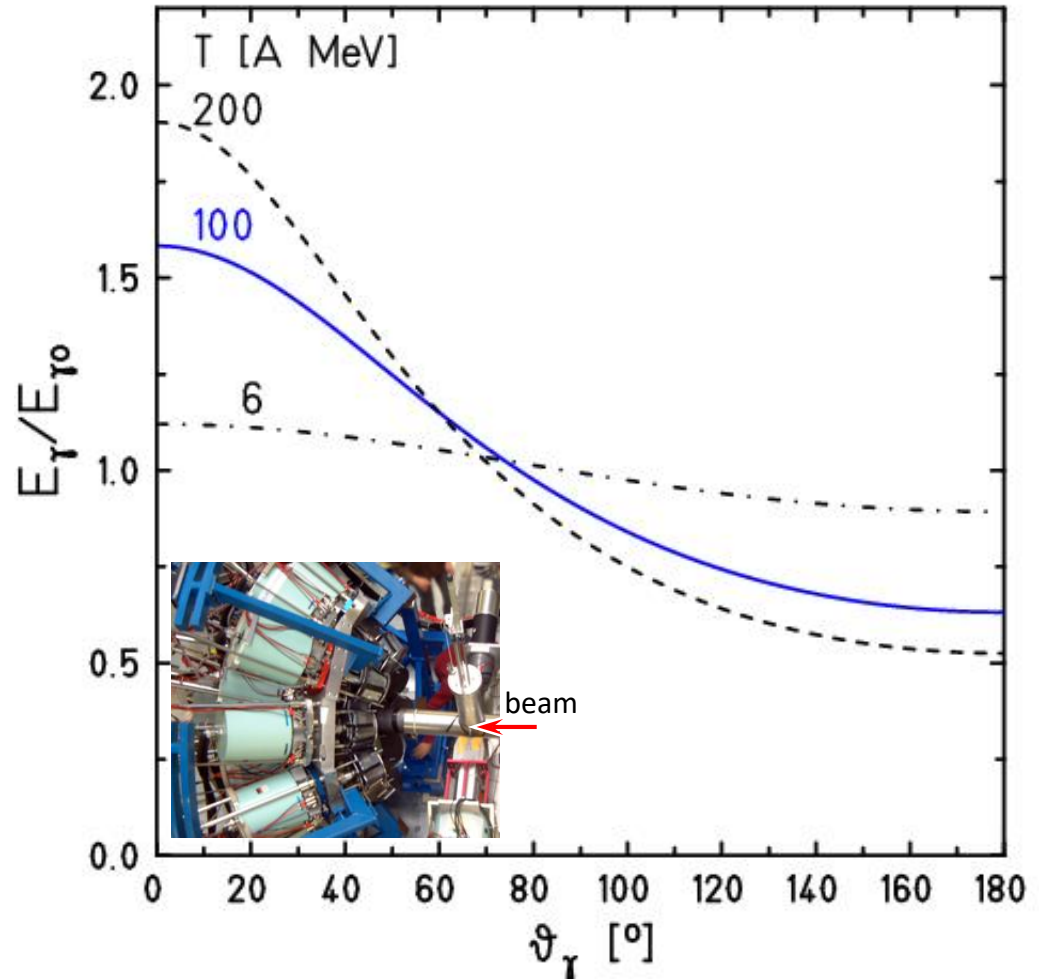
# Doppler effect at relativistic energies

$$\frac{E_{\gamma 0}}{E_{\gamma}} = \frac{1 - \beta \cdot \cos \vartheta_{\gamma}^{lab}}{\sqrt{1 - \beta^2}}$$

for  $\vartheta_p \cong 0^{\circ}$

Lorentz boost:

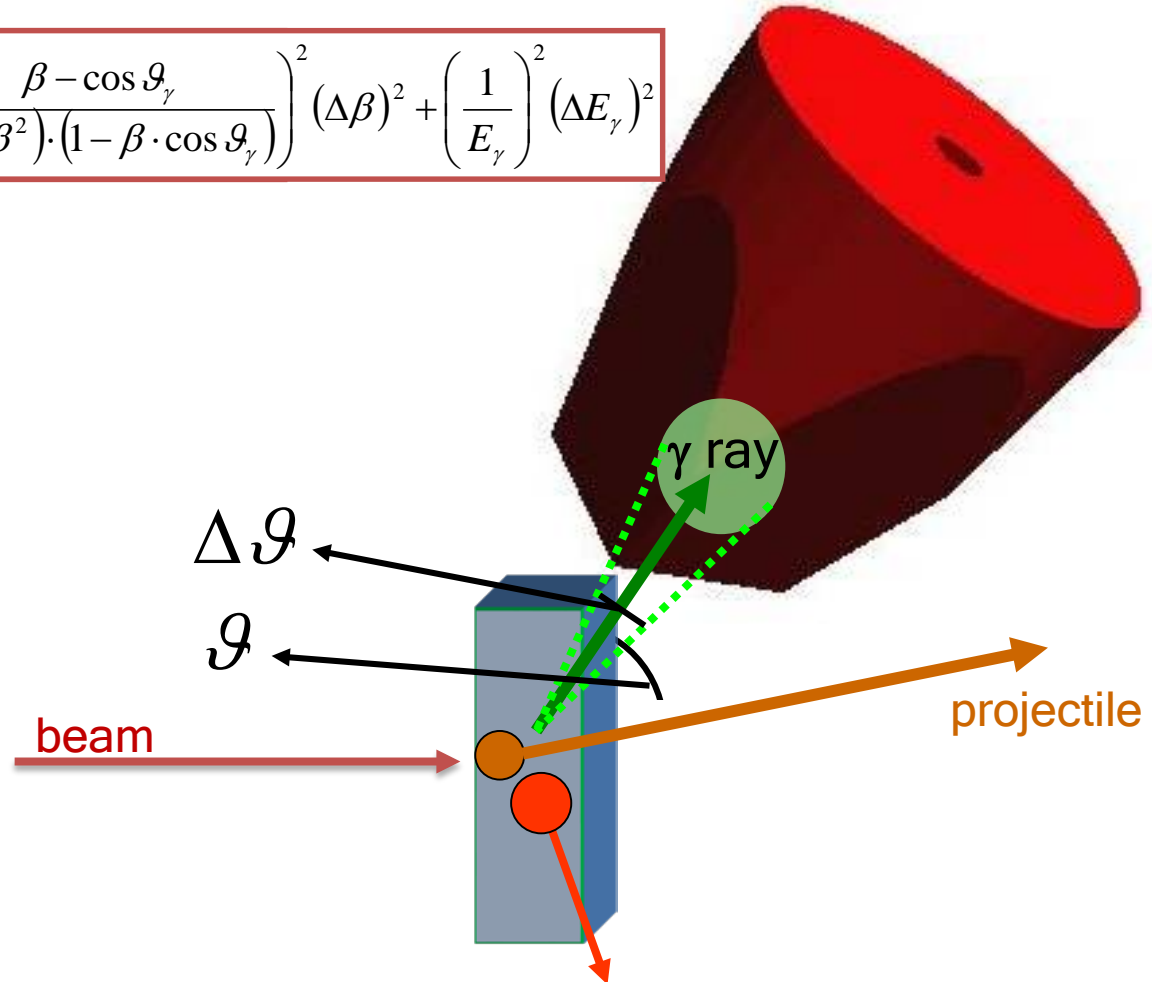
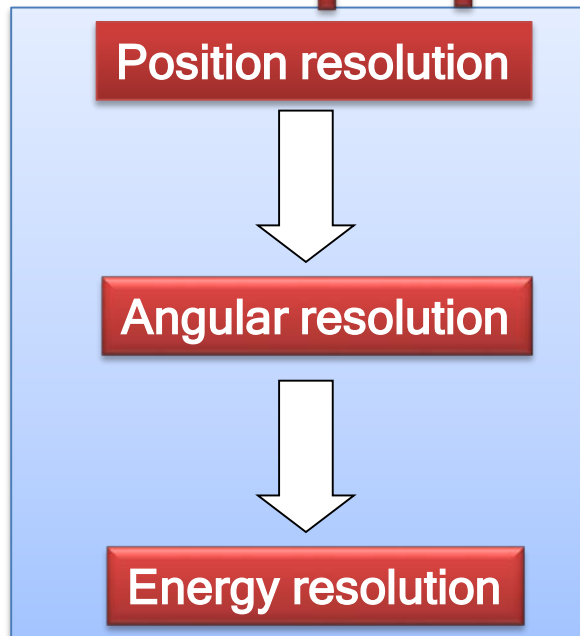
$$\frac{d\Omega_{rest}}{d\Omega_{lab}} = \left( \frac{E_{\gamma}}{E_{\gamma 0}} \right)^2$$



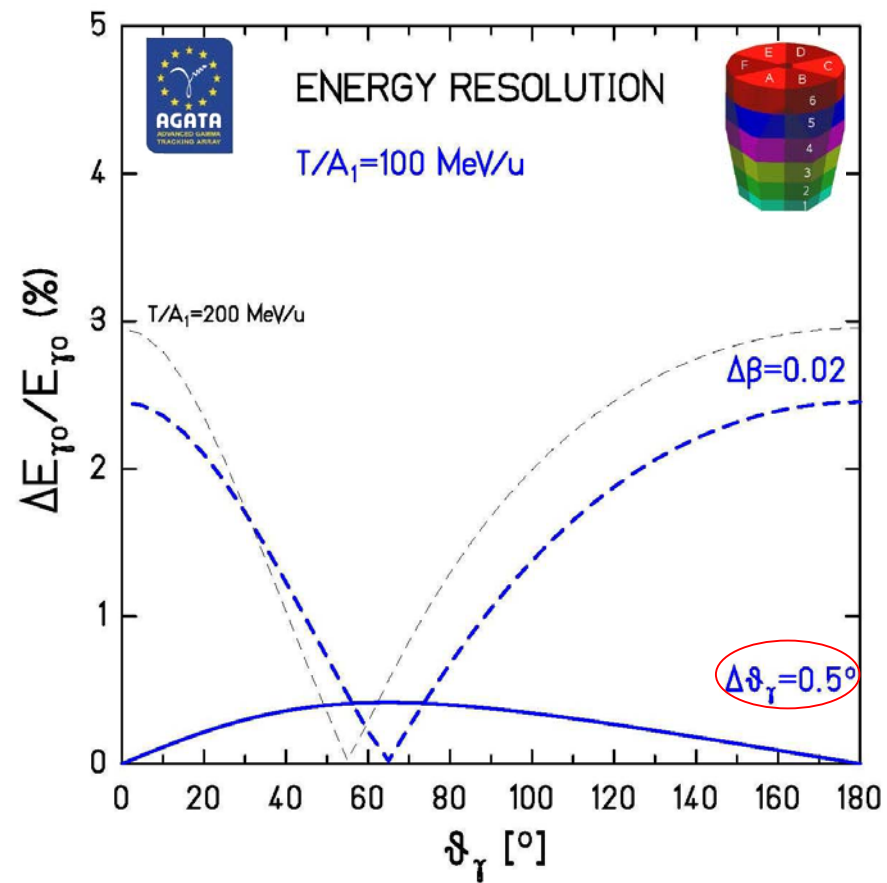
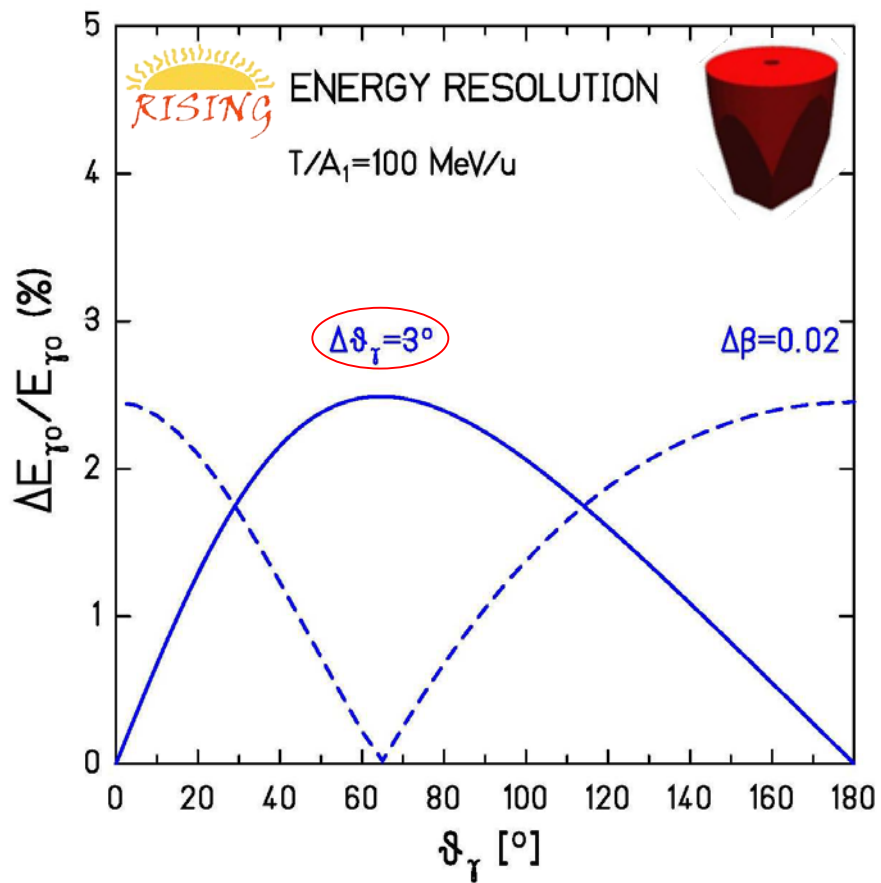
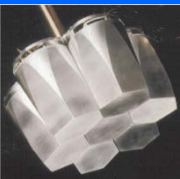
# Doppler broadening and position resolution

$$E_{\gamma 0} = E_{\gamma} \frac{1 - \beta \cdot \cos \vartheta_{\gamma}}{\sqrt{1 - \beta^2}} \quad (\beta, \vartheta_p = 0^{\circ}, \vartheta_{\gamma} \text{ and } E_{\gamma} \text{ in lab-frame})$$

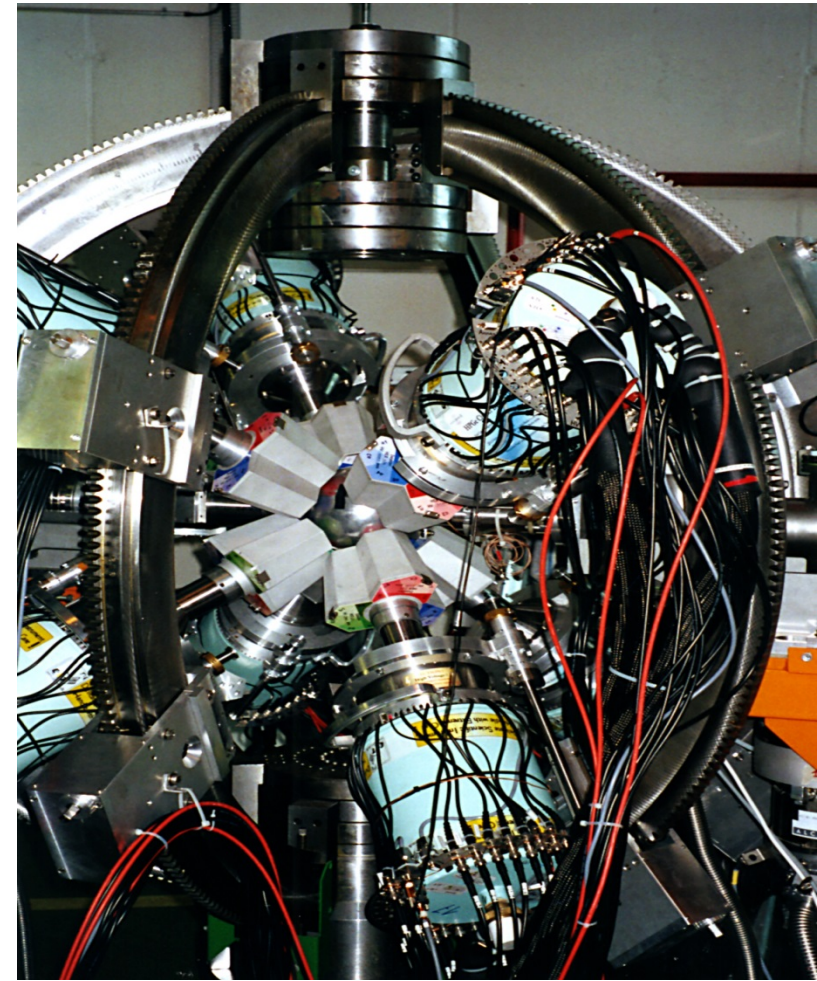
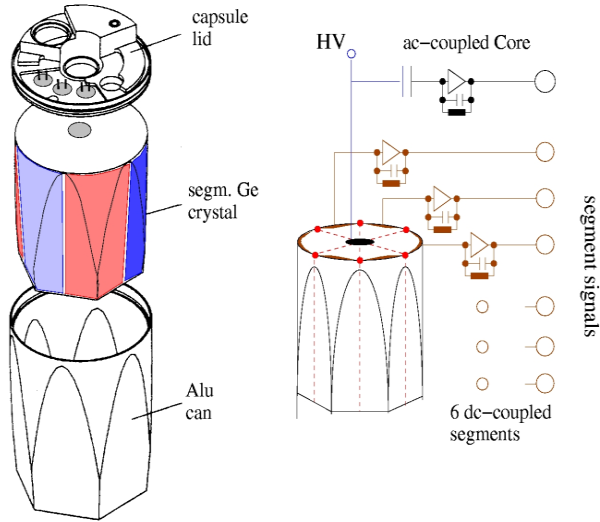
$$\left(\frac{\Delta E_{\gamma 0}}{E_{\gamma 0}}\right)^2 = \left(\frac{\beta \cdot \sin \vartheta_{\gamma}}{1 - \beta \cdot \cos \vartheta_{\gamma}}\right)^2 (\Delta \vartheta_{\gamma})^2 + \left(\frac{\beta - \cos \vartheta_{\gamma}}{(1 - \beta^2) \cdot (1 - \beta \cdot \cos \vartheta_{\gamma})}\right)^2 (\Delta \beta)^2 + \left(\frac{1}{E_{\gamma}}\right)^2 (\Delta E_{\gamma})^2$$



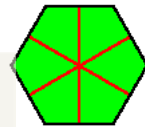
# Doppler broadening



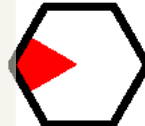
# Miniball



**granularity:**



1



6



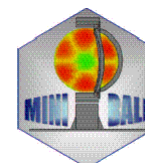
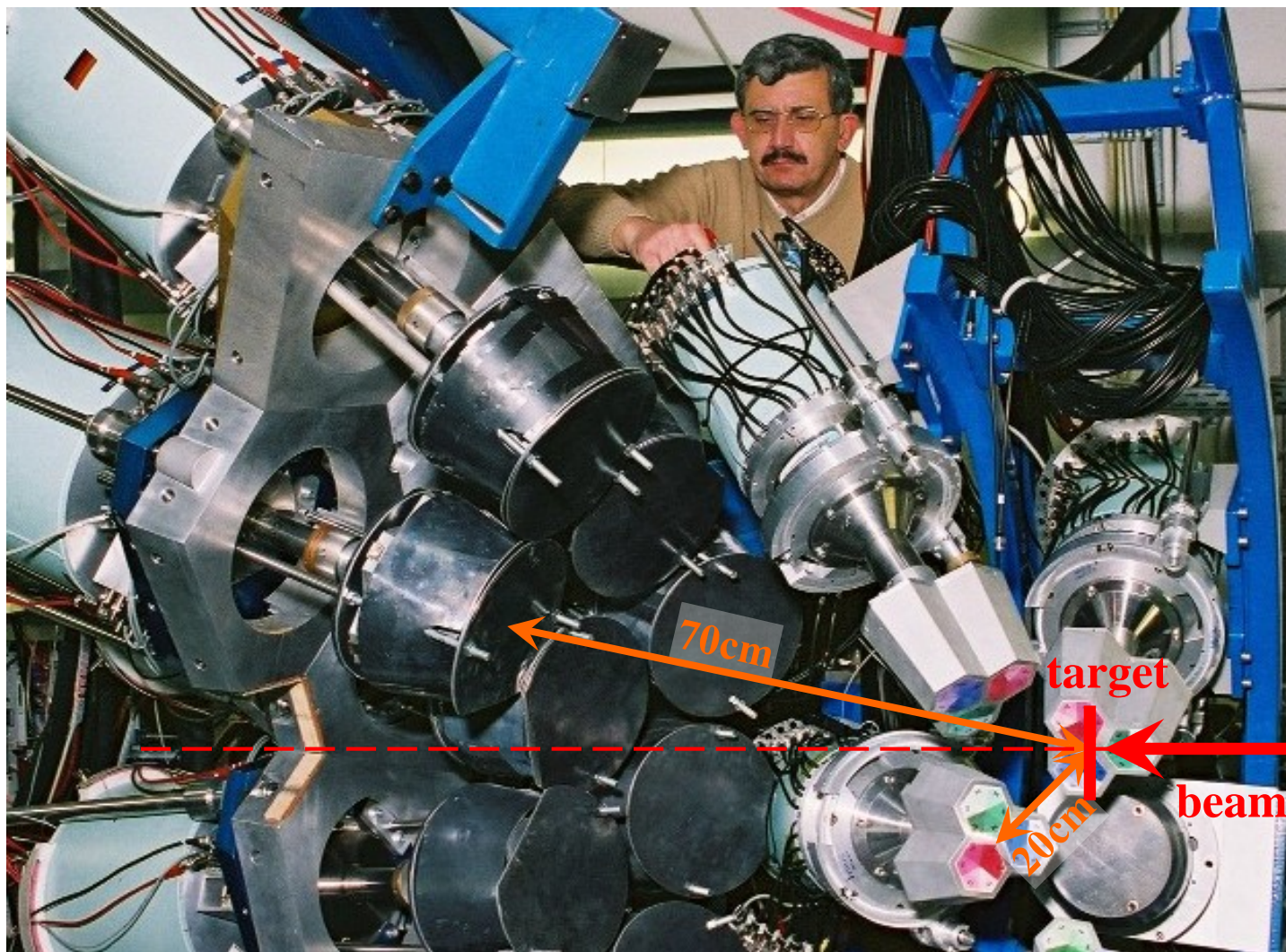
~50-100

- 8 clusters à 3 6-fold segmented crystals
- total MINIBALL efficiency ~8% at 1.3 MeV
- digital electronics, on-board online pulse shape analysis (PSA) for better position resolution

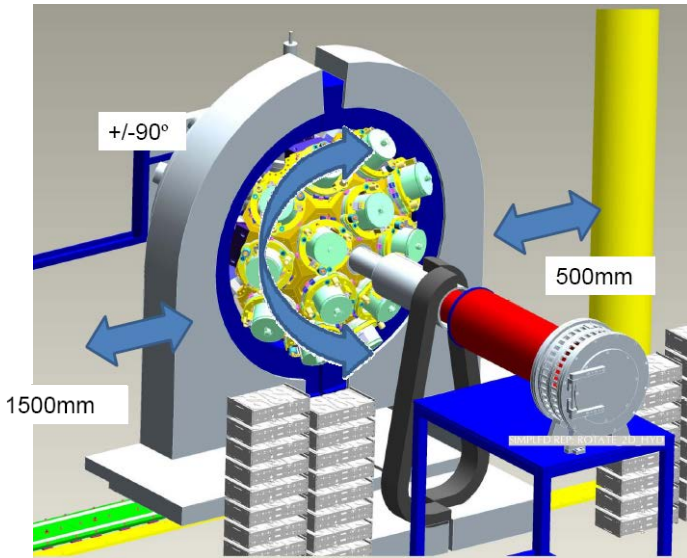




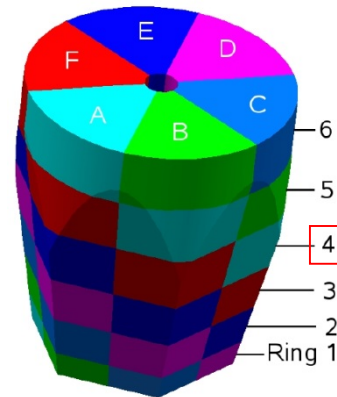
# EUROBALL versus MINIBALL detectors



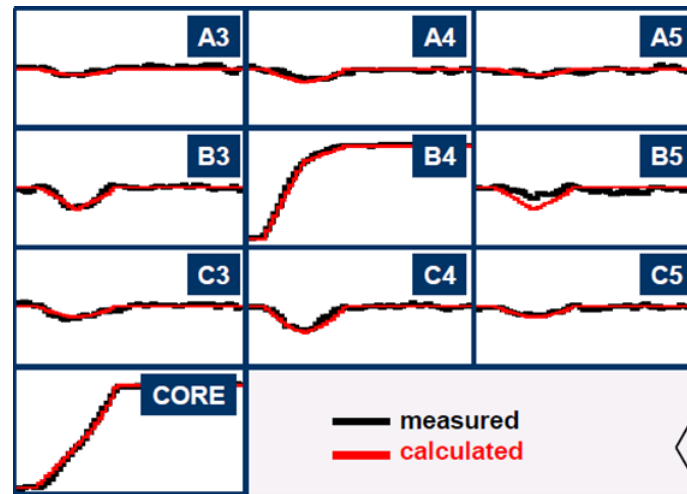
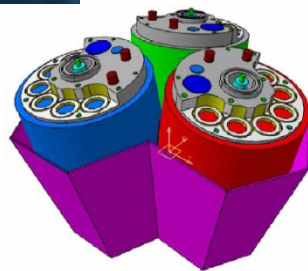
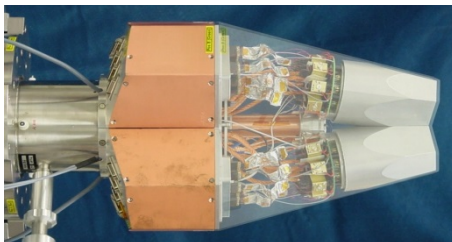
# Advanced GAMMA Tracking Array



John Strachan

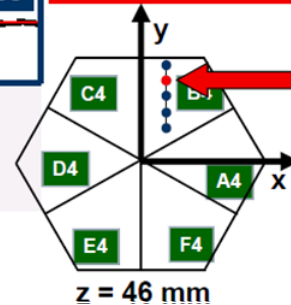


Signals from 36 segments + core are measured as a function of time ( $\gamma$ -ray interaction point)

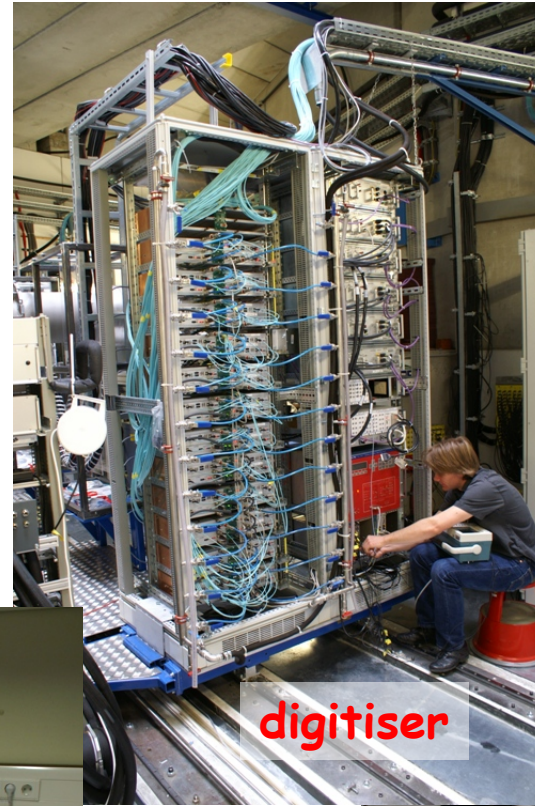


Result of Grid Search Algorithm  
(10, 25, 46)

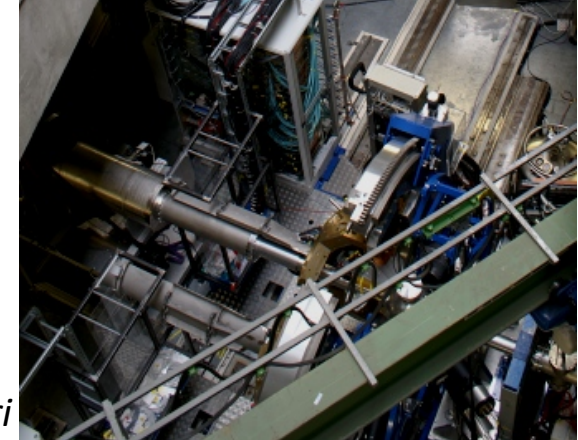
791 keV deposited in segment B4



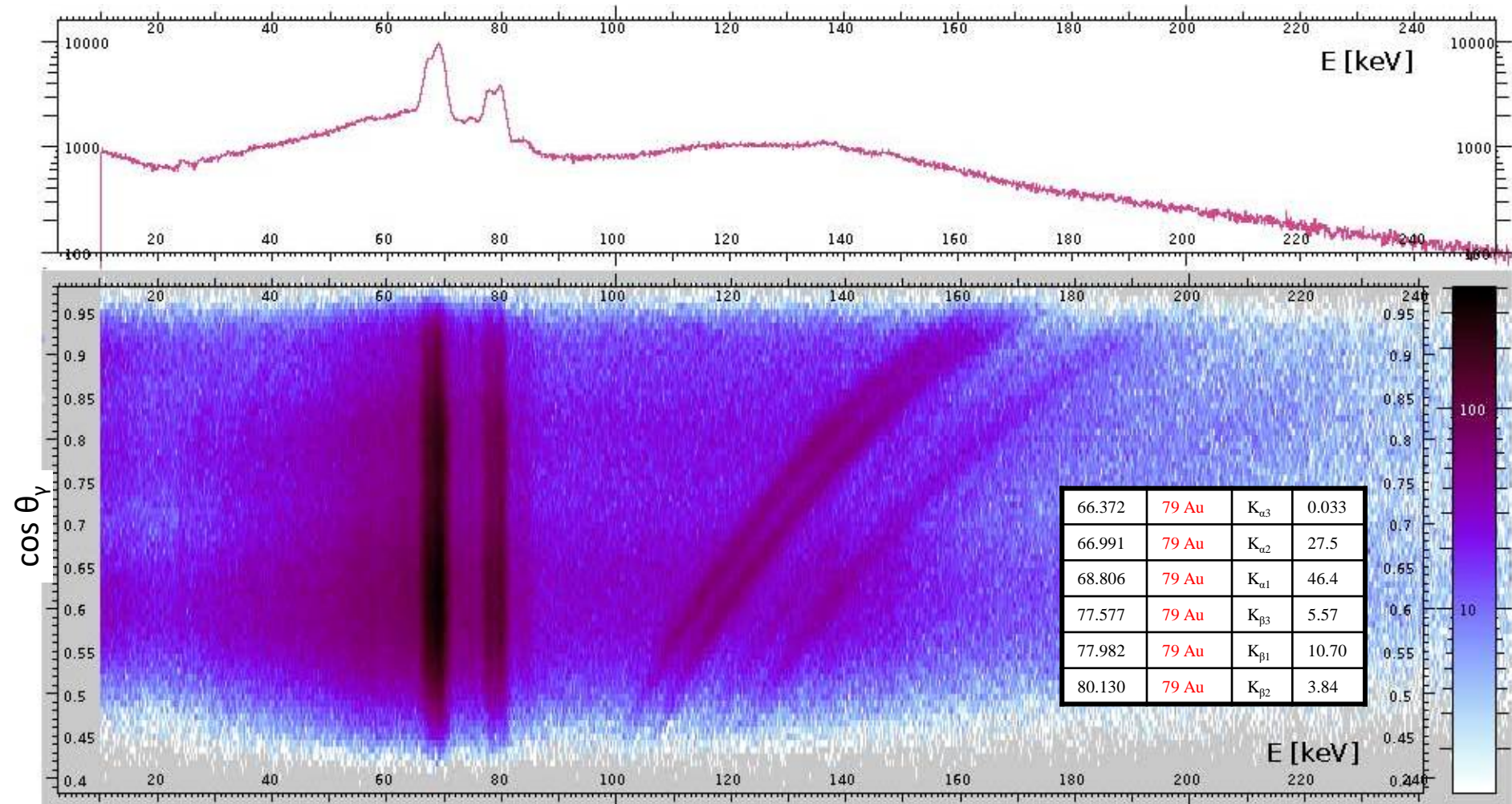
# AGATA at PreSPEC



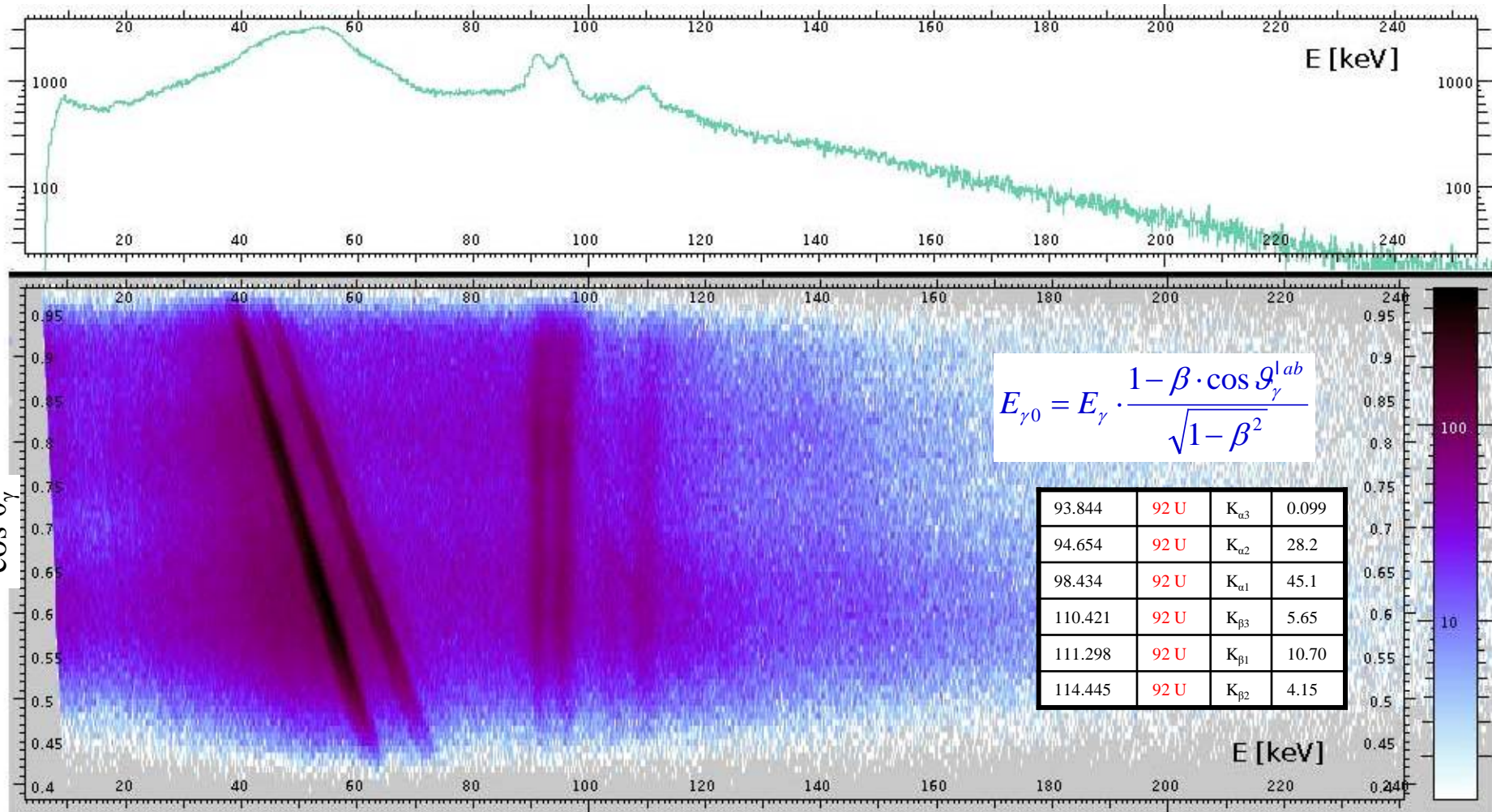
*Damian Ralet,  
Stephane Pietri*



# Doppler-shift correction $^{238}\text{U}$ on $^{197}\text{Au}$ at 183 AMeV

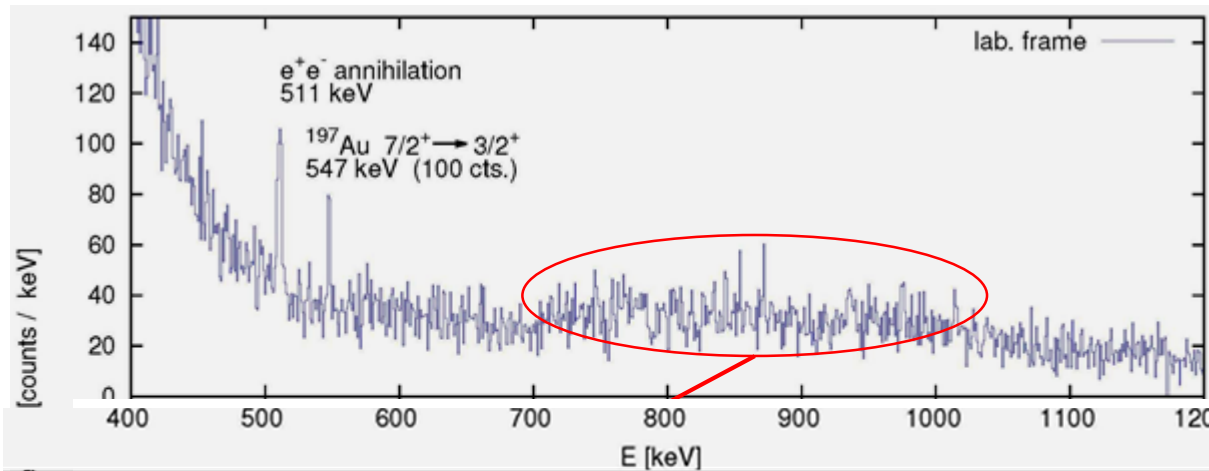


# Doppler-shift correction $^{238}\text{U}$ on $^{197}\text{Au}$ at 183 AMeV



# Scattering experiment at relativistic energies

$^{80}\text{Kr} \rightarrow ^{197}\text{Au}$ , 150 A MeV

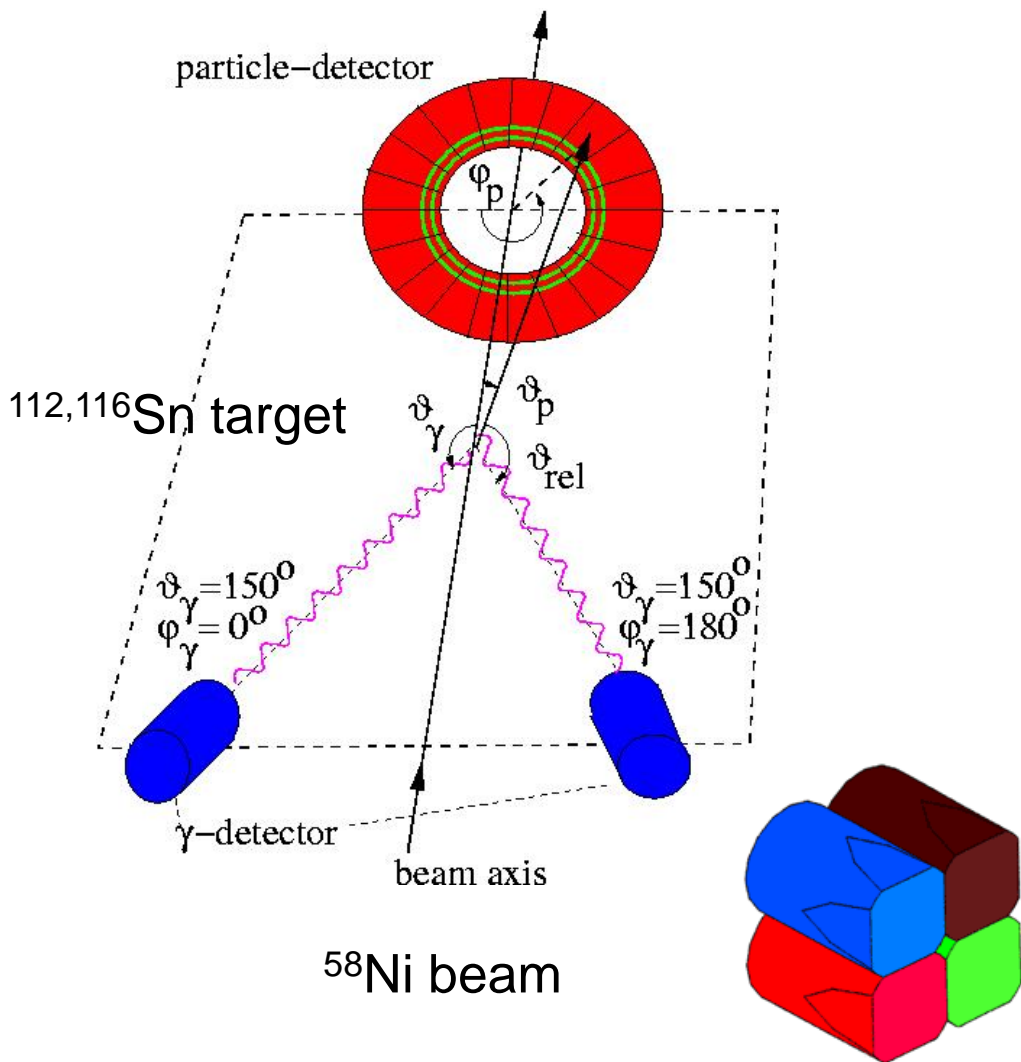


Doppler effect



$$\frac{E_{\gamma 0}}{E_{\gamma}} = \frac{1 - \beta \cdot \cos \vartheta_{\gamma}^{lab}}{\sqrt{1 - \beta^2}}$$

# Coulomb excitation experiment at IUAC

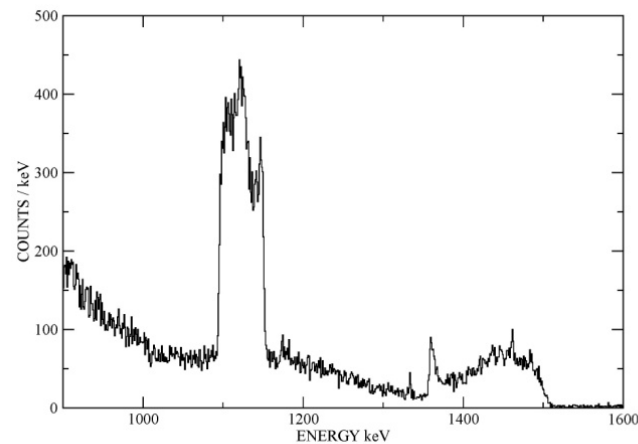


$^{58}\text{Ni} \rightarrow \text{Sn}$  at 175MeV

$\gamma$ -efficiency = 0.005  
 accelerator duty factor=100%

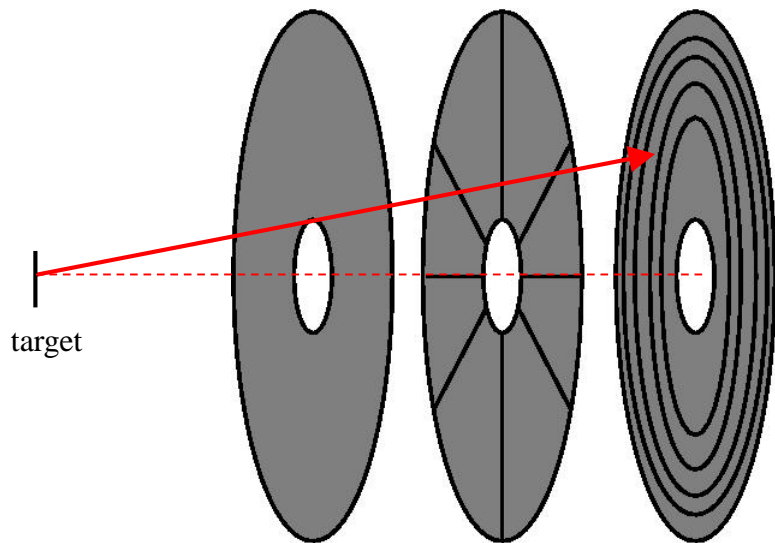
beam intensity = 0.5pA  
 target thickness = 0.2mg/cm<sup>2</sup>

**py-rate (Sn) = 1/s**



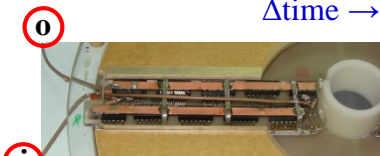
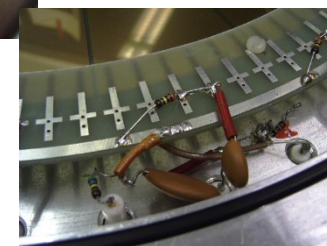
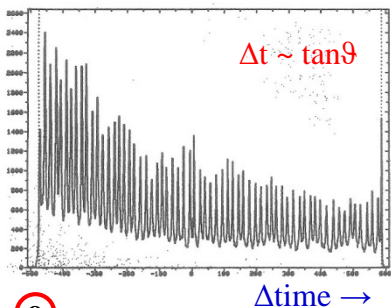
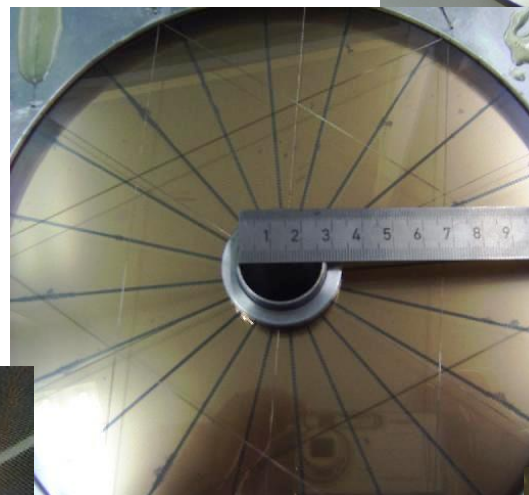
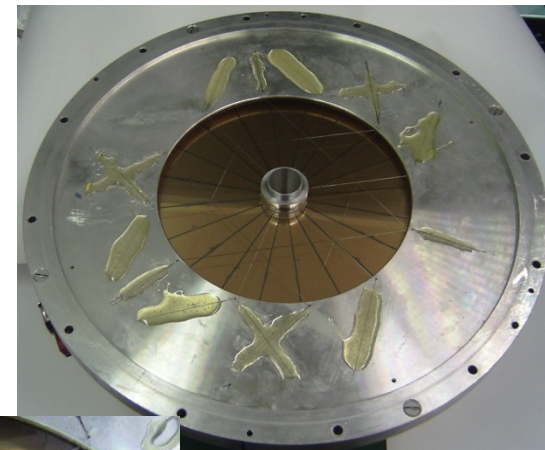
$\gamma$ -ray spectrum

# Position sensitive proportional counter



entrance window  $\sim \varphi_{lab}$   $\sim \tan\vartheta_{lab}$

$V_0 \sim 500$  V  
 $p = 5-10$  Torr  
 $\sim 3$  mm gap anode-cathode



delay line

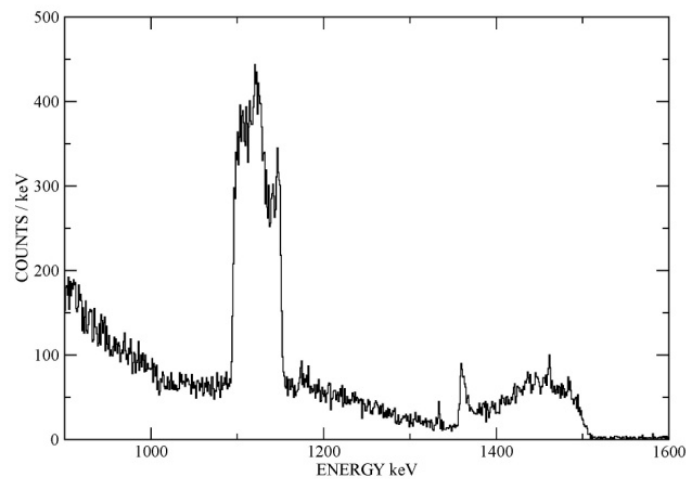
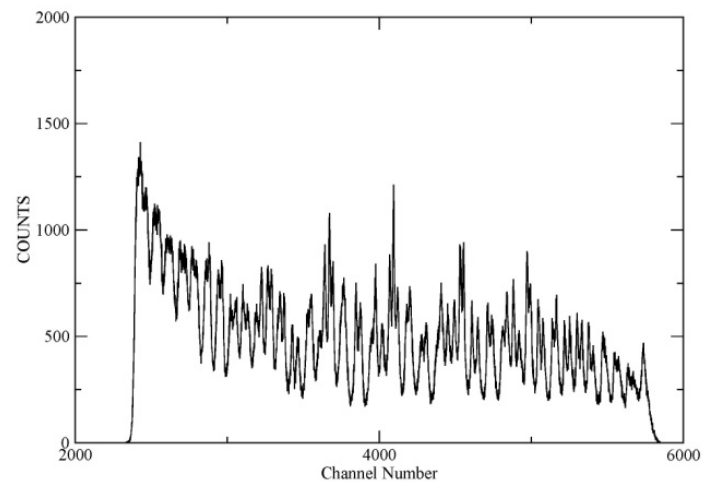


# Position sensitive proportional counter



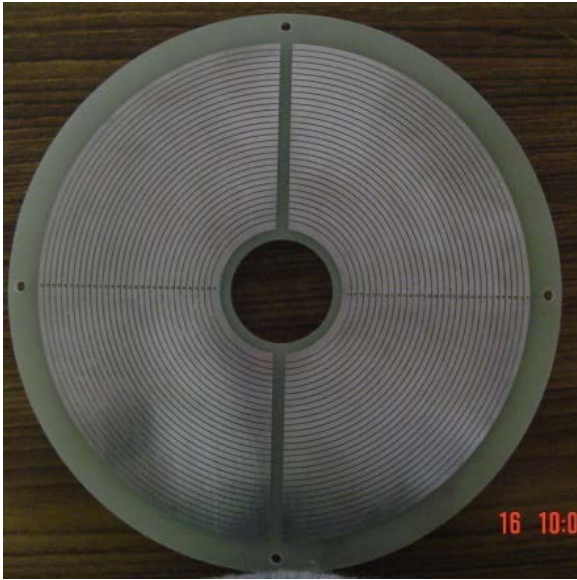
$$\sim \tan \vartheta_{\text{lab}}$$

Delay Line Spectrum (Left Half)

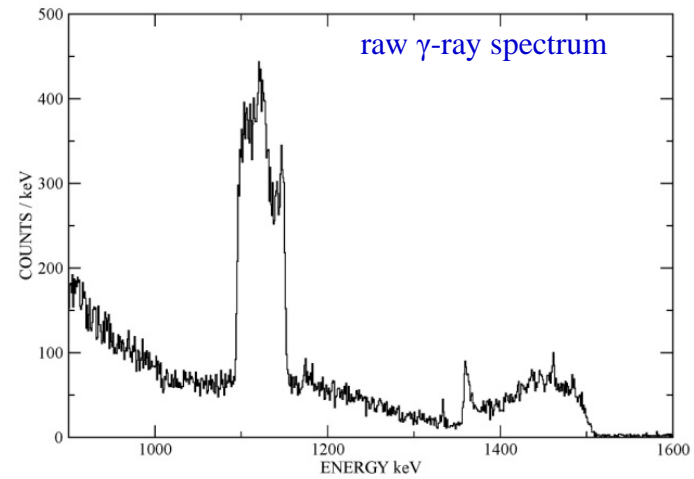


raw  $\gamma$ -ray spectrum

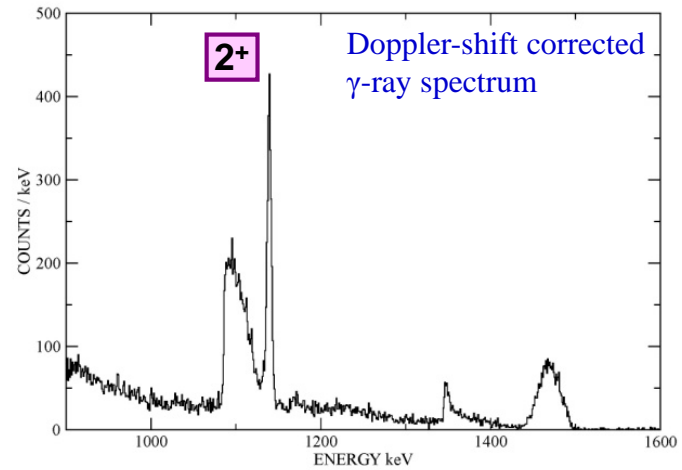
# Position sensitive proportional counter



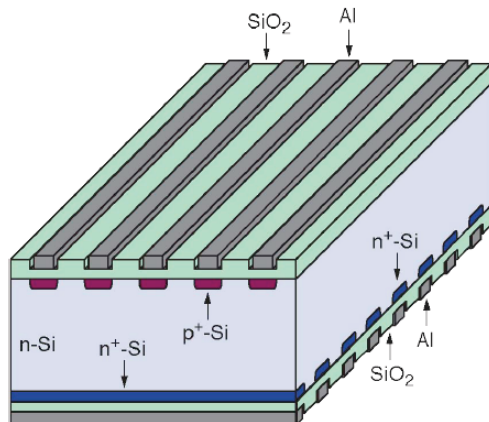
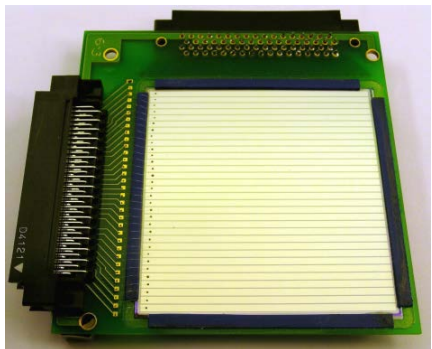
$\sim \tan \vartheta_{\text{lab}}$



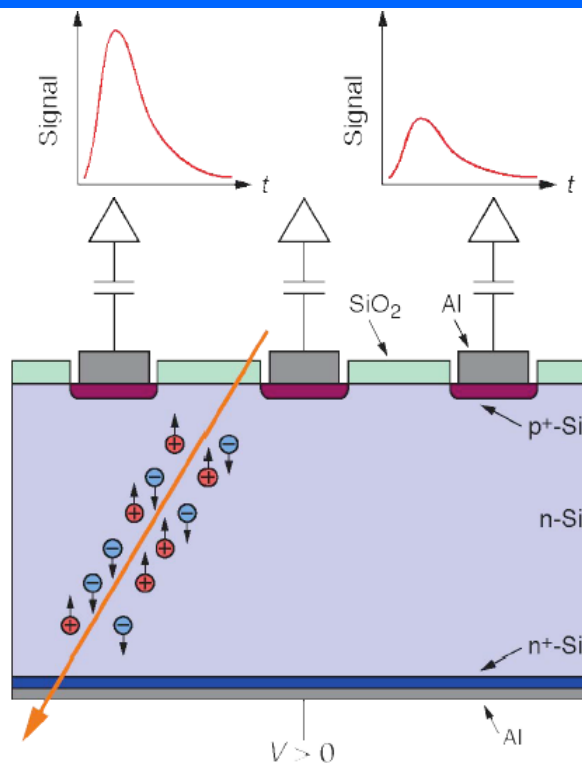
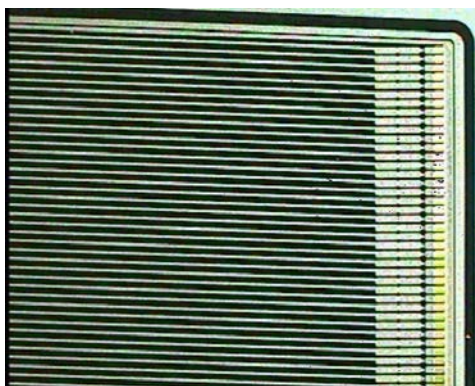
Doppler Corrected Spectrum for  $^{122}\text{Sn}$



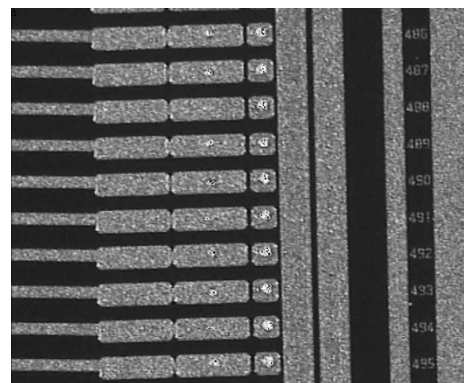
# Position resolution – Double Sided Silicon Strip Detector (DSSSD)



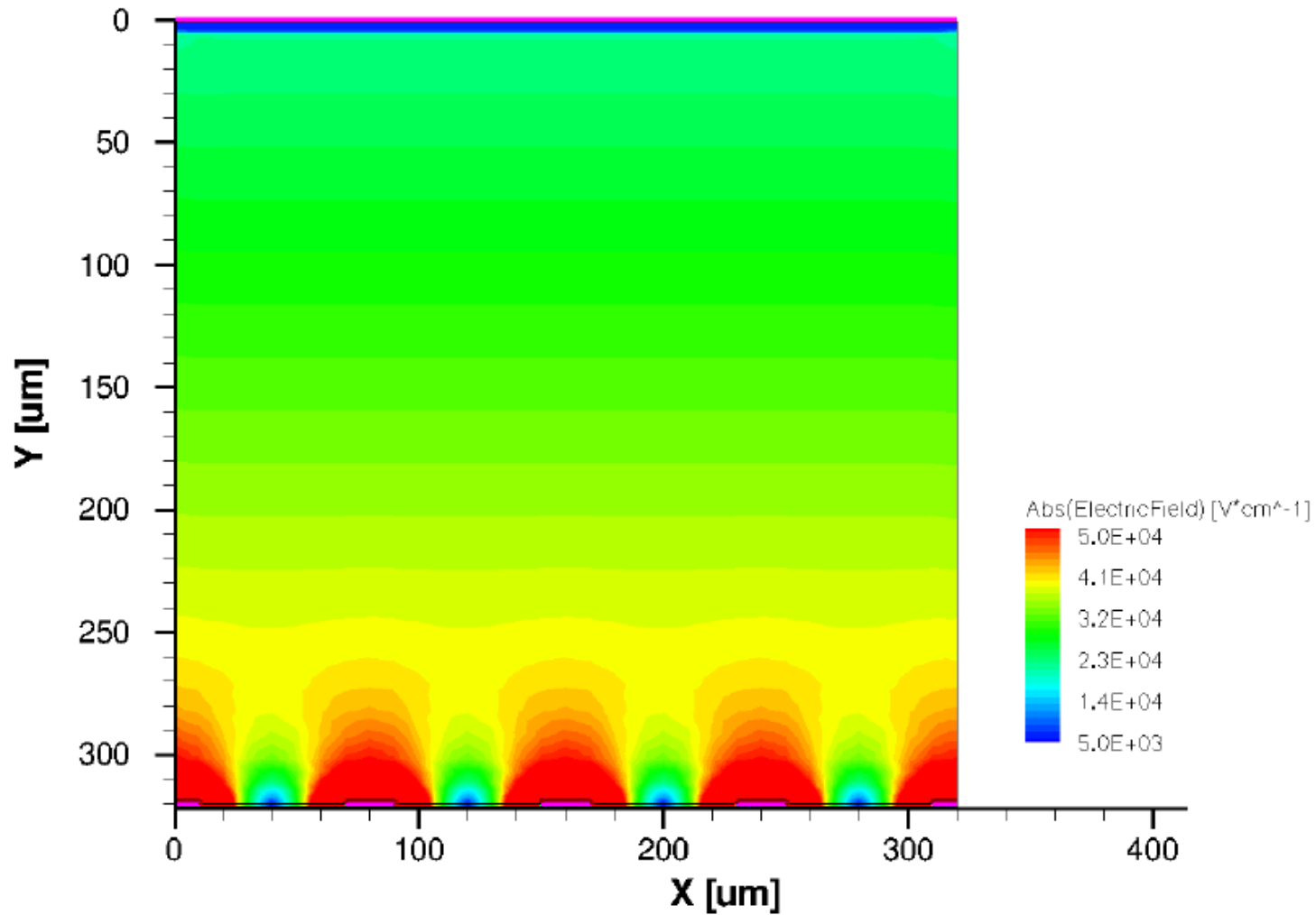
surface of a Microstrip detector



bonding pads



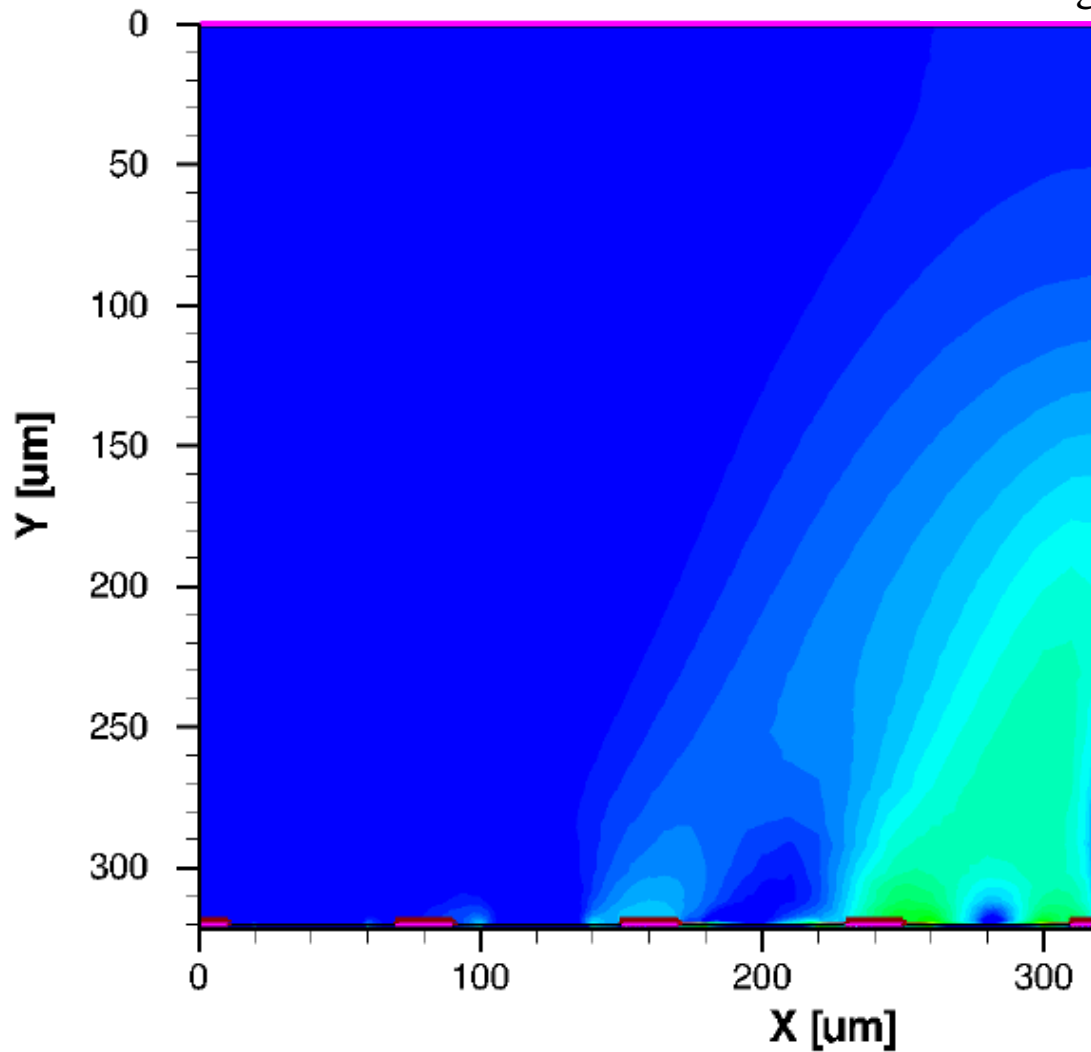
# Simulation result – electrical field configuration



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# Current density

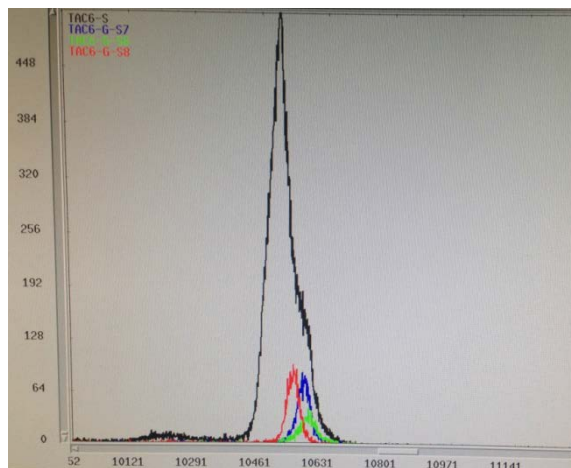
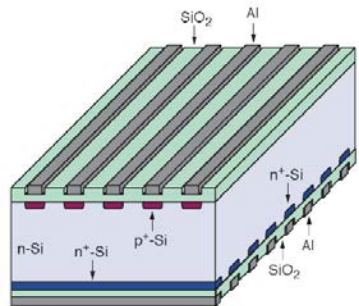
Ionizing particle with  $45^\circ$  angle  $t = 7.0$  ns



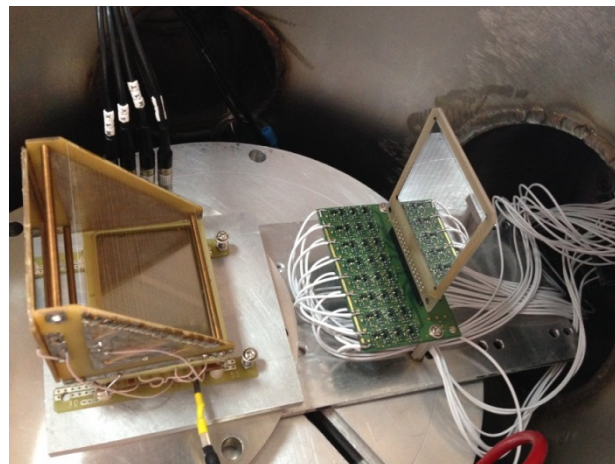
all electrons are collected

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# Time resolution – Double Sided Silicon Strip Detector (DSSSD)



TOF between MCP and DSSSD



MCP

DSSSD

**Time resolution 200 ps** for one of the 256 detector pixels

Akhil Jhingan (IUAC)

