

High spin physics: Instrumentation, experimental techniques and examples

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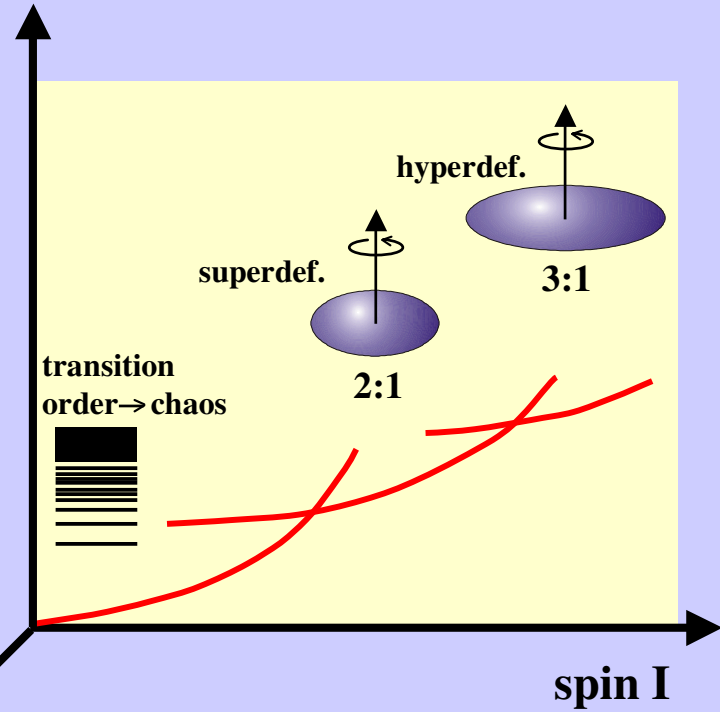
Universidad Autónoma de Madrid

- introduction
- γ -ray spectrometer
- ancillary detectors
- examples:
 - prompt particle decay from deformed excited states
 - superdeformed bands
 - spectroscopy of transfermium nuclei
 - ground state proton decay
- next generation γ -ray spectrometer

The study of "exotic" nuclei

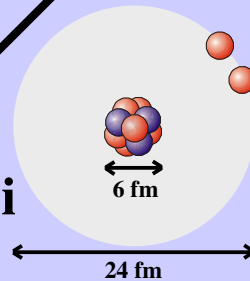
- high excitation energy (hot nuclear matter)
- high spin
- strong deformation (superdef., hyperdef.)
- large mass, high Z (superheavies)
- extreme isospin (halos, skins, ...)

temperature T
excitation energy E_x



isospin $\left| \frac{N-Z}{A} \right|$

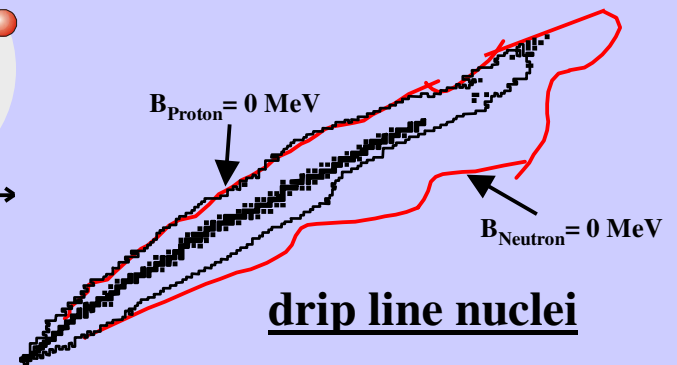
^{11}Li



Halo nuclei

$B_{\text{Proton}} = 0 \text{ MeV}$

$B_{\text{Neutron}} = 0 \text{ MeV}$



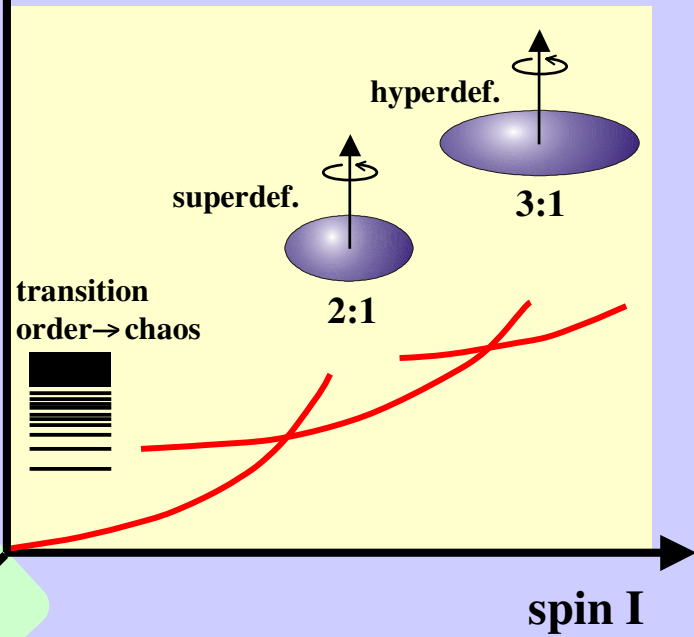
drip line nuclei

The study of "exotic" nuclei

fusion-evaporation reactions

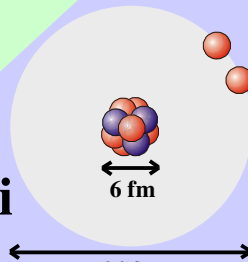
fragmentation

temperature T
excitation energy E_x



isospin $|\frac{N-Z}{A}|$

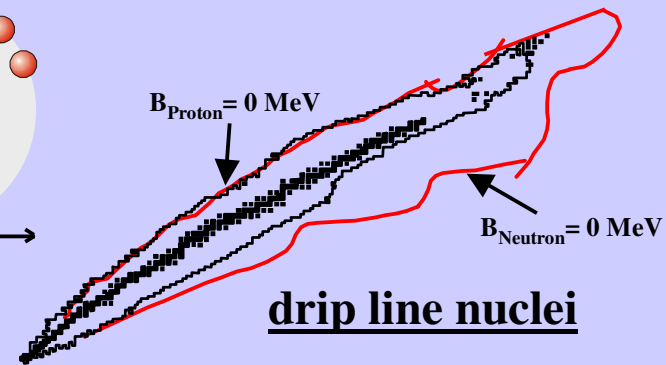
^{11}Li
Halo nuclei



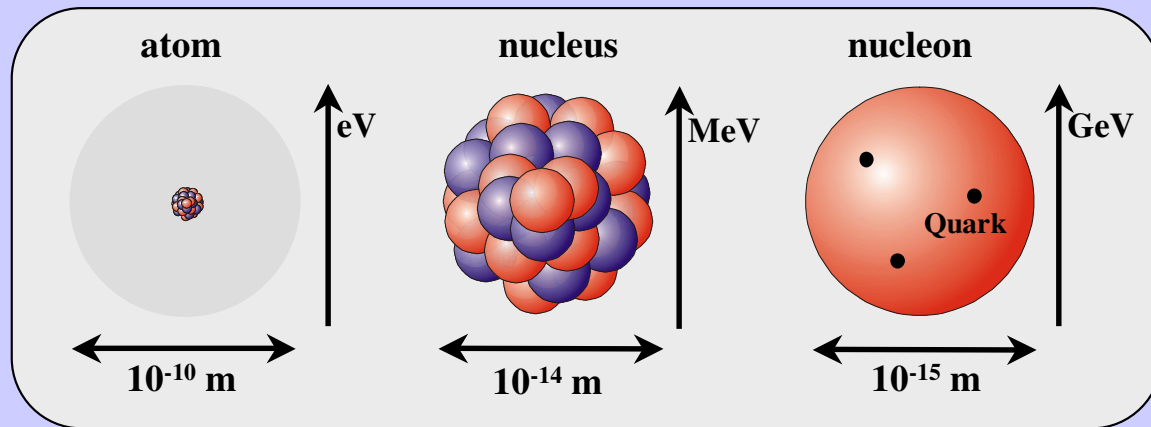
$B_{\text{Proton}} = 0 \text{ MeV}$

$B_{\text{Neutron}} = 0 \text{ MeV}$

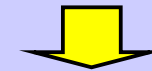
drip line nuclei



The mesoscopic system 'atomic nucleus'



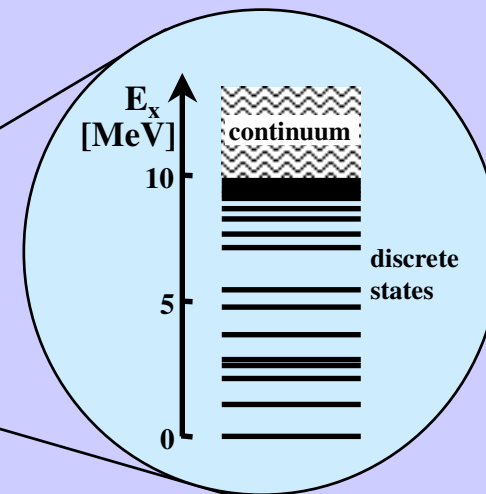
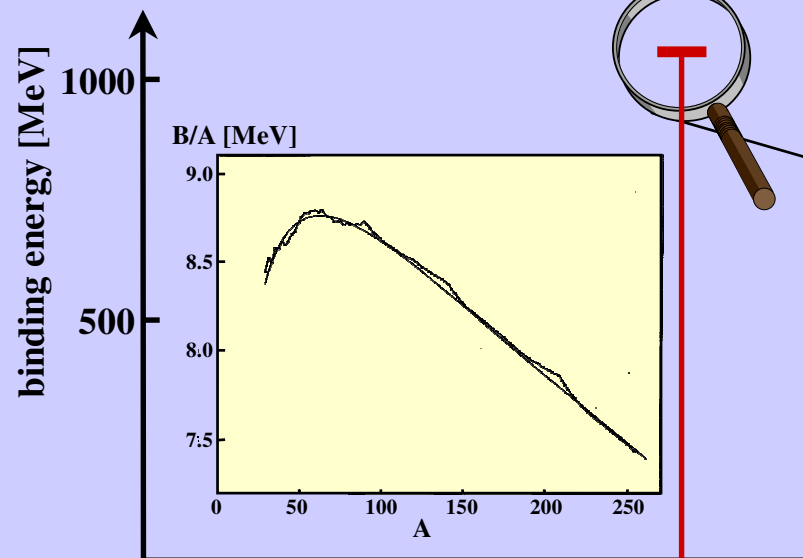
nucleon-nucleon
interaction



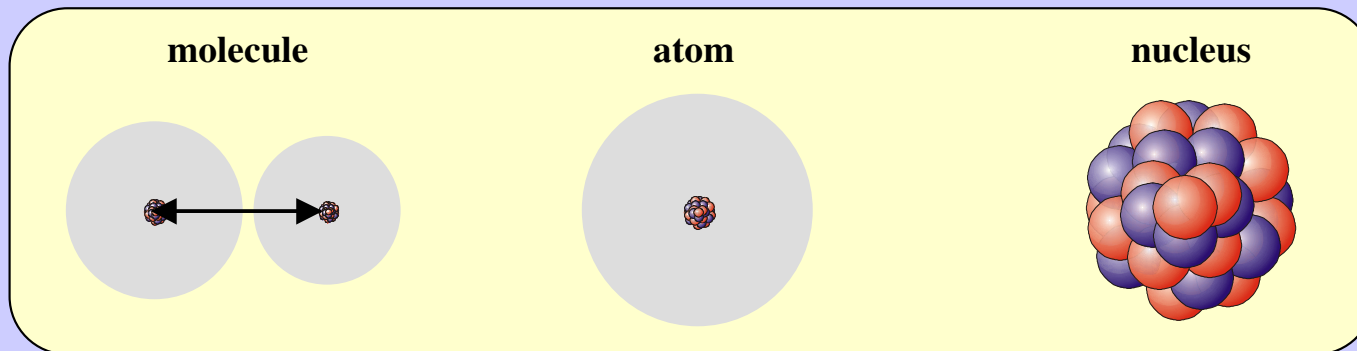
'local fluctuations'

'global properties'

e.g. binding energies, radii,
charge density distributions



Excitation mechanisms of different objects

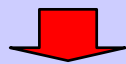


- electronic
- vibration
- rotation

- electronic

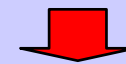
- single-particle
- vibration
- rotation (def.)

$$\omega_{\text{el.}} \gg \omega_{\text{vib}} \gg \omega_{\text{rot}}$$



Clear separation !

$$\omega_{\text{rot}} \sim \omega_{\text{vib}} \sim \omega_{\text{SP}}$$



Interaction !

The special interest
of nuclear physics !

An example for molecular excitations: N₂

$$\omega_{\text{el.}} \gg \omega_{\text{vib}} \gg \omega_{\text{rot}}$$

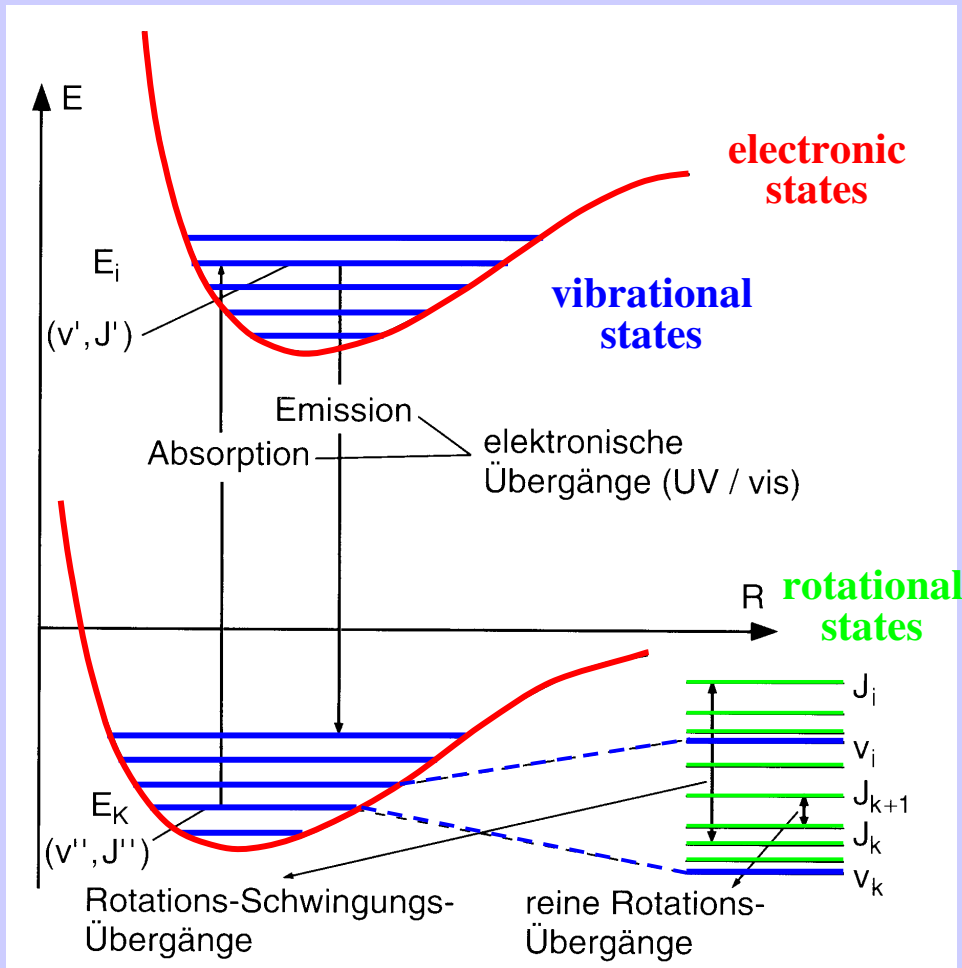
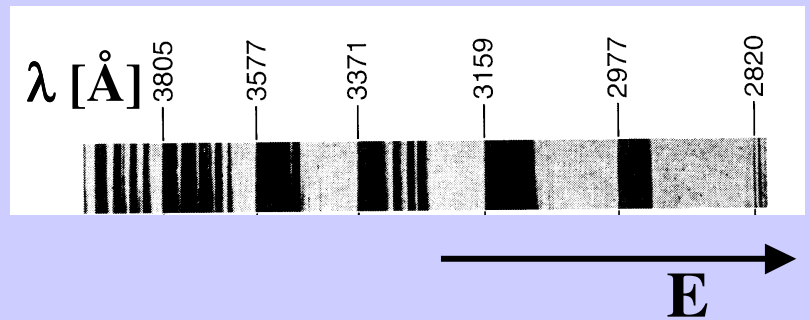
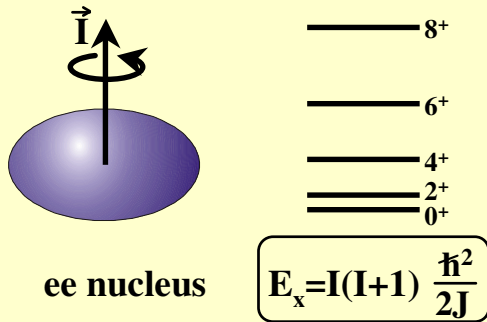


Photo of the band spectrum of the N₂ molecule built on the electronic ${}^3\Pi_g - {}^3\Pi_u$ transition:



collective models

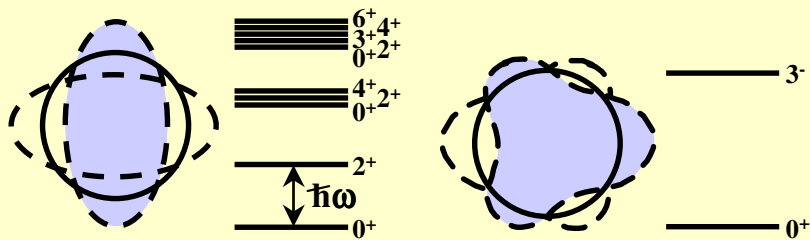
rotations – 50er Jahre



ee nucleus

$$E_x = I(I+1) \frac{\hbar^2}{2J}$$

vibrations - 50er Jahre

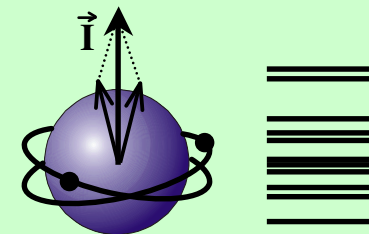


quadrupole

octupole

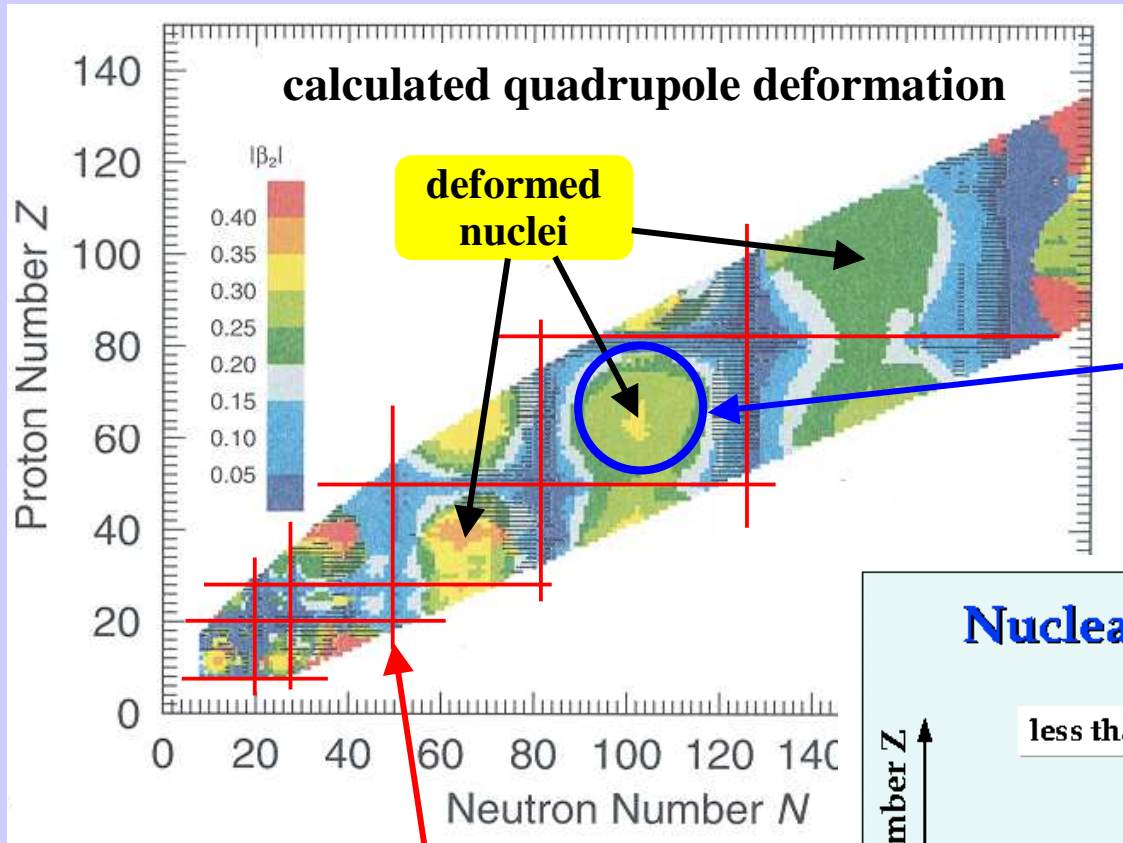
single-particle models

shell model - 1949



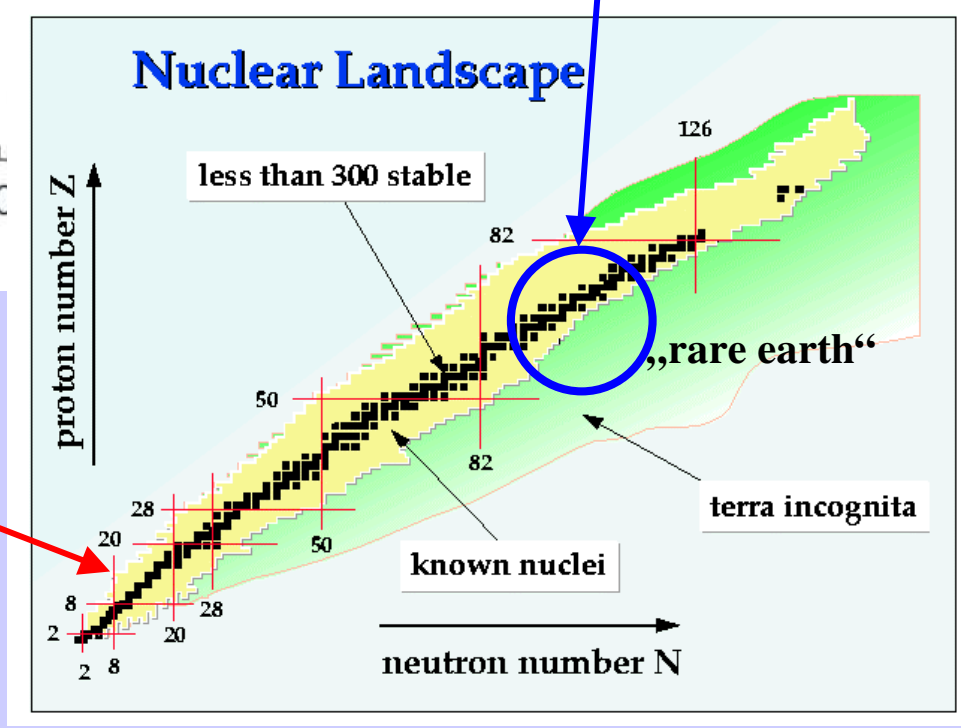
spins and magn. moments
of ground states

$$\omega_{\text{rot}} \sim \omega_{\text{vib}} \sim \omega_{\text{SP}}$$

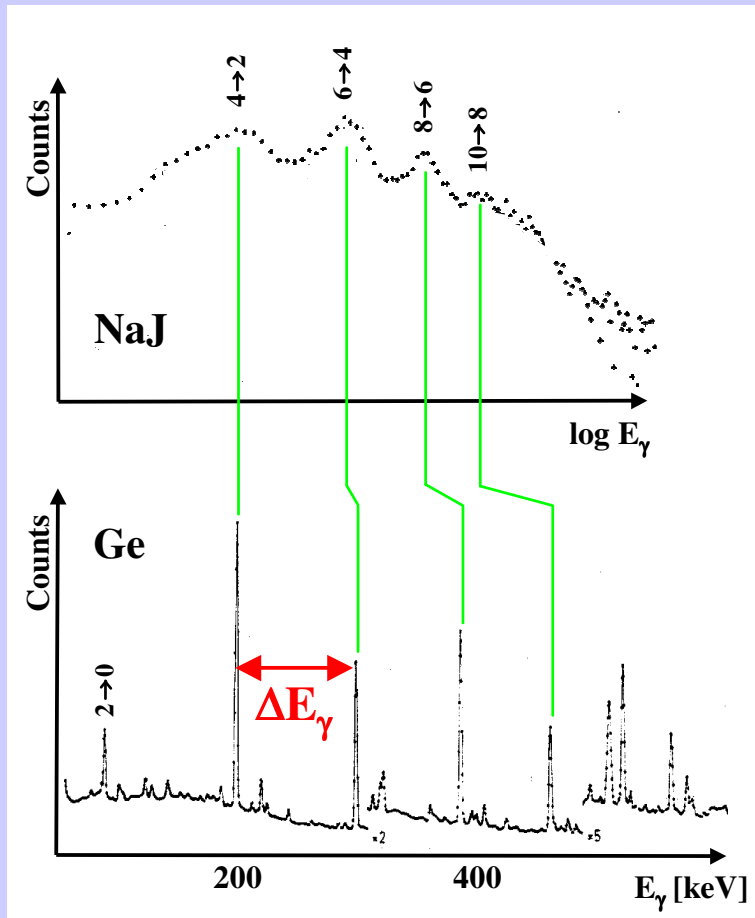


First observation of rotational bands in stable isotopes of the rare earth region in the fifties !

magic numbers (spherical regions)



Morinaga und Gugelot, 1963



Johnson et al., 1972

$^{160}\text{Gd}_{96}$

Z=64 14 protons outside closed shell

N=96 14 neutrons outside closed shell

Excitation energy:

$$E_x = I(I+1) \hbar^2 / (2J)$$

γ-ray energy:

$$E_\gamma \sim I$$

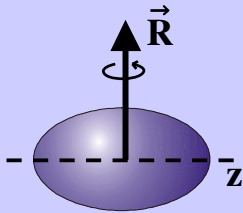
difference between E_γ:

$$\Delta E_\gamma = \text{const.}$$

Collective rotation of deformed nuclei

Energy of an axial symmetric nucleus rotating around perpendicular axis:

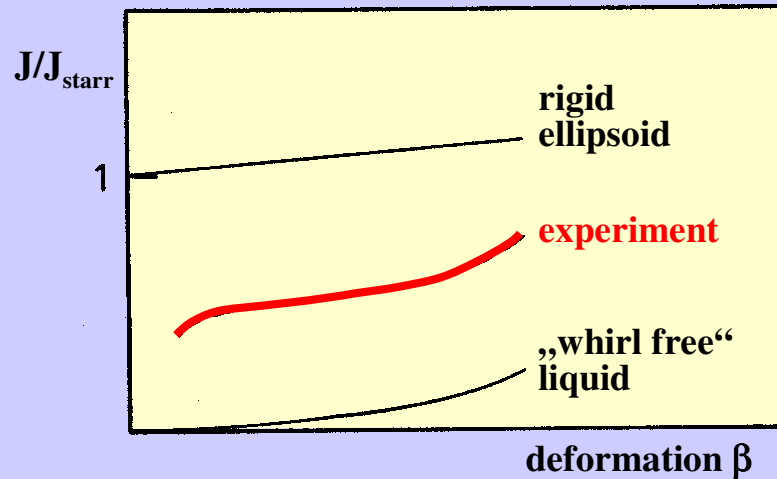
$$H_{rot} = \frac{\vec{R}^2}{2J} \quad \vec{R}: \text{ coll. angular momentum}$$



spectrum:

$$E_I = \frac{\hbar^2}{2J} I(I+1)$$

From the observed spectrum one can determine the moment of inertia !



Normalized to the moment of inertia of a rigid sphere:

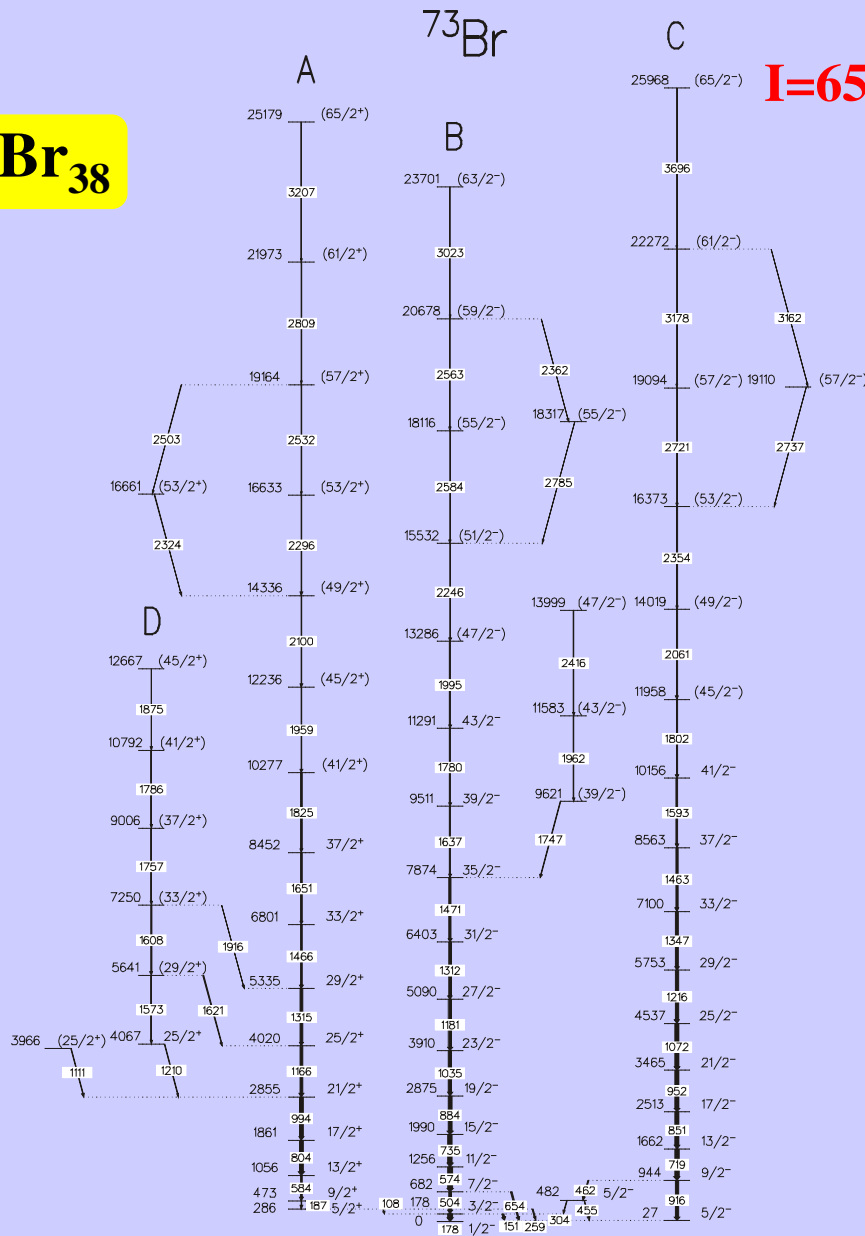
$$J_{starreKugel} = \frac{2}{5} M \cdot R_0^2 = \frac{2}{5} A \cdot m_n \cdot R_0^2$$



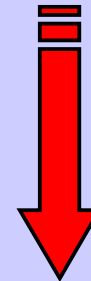
„Nuclei are like egg shells which are filled with a mixture of a normal and a super conducting liquid !“

Super conductivity due to pairing forces in analogy to the Cooper pairs (electrons) in super conductors.

$^{73}\text{Br}_{38}$

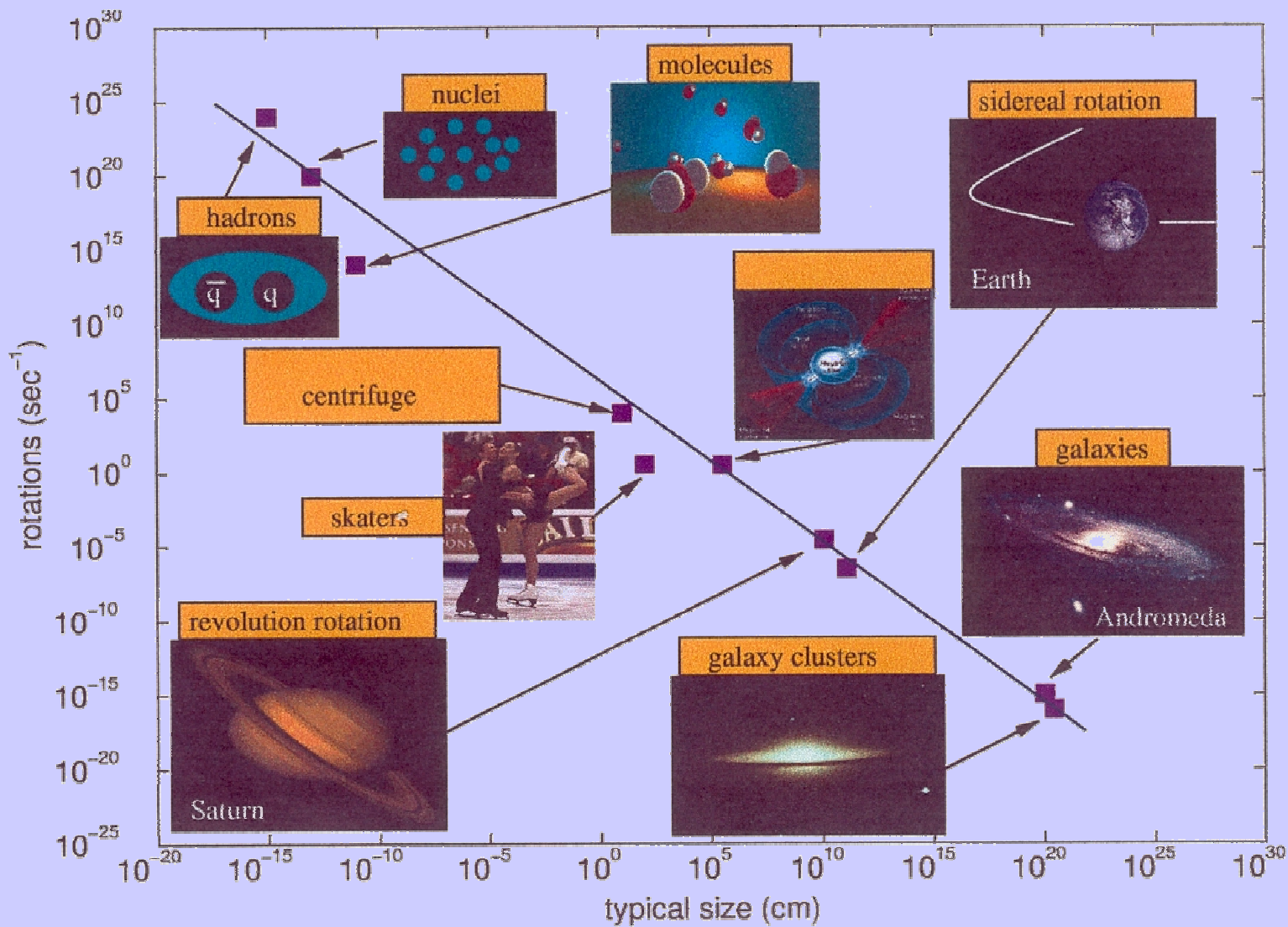


J determined from excitation energies and spins: $\sim 20 \text{ ħ}^2/\text{MeV}$



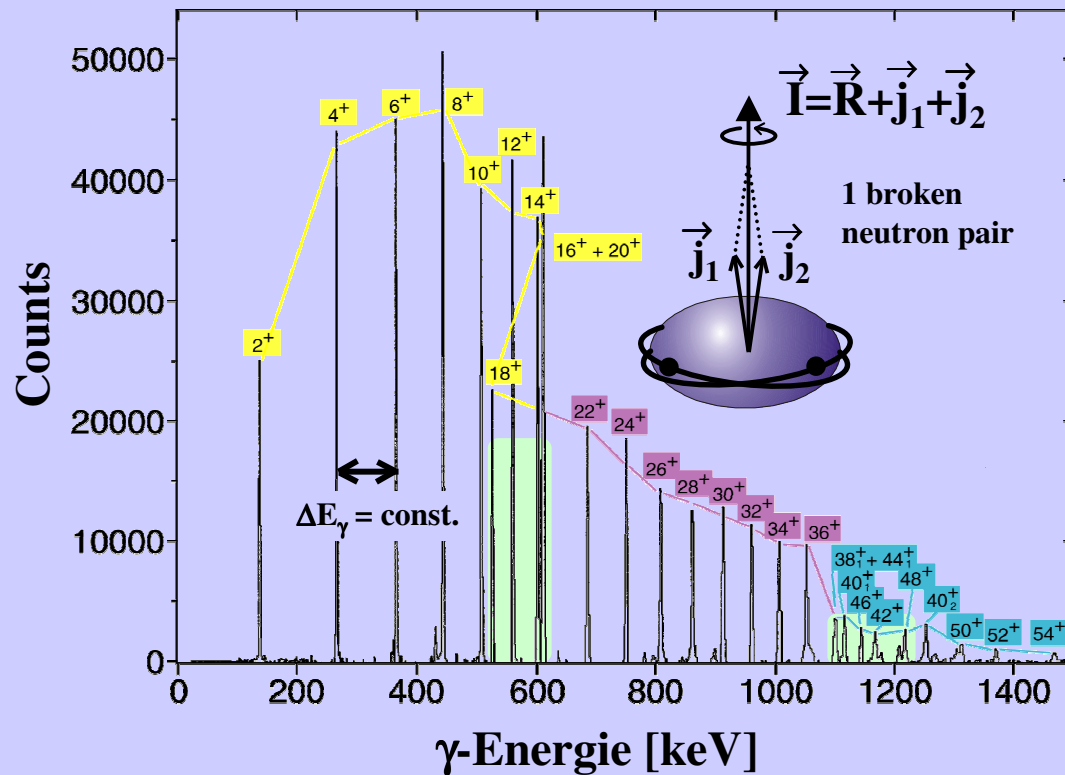
World record:
Highest rotational frequency observed in 'heavy' nuclei with $A > 25$!

Rotations in the universe



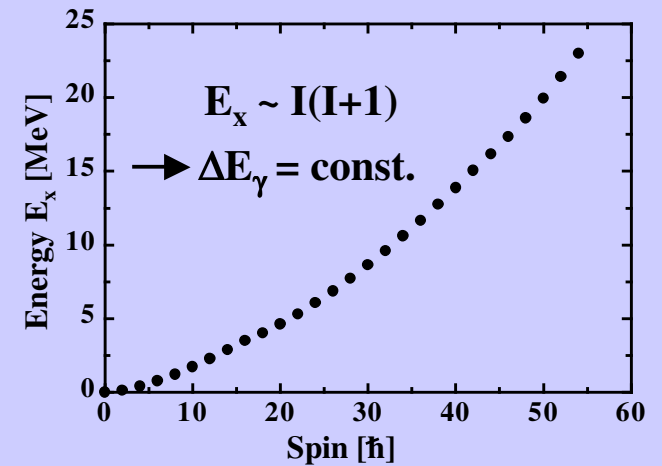
The "backbending" phenomenon

"Irregularities" in the spectrum of $^{156}\text{Dy}_{90}$

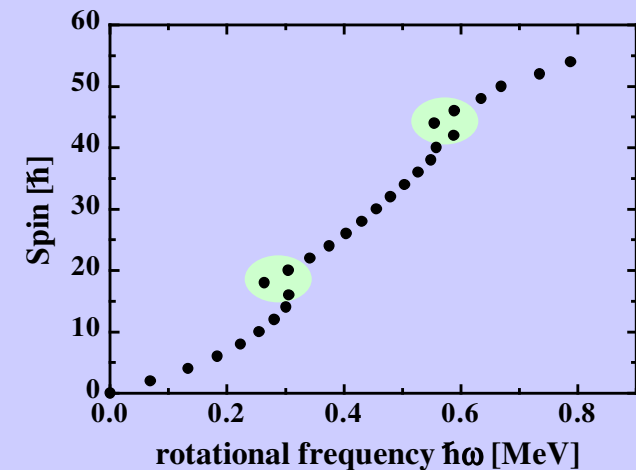


Breaking of a nucleon pair **increases** the total spin (and moment of inertia) while the frequency of the collective rotation **decreases** (skater) !

Excitation energy - spin

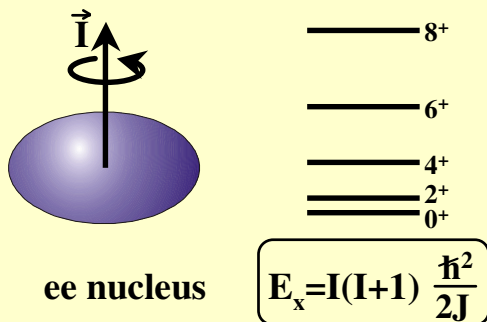


Spin - rotational frequency



collective models

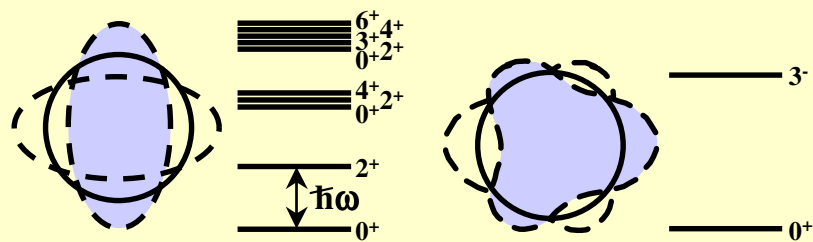
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vibrations - 50er Jahre

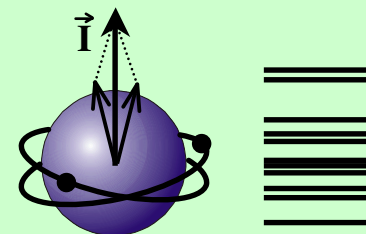


quadrupole

octupole

single-particle models

shell model - 1949



spins and magn. moments
of ground states

$$\omega_{\text{rot}} \sim \omega_{\text{vib}} \sim \omega_{\text{SP}}$$

1/2 premio Nobel in physics 1963: The nuclear shell model



Maria Goeppert-Mayer (1906-1972)
Hans Jensen (1907-1973)

On Closed Shells in Nuclei. II

MARIA GOEPPERT MAYER

*Argonne National Laboratory and Department of Physics,
University of Chicago, Chicago, Illinois*

February 4, 1949

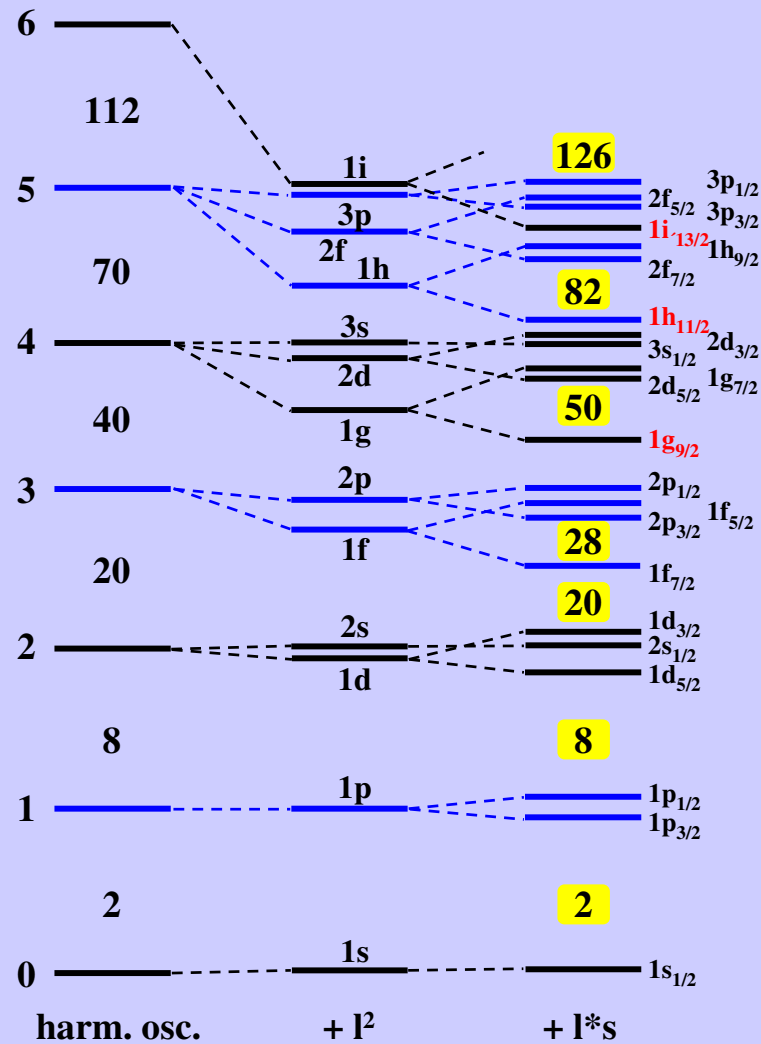
THE spins and magnetic moments of the even-odd nuclei have been used by Feenberg^{1,2} and Nordheim³ to determine the angular momentum of the eigenfunction of the odd particle. The tabulations given by them indicate that spin-orbit coupling favors the state of higher total angular momentum. If strong spin-orbit coupling, increasing with angular momentum, is assumed, a level assignment different from either Feenberg or Nordheim is obtained. This assignment encounters a very few contradictions with experimental facts and requires no major crossing of the levels from those of a square well potential. The magic numbers 50, 82, and 126 occur at the place of the spin-orbit splitting of levels of high angular momentum.

.....

Thanks are due to Enrico Fermi for the remark, "Is there any indication of spin-orbit coupling?" which was the origin of this paper.

Physical Review 75 (1949)

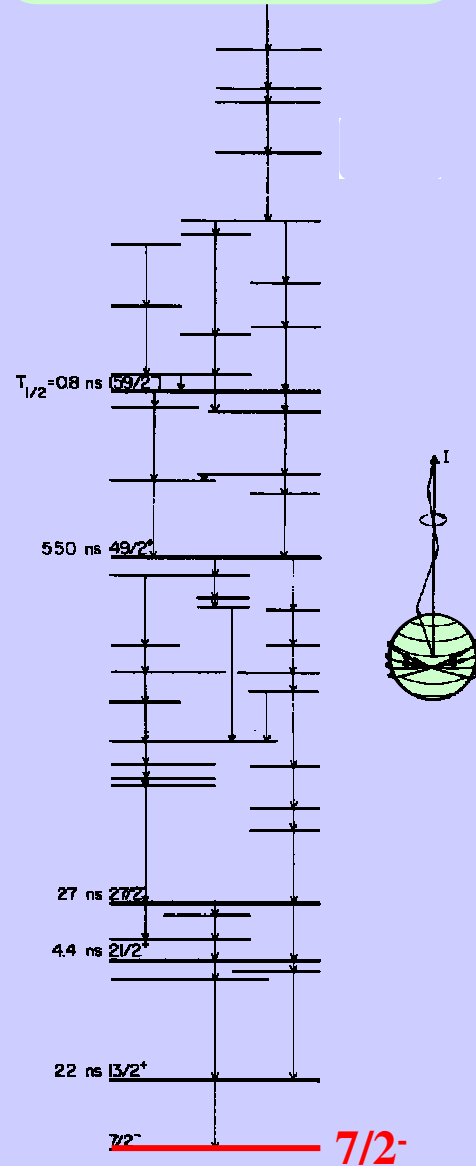
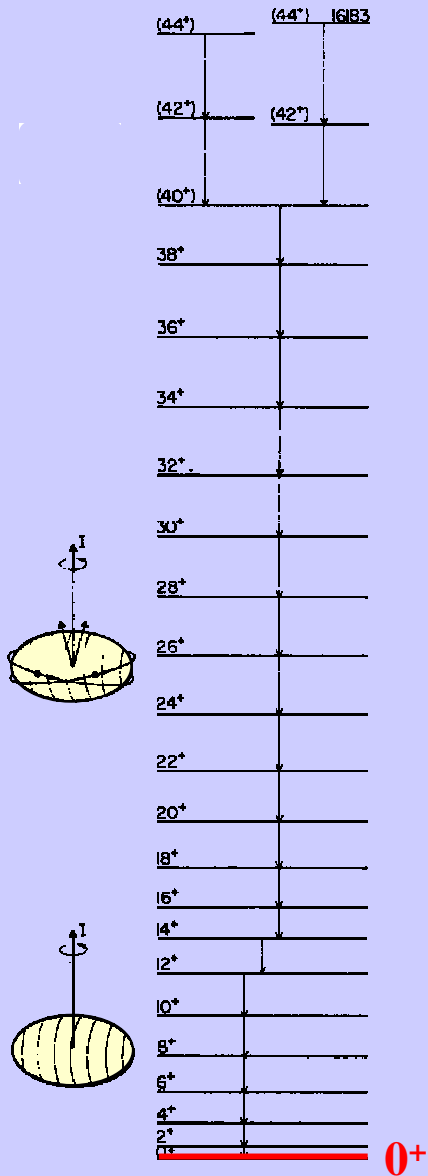
"Magic numbers" due to strong spin-orbit splitting



deformed nucleus:
regular rotational bands
(collective movement)

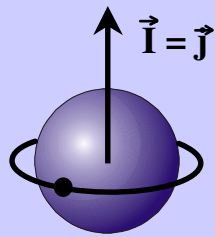
spherical nucleus:
irregular structures
(excitation of individual nucleons)

$^{158}_{68}\text{Er}_{90}$



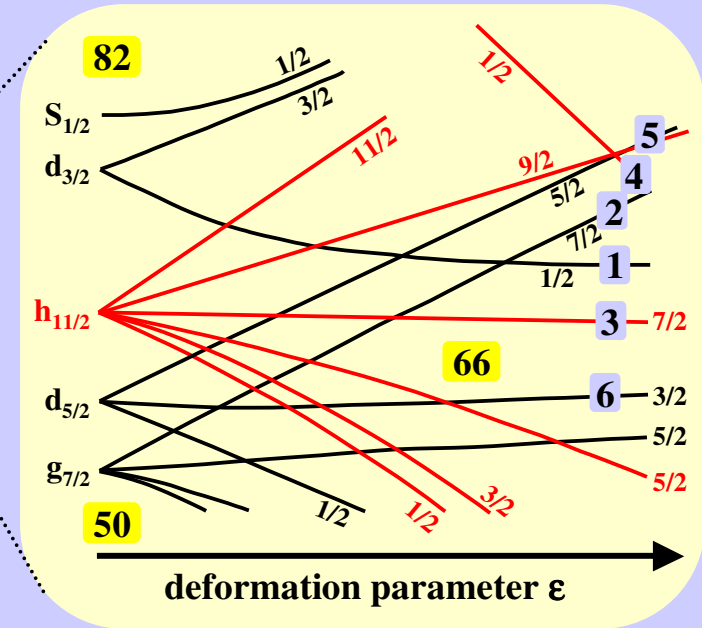
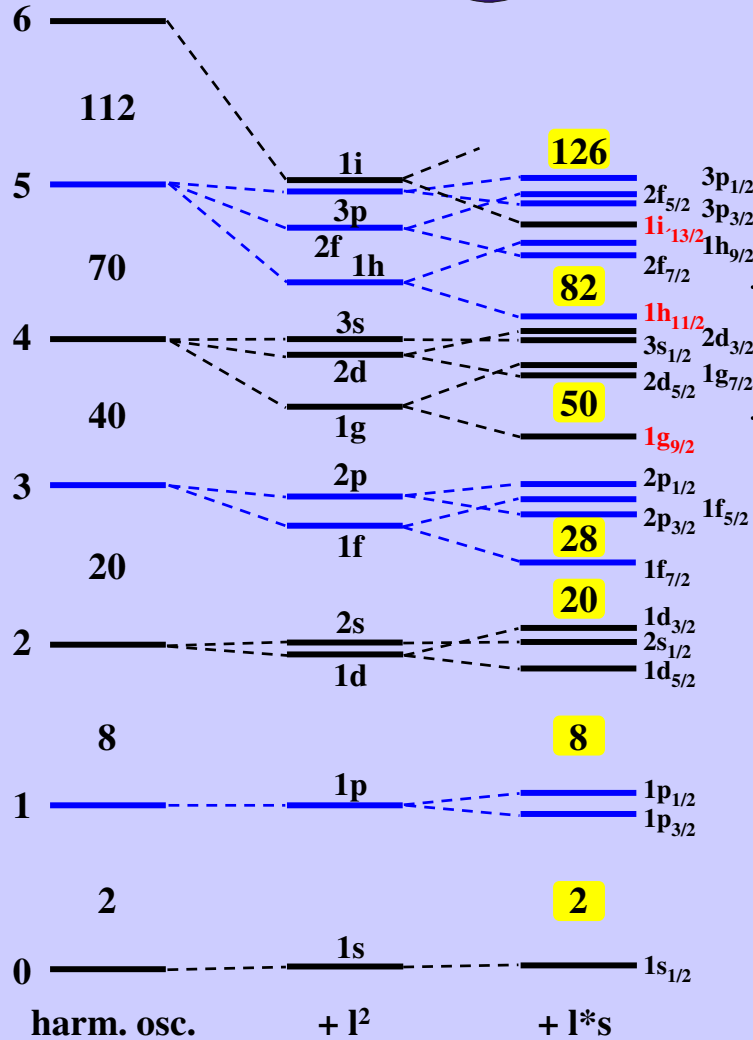
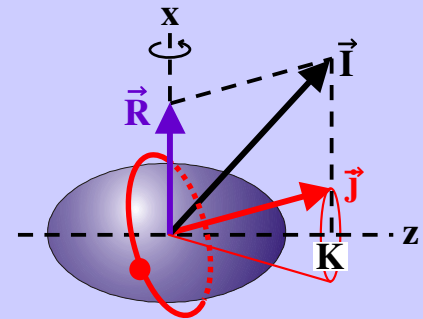
$^{147}_{64}\text{Gd}_{83}$

spherical



deformed

$r_z \neq r_x = r_y$
 $\epsilon \sim r_z - r_x$



Fermi-level

$\frac{6}{3/2} \frac{491}{1}$

$^{165}_{69}\text{Tm}$

$\frac{3}{7/2} \frac{161}{1}$

$\frac{1}{1/2} \frac{0}{1}$

$\frac{4}{1/2} \frac{182}{1}$

$\frac{5}{5/2} \frac{316}{1}$

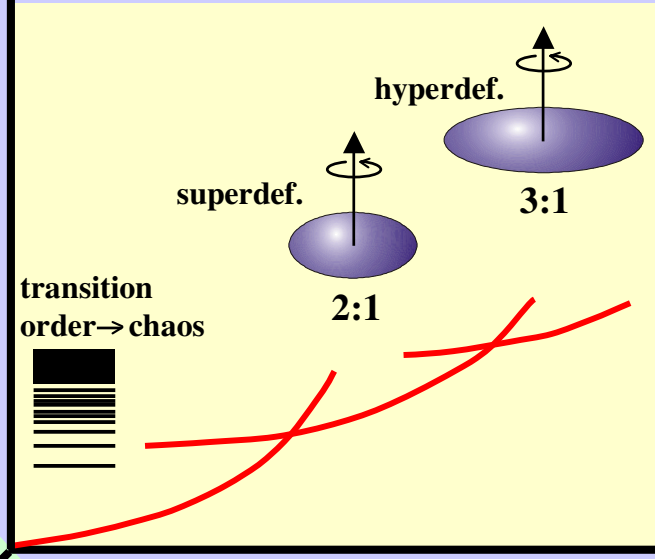


The study of "exotic" nuclei

fusion-evaporation reactions

fragmentation

temperature T
excitation energy E_x



isospin $|\frac{N-Z}{A}|$

^{11}Li

6 fm

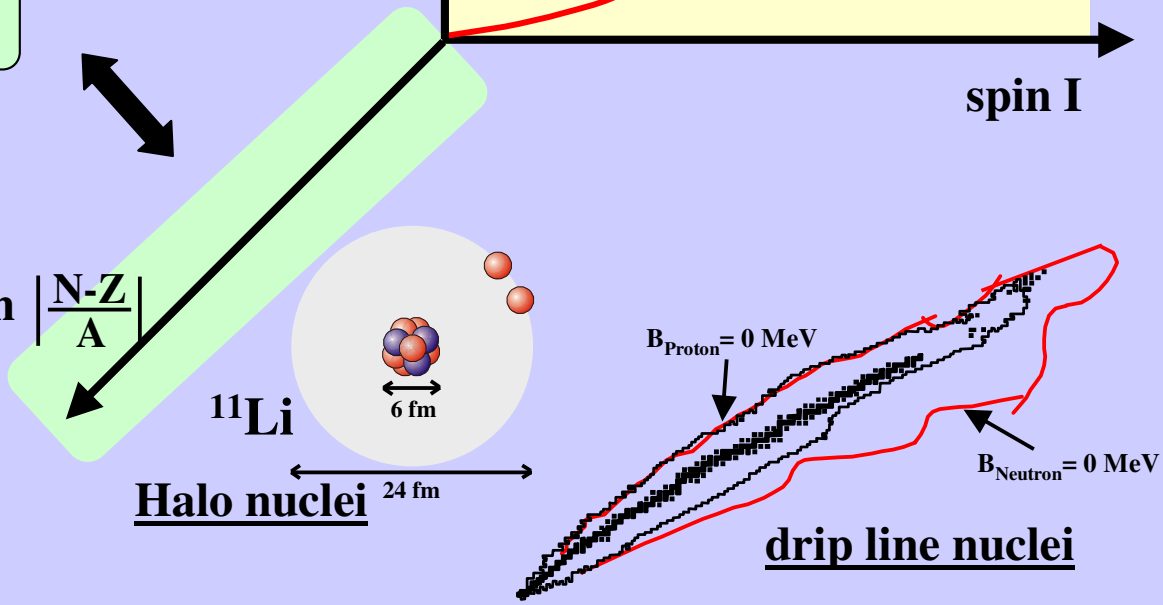
Halo nuclei

24 fm

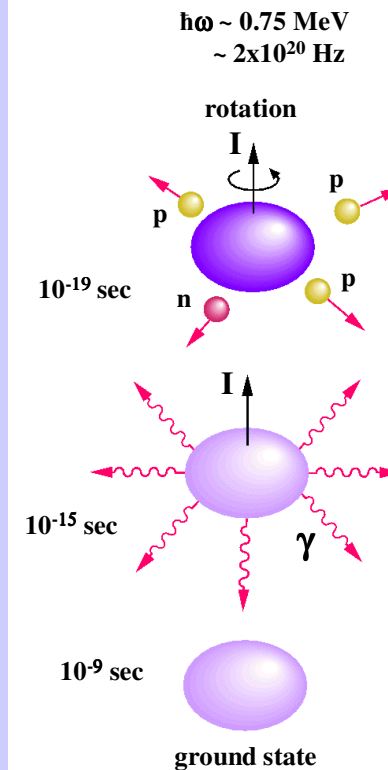
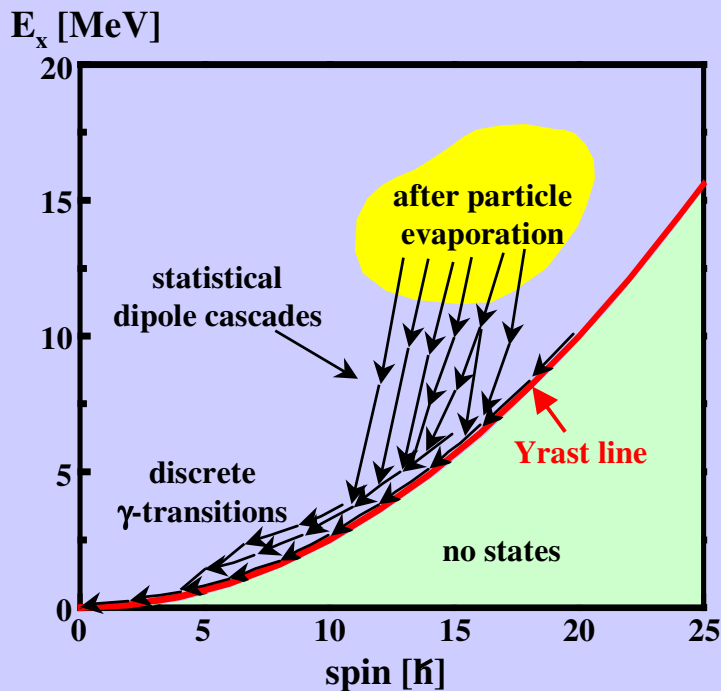
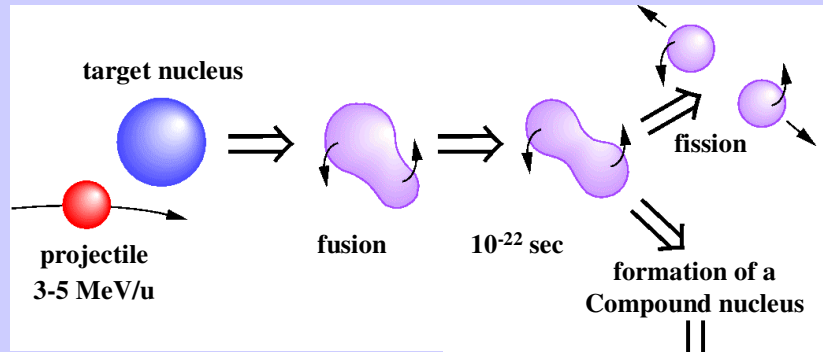
$B_{\text{Proton}} = 0 \text{ MeV}$

$B_{\text{Neutron}} = 0 \text{ MeV}$

drip line nuclei



The heavy-ion induced fusion-evaporation reaction

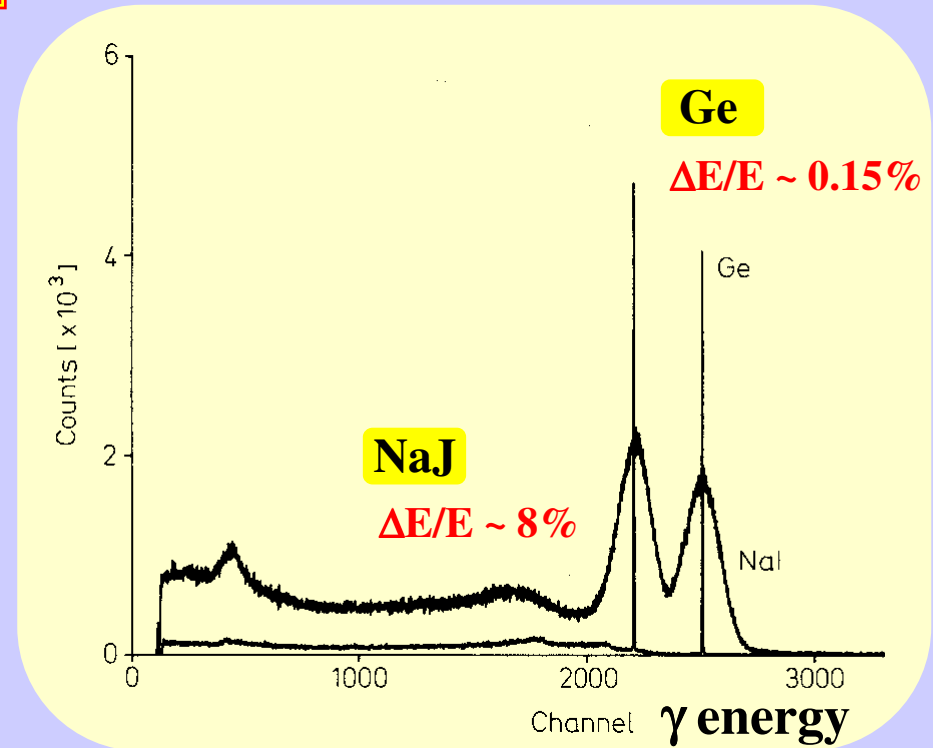


- neutron-deficient nuclei
- high spin and exc. energy
- needs an accelerator
- many different reaction products
- large range of cross sections
- recoil velocity of reaction products $v/c \approx 1-5\%$

Detectors for γ -radiation

γ -spectrum of a ^{60}Co source

Ge detector has much **better energy resolution** but much **worse efficiency** than a scintillator !

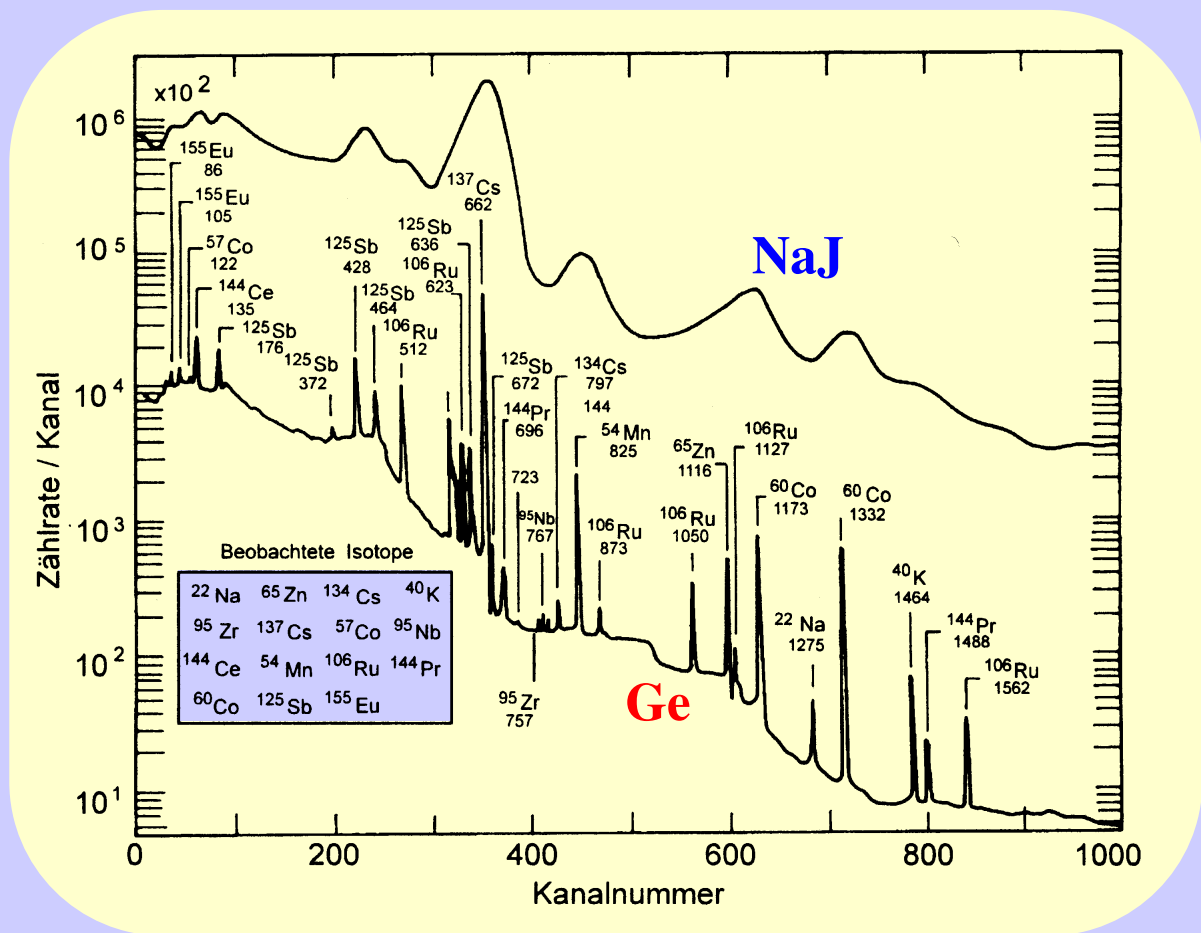


Three characteristic quantities for γ -ray spectrometer:

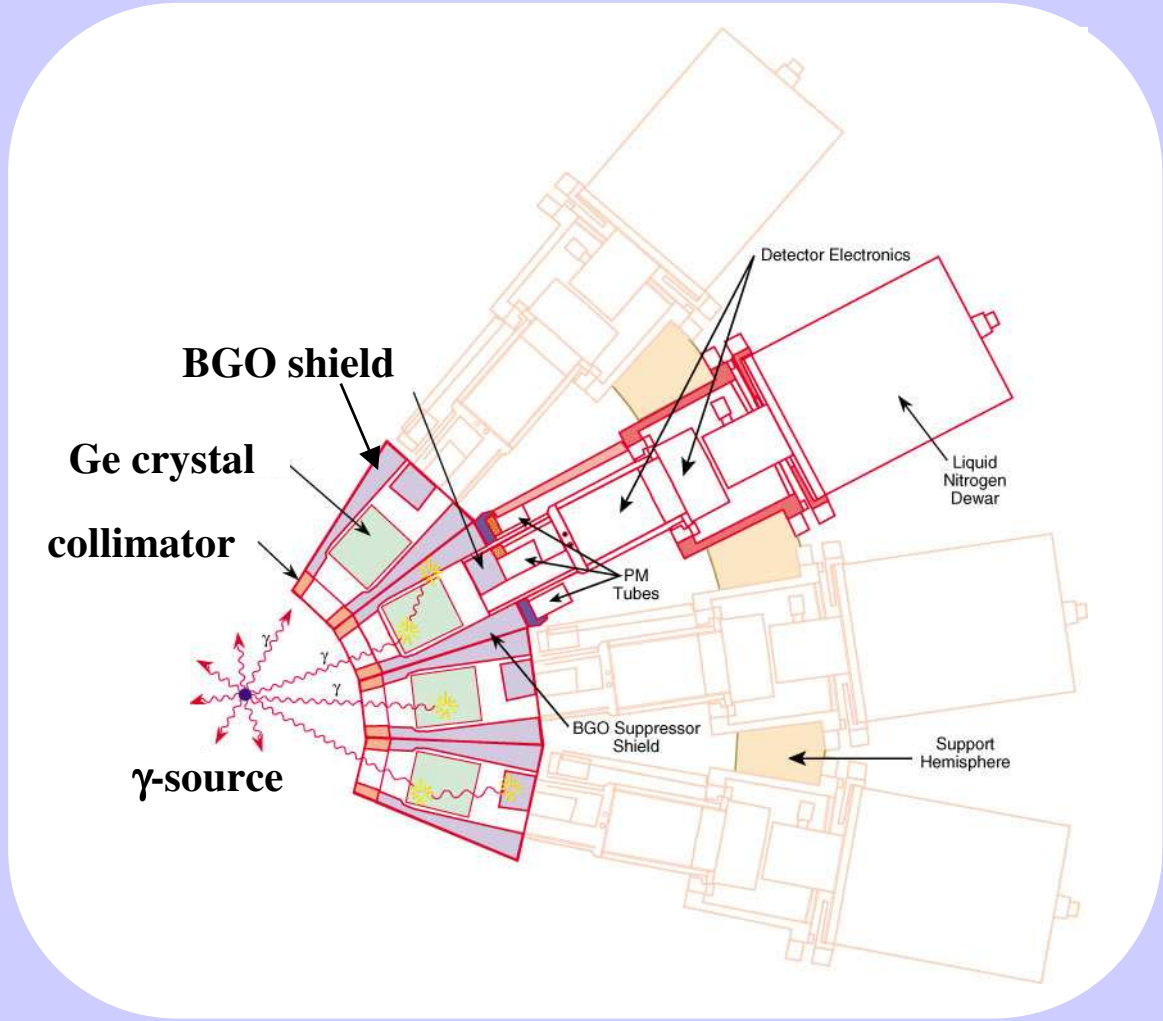
- energy resolution:** FWHM of photopeak (1.33 MeV γ quant from ^{60}Co)
- detection efficiency**, given relative to a 7.6 cm x 7.6 cm NaI crystal (source at a distance of 25 cm)
- peak-to-total P/T:** area of photopeak relative to total area

→ How to improve P/T ?

γ -ray spectrum of an air filter with radioactive aerosols, whose activity stems from the atmospheric nuclear wapon experiments between 1958 und 1963.



The BGO Compton suppression shield



Half widths $d_{1/2}$ of γ -radiation in different detector materials

